

Implementation of Kinetic AGN Feedback in GADGET-3



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Simulations Workshop,

Sesto,

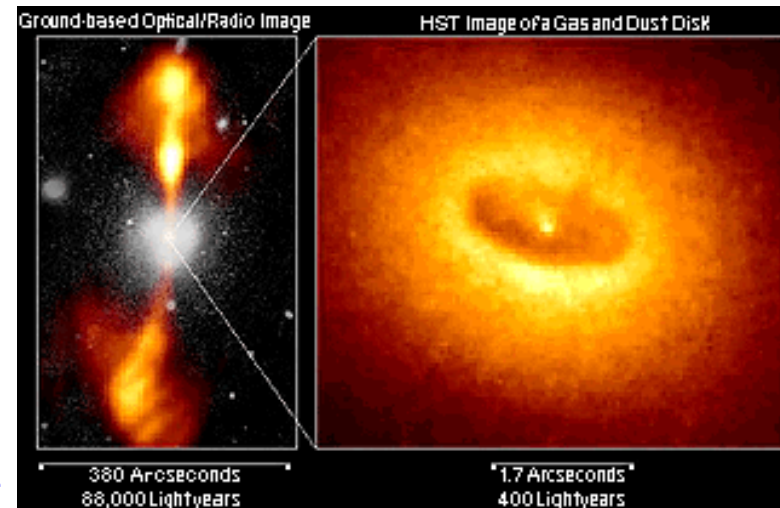
30 June 2015

Coupling of Feedback Energy

- Fraction of radiated energy from SMBH is recoupled
- **Thermal feedback** (Springel, Di Matteo et al. 2005, 2008)
 - Energy is coupled thermally to heat up the surrounding gas
 - Excess thermal energy decays to attain effective EOS energy (multiphase SF model of Springel & Hernquist 2003) on a relaxation timescale

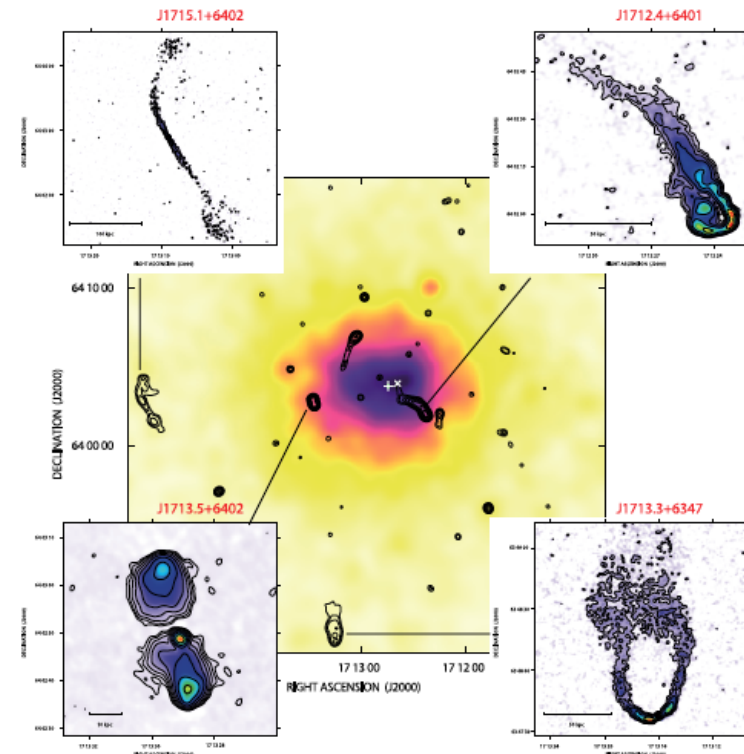
$$\tau_h = \frac{t_* \rho_h}{\beta(A+1)\rho_c}$$

- **Kinetic Feedback**
 - Impart K.E. (Velocity kick) to gas
 - Recently implemented in Gadget-3 code
 - (Barai et al. 2014, MNRAS, 437, 1456)

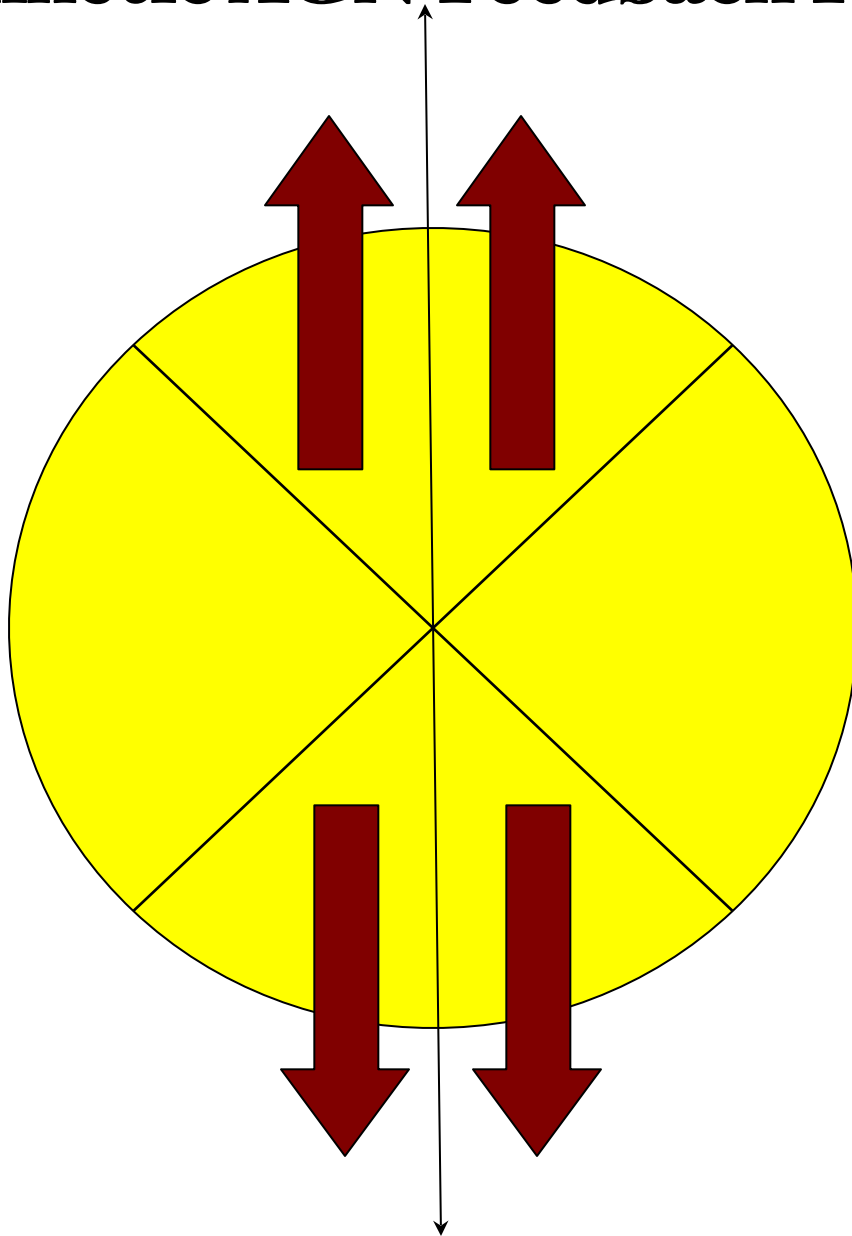


Idealized Tests: AGN Feedback at Center of Isolated Cluster

- Spherical gas distribution in hydrostatic equilibrium
- DM as background potential (NFW profile)
- Initial Condition:
 - Allow gas to cool for 2 Gyr and form a cold, dense core
 - Two tests with a hot core
- SMBH at center
 - No accretion
 - Only fixed energy output
 - Fixed duty-cycle



Kinetic AGN Feedback Physics & Implementation



- Create a BH particle at rest at center [0,0,0]
- Kick particles inside a bi-conical volume around BH
- Kick along fixed direction

$$\dot{E}_{out} = 10^{45} \text{ erg/s}$$

$$v_w = 5000, 10000 \text{ km/s}$$

$$\frac{1}{2} M_w v_w^2 = \dot{E}_{out}$$

$$T_{on} = 50 \text{ Myr}$$

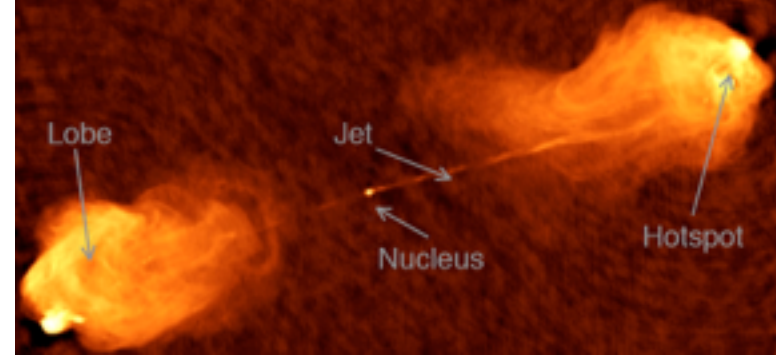
$$T_{off} = 100 \text{ Myr}$$

$$\text{Cone half angle} = 30^\circ$$

Physics & Implementation

- Energy-driven wind :

$$\frac{1}{2} \dot{M}_w v_w^2 = \dot{E}_{out}$$



Free Parameters :

\dot{E}_{out} = Output Power (to be related to BH accretion rate)

v_w = Wind Velocity

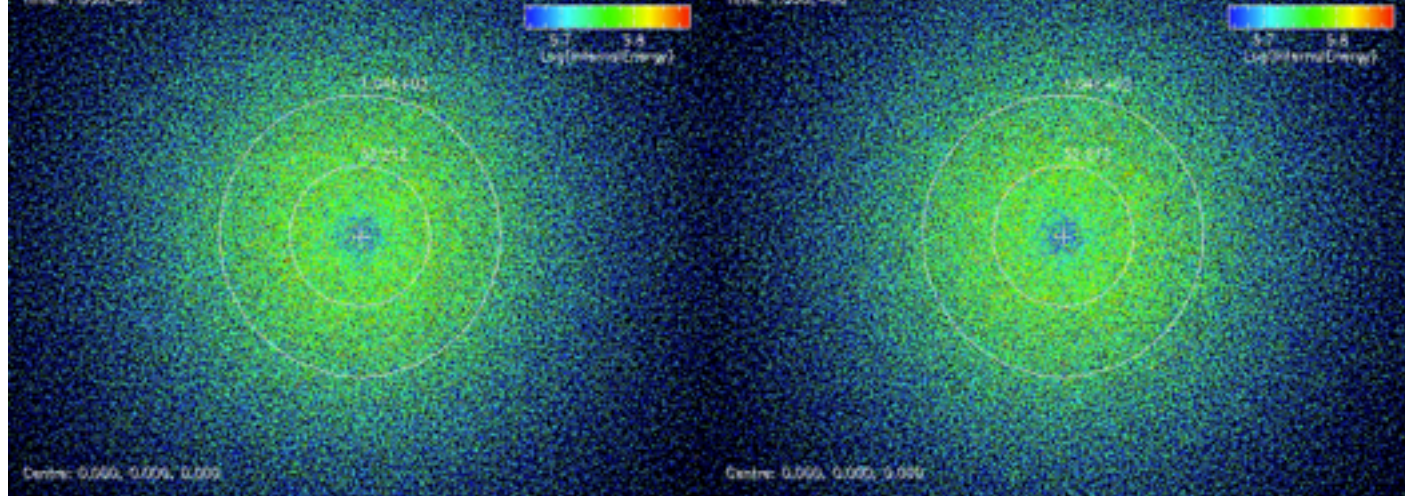
- Probabilistic method for kicking gas particles around BH

- New particle velocity

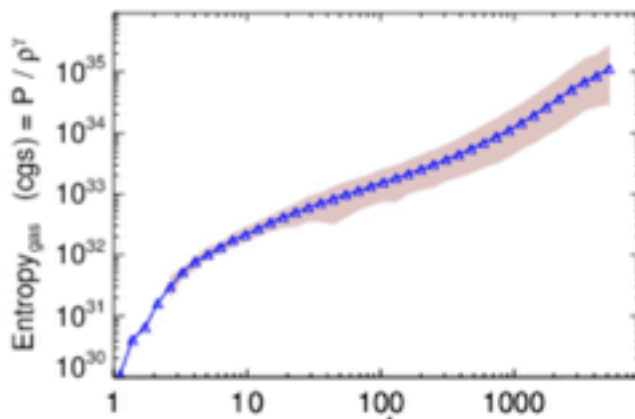
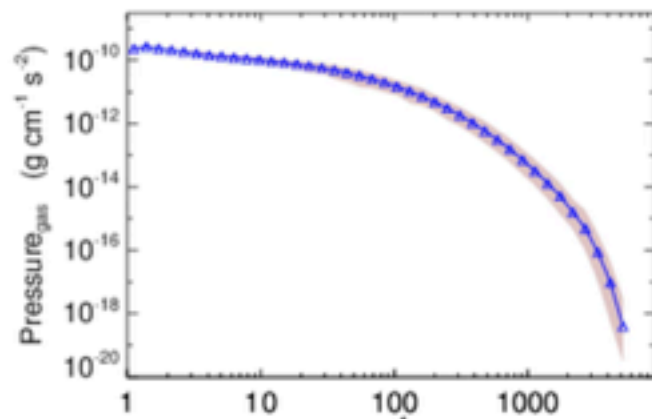
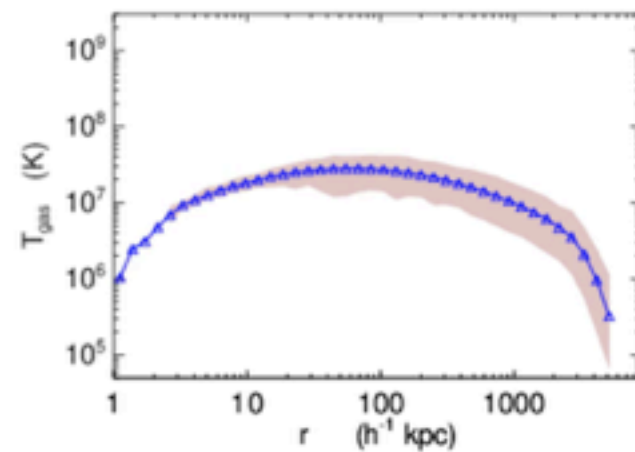
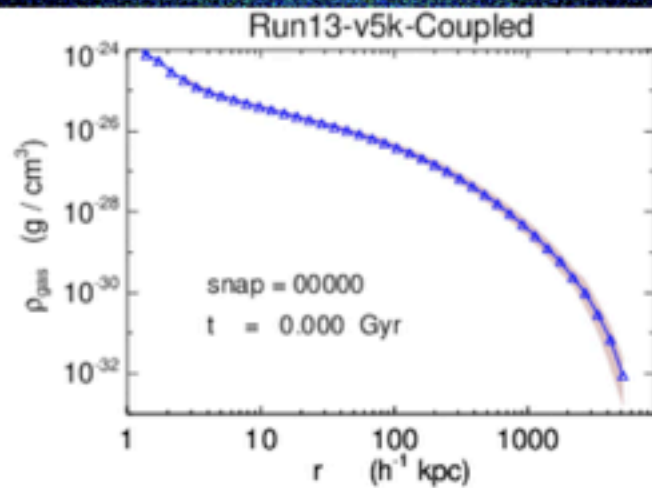
$$v_{new} = v_{old} + v_w \hat{n}$$
$$\hat{n} \rightarrow \frac{\mathbf{r}}{v} \times \nabla \phi$$

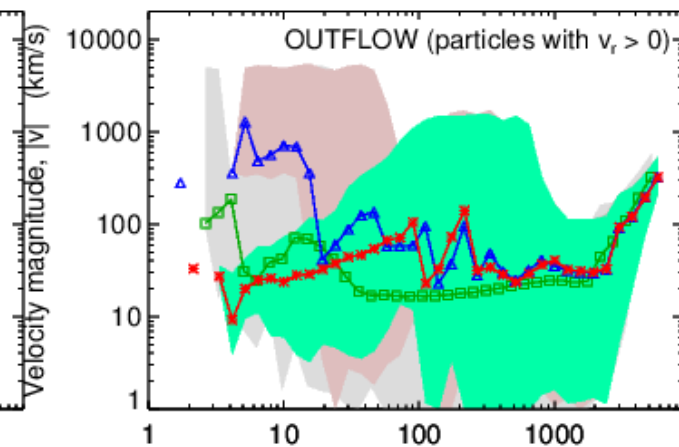
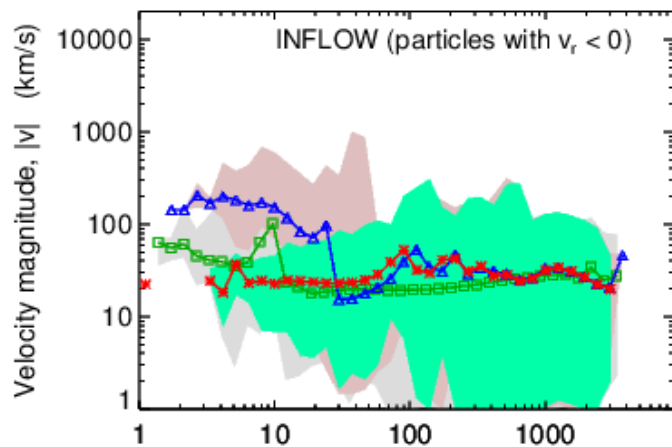
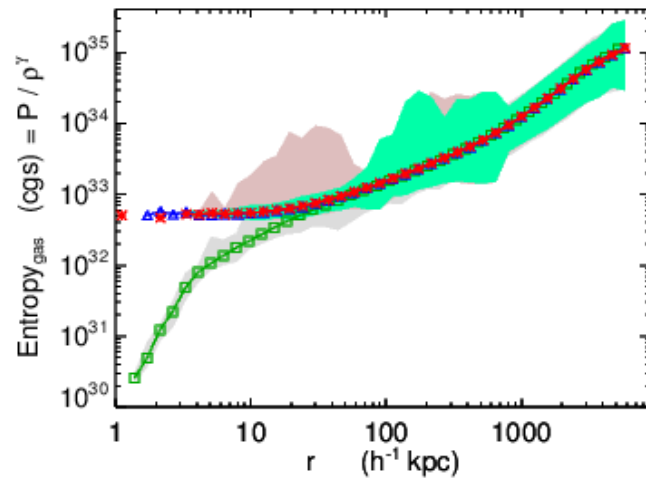
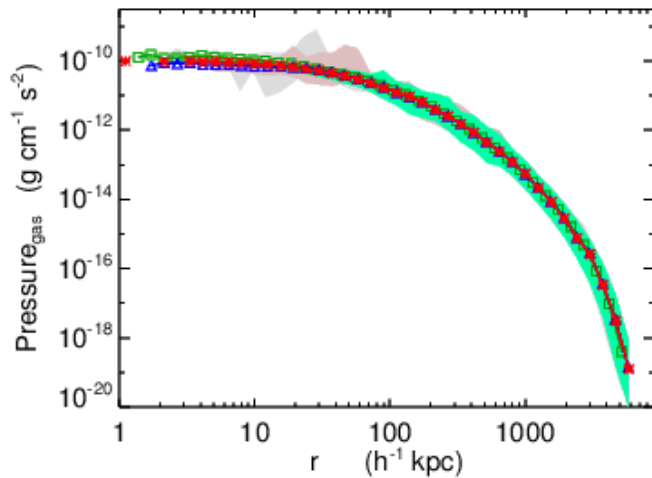
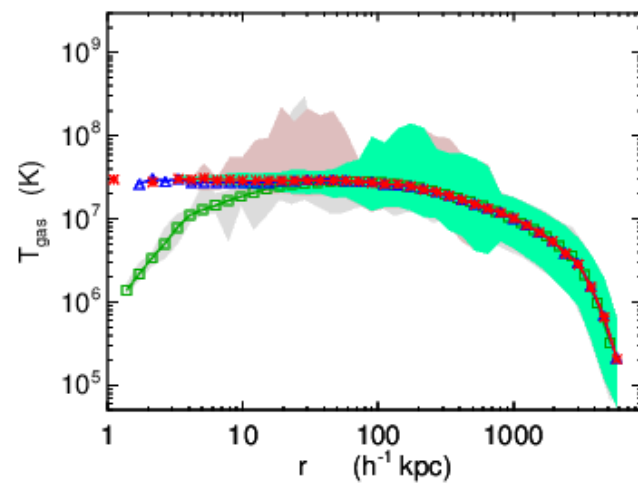
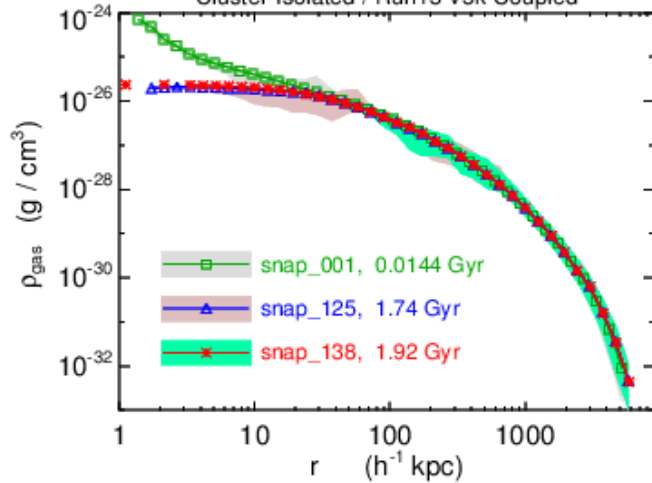
$$p_i = \frac{w_i \dot{M}_w \Delta t}{\rho}$$

- Consider coupling and decoupling of kicked wind particles from hydrodynamic interactions of remaining gas

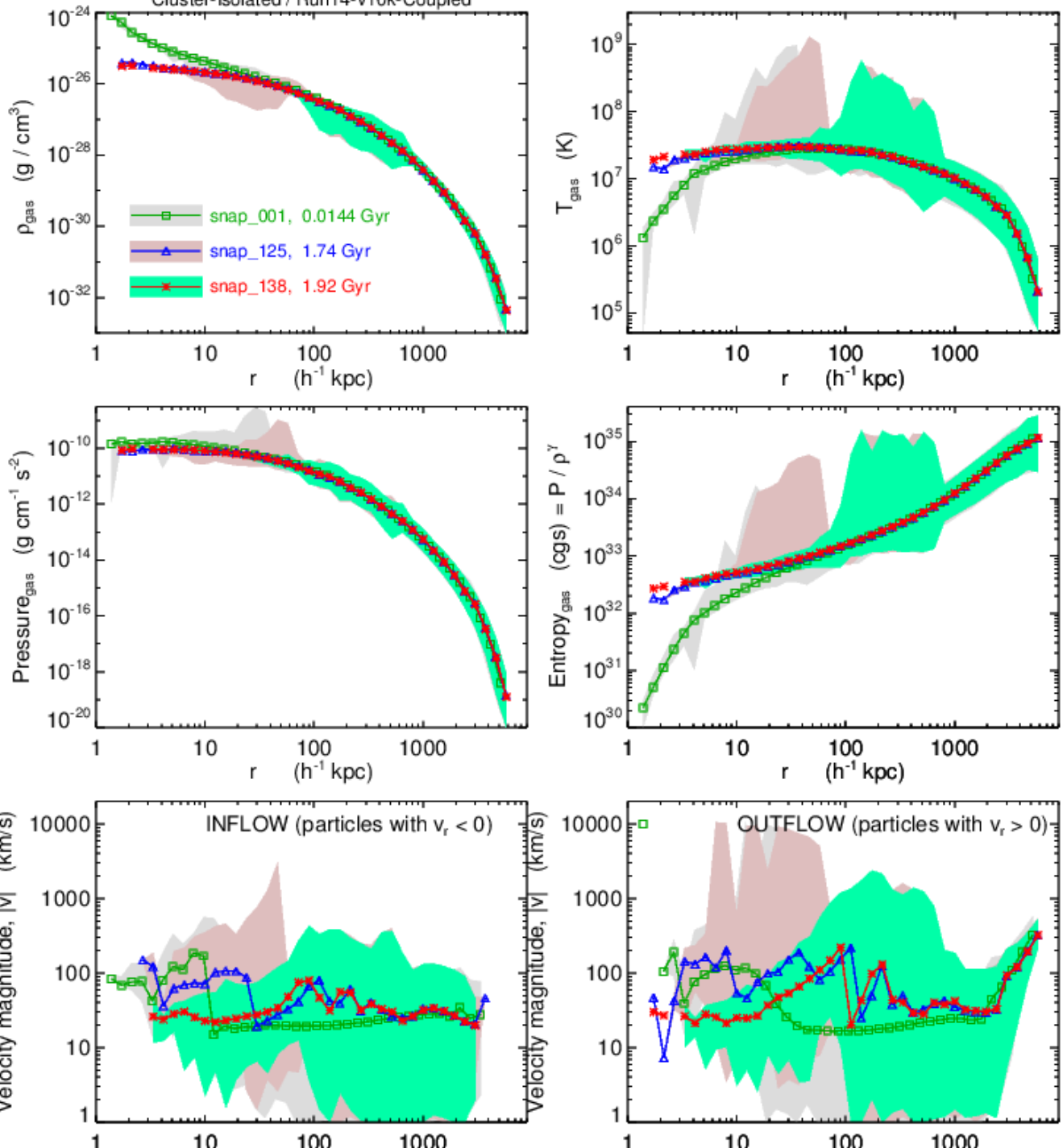


Run13-v5k- Coupled

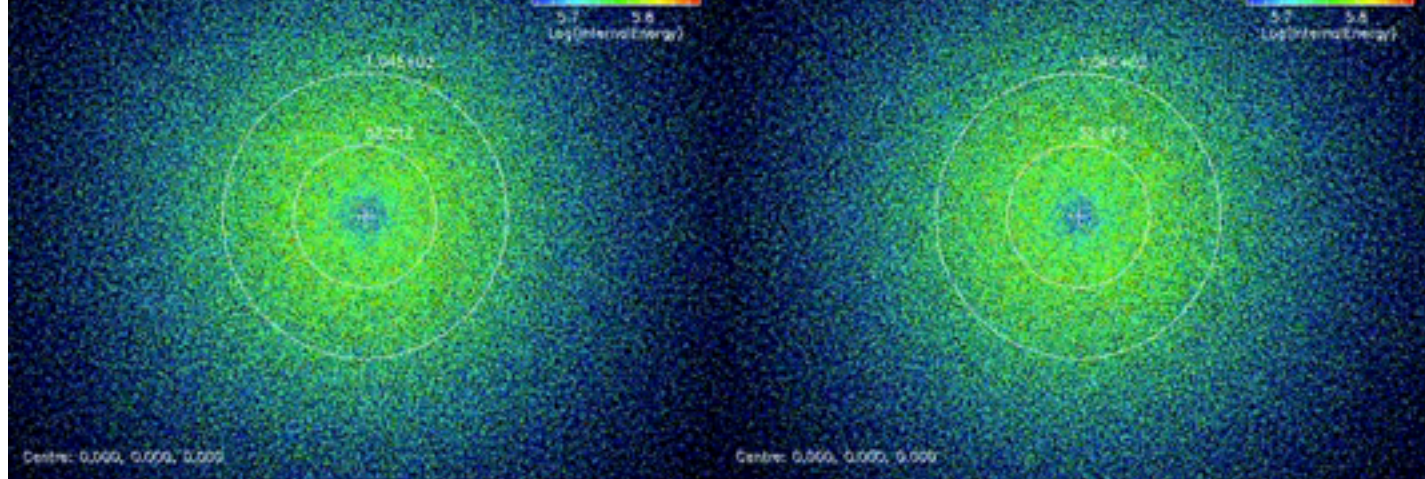




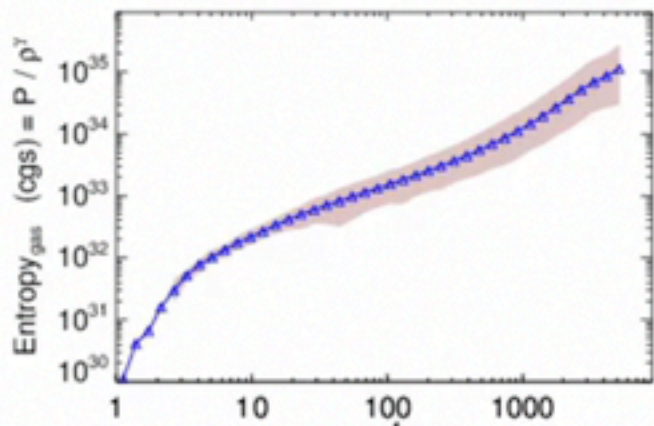
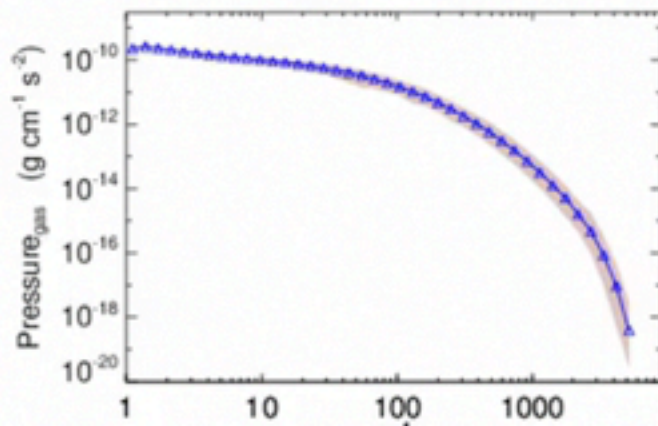
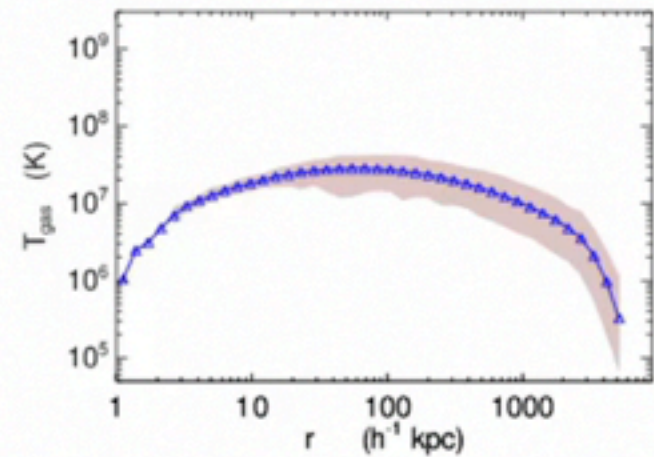
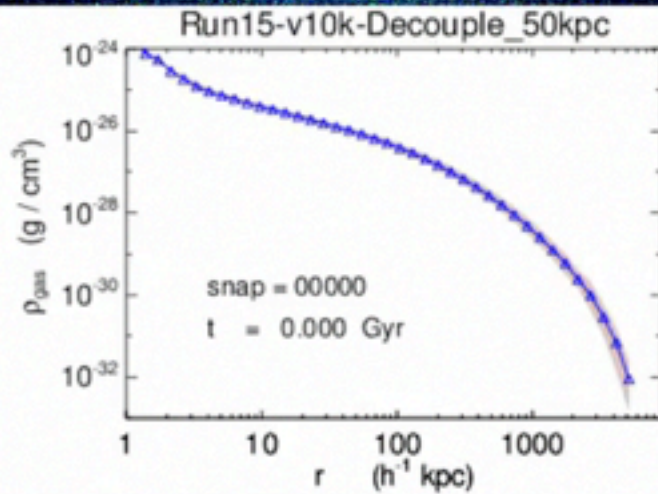
Run13-v5k-
Coupled

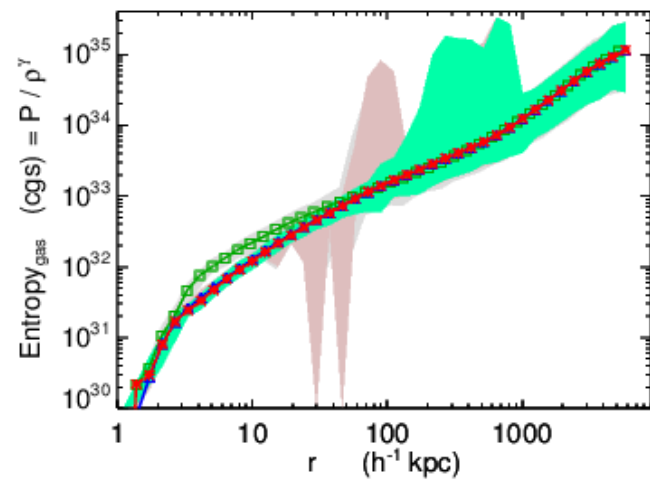
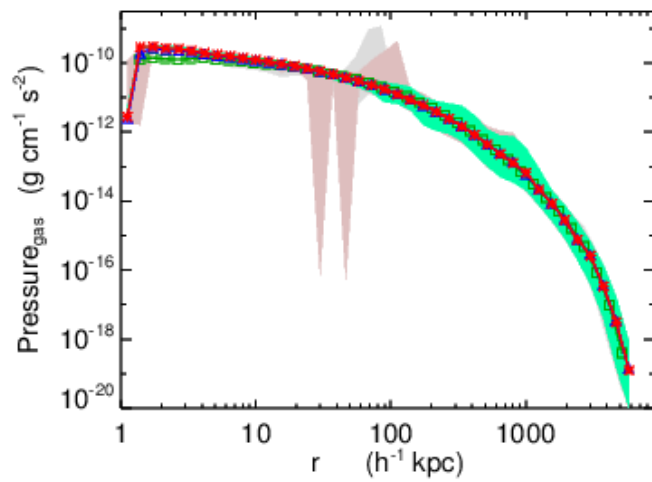
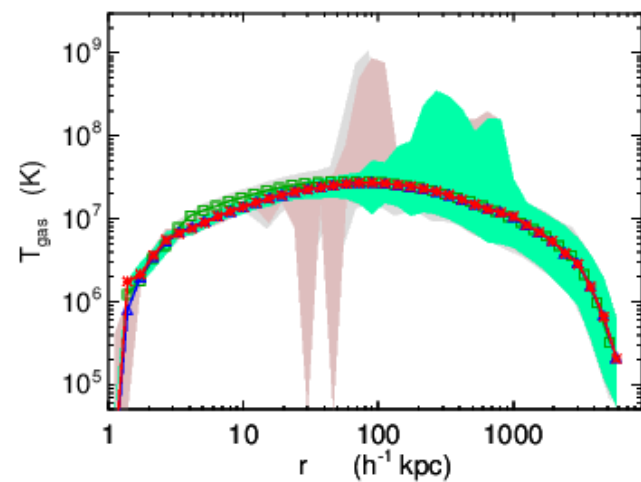
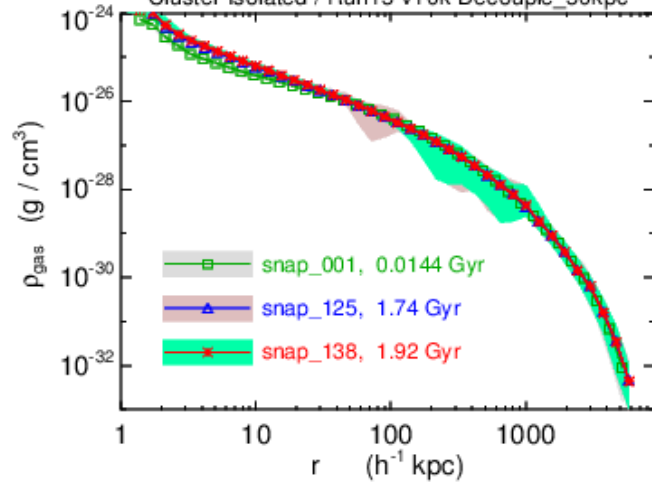


Run14-v10k-
Coupled

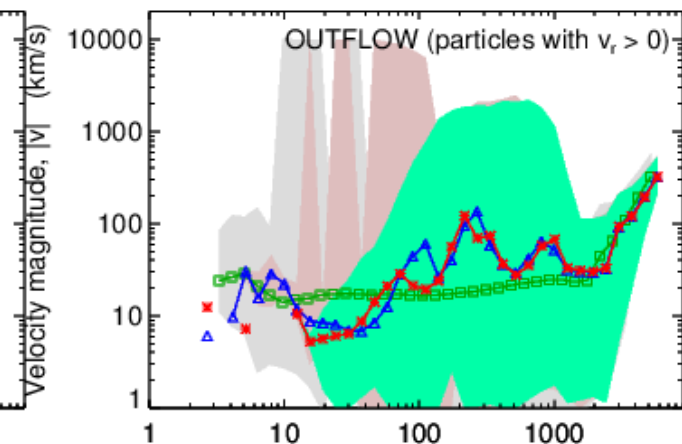
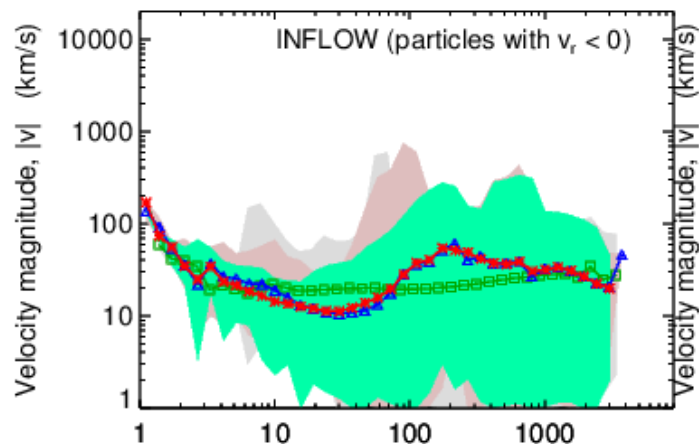


Run15-v10k-
Decouple_50kpc

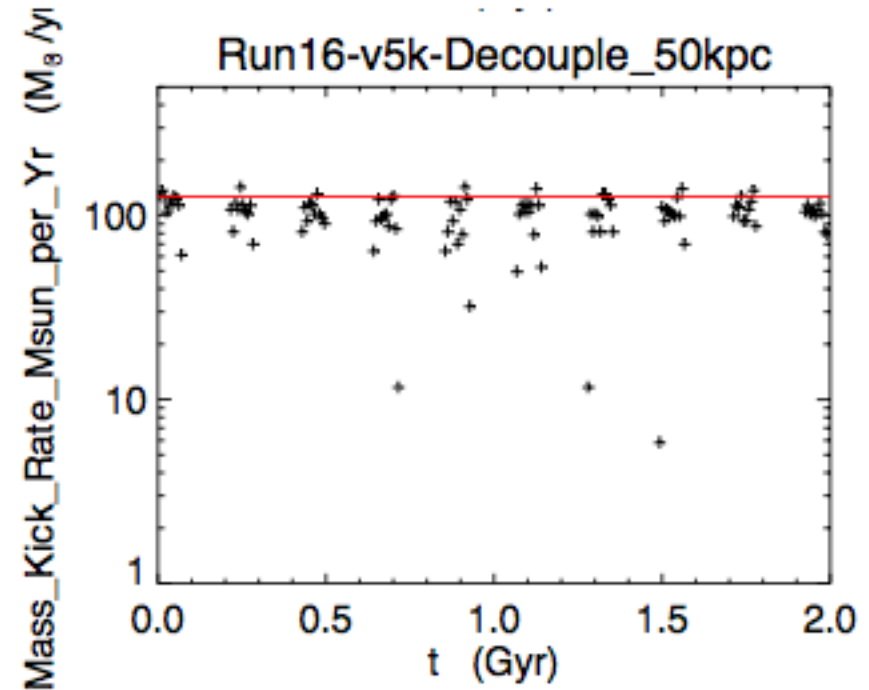
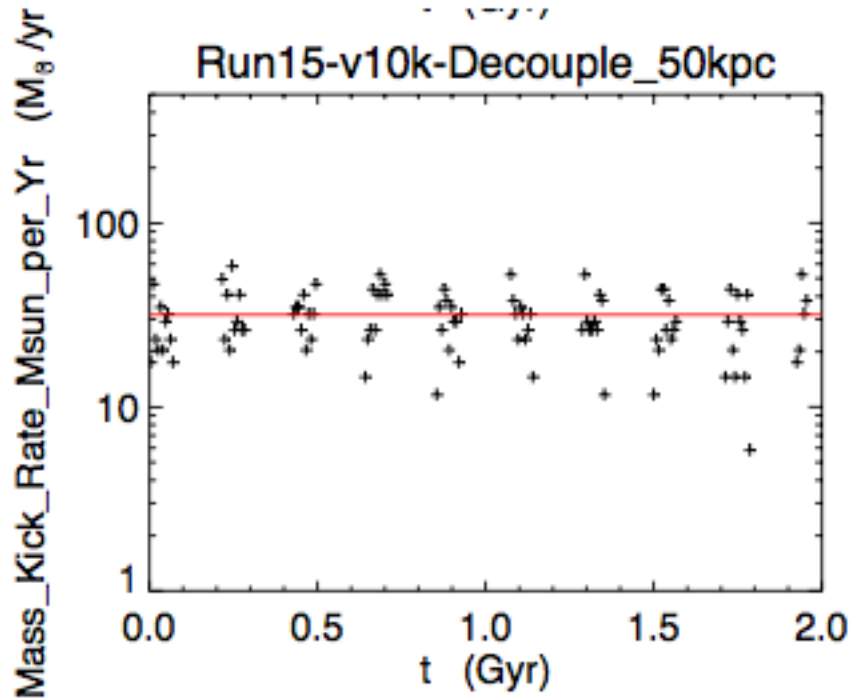




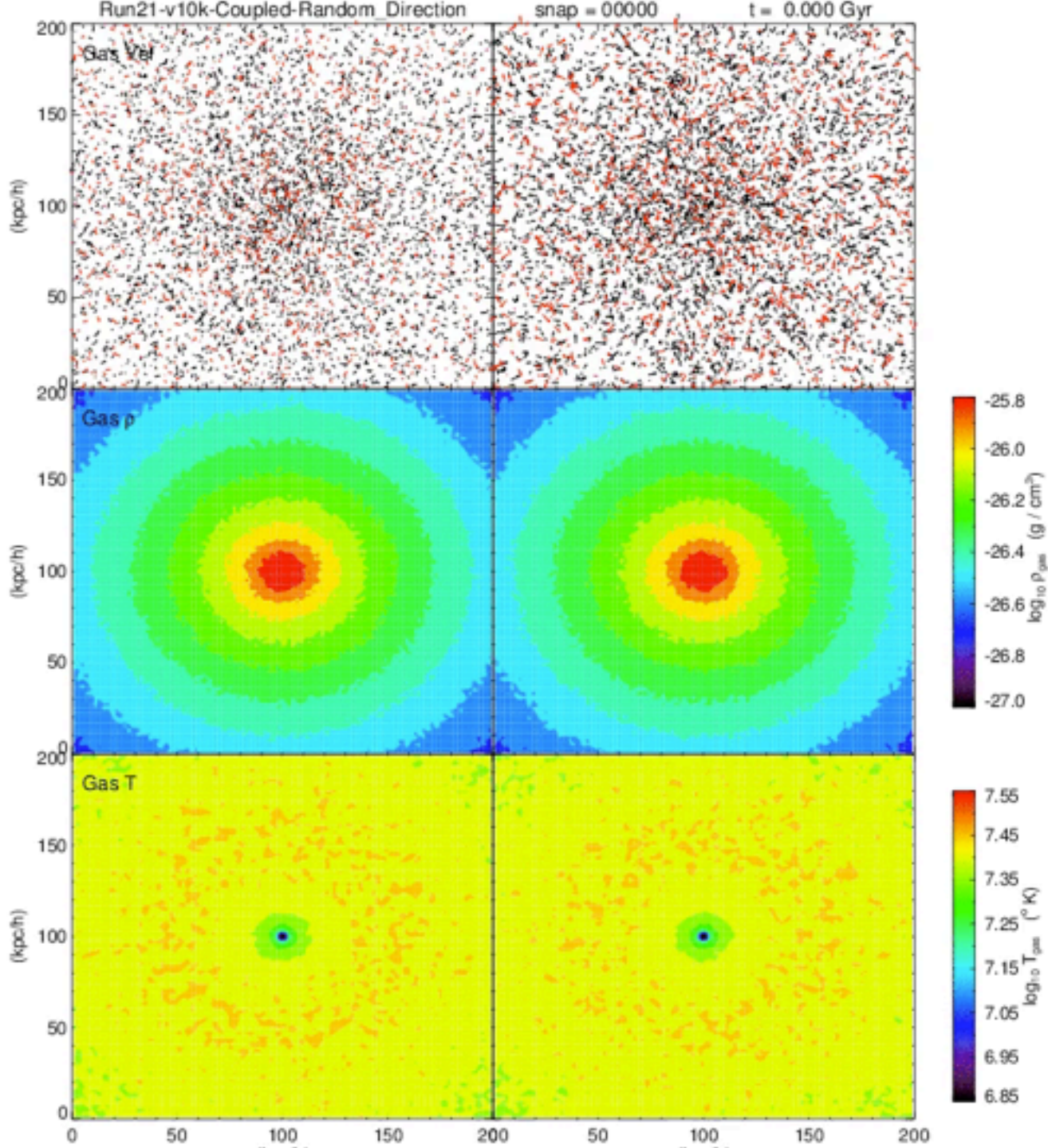
Run15-v10k-
Decouple_50kpc

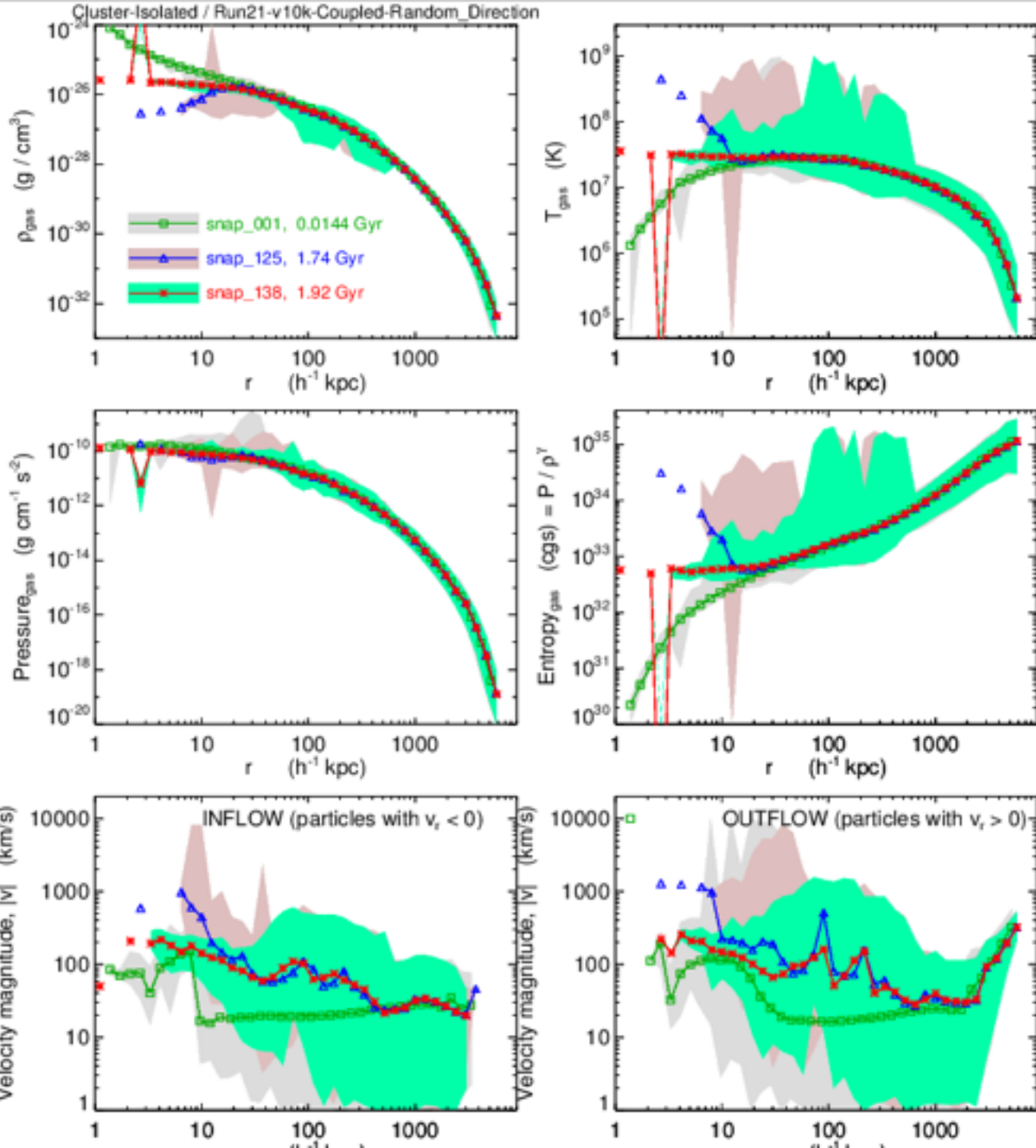


Analytical vs. Numerical Mass Kick Rate



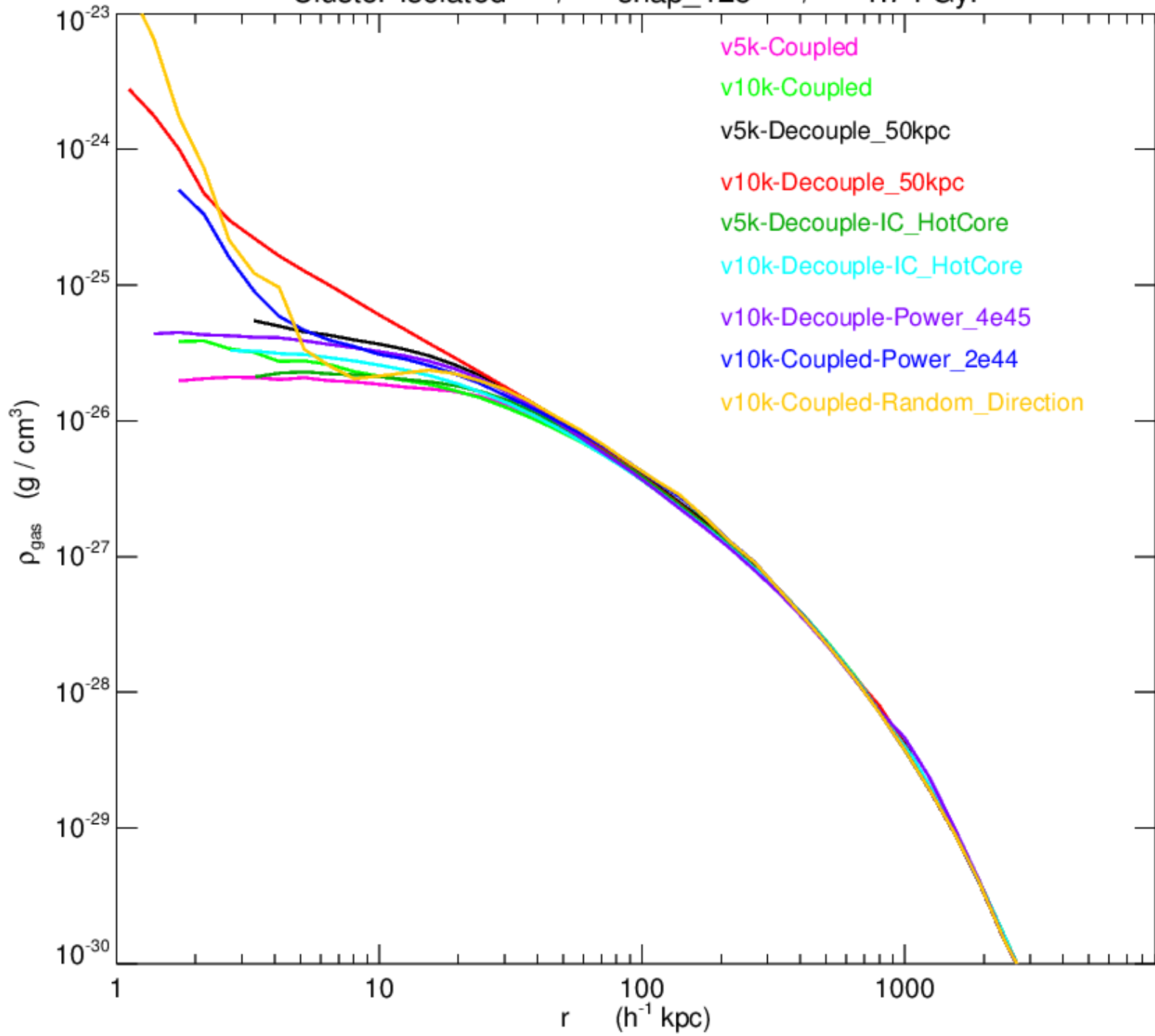
Run21-v10k-
Coupled-
Random_Direction
(between duty
cycles)



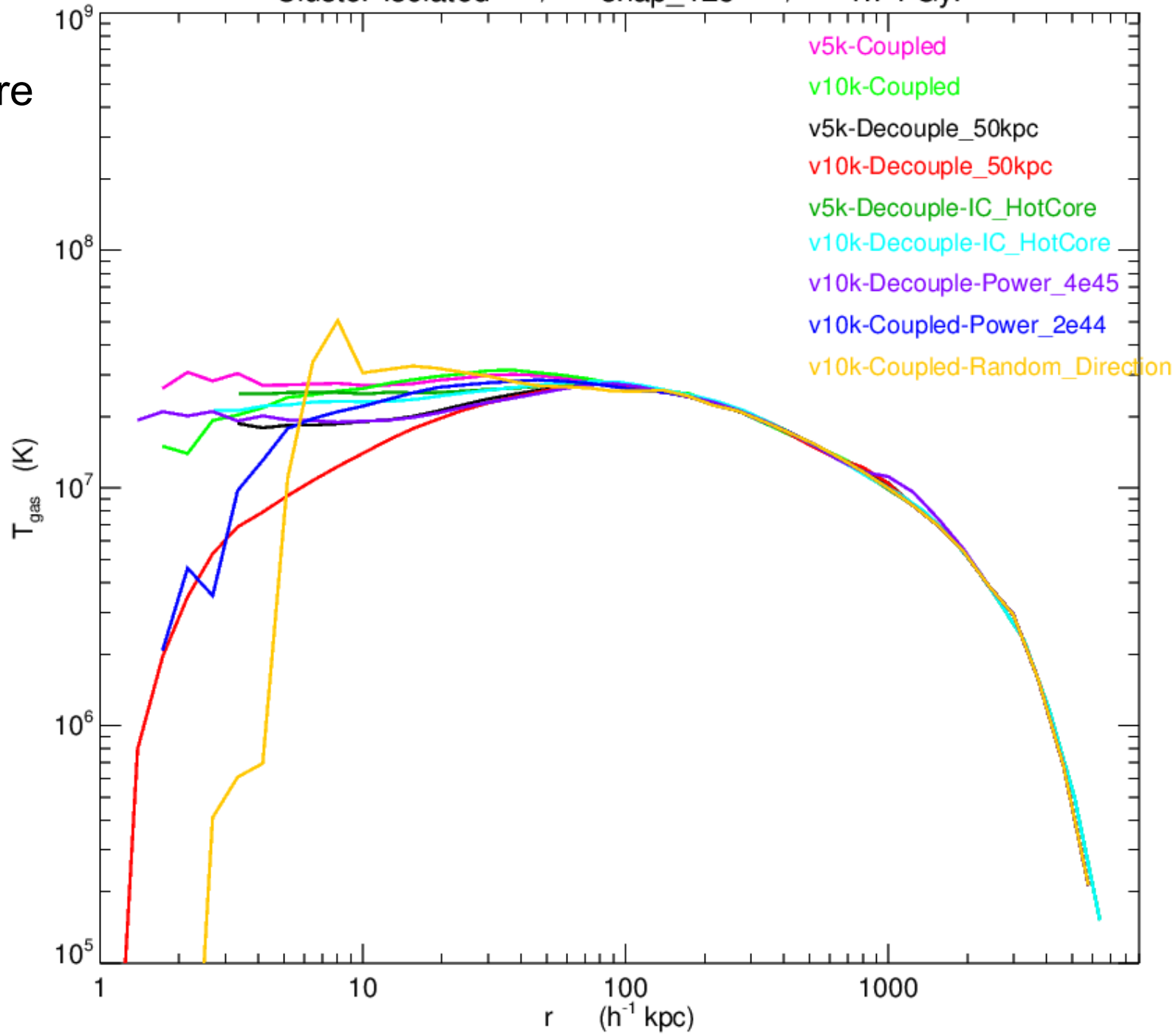


Run21-v10k-
Coupled-
Random_Direction

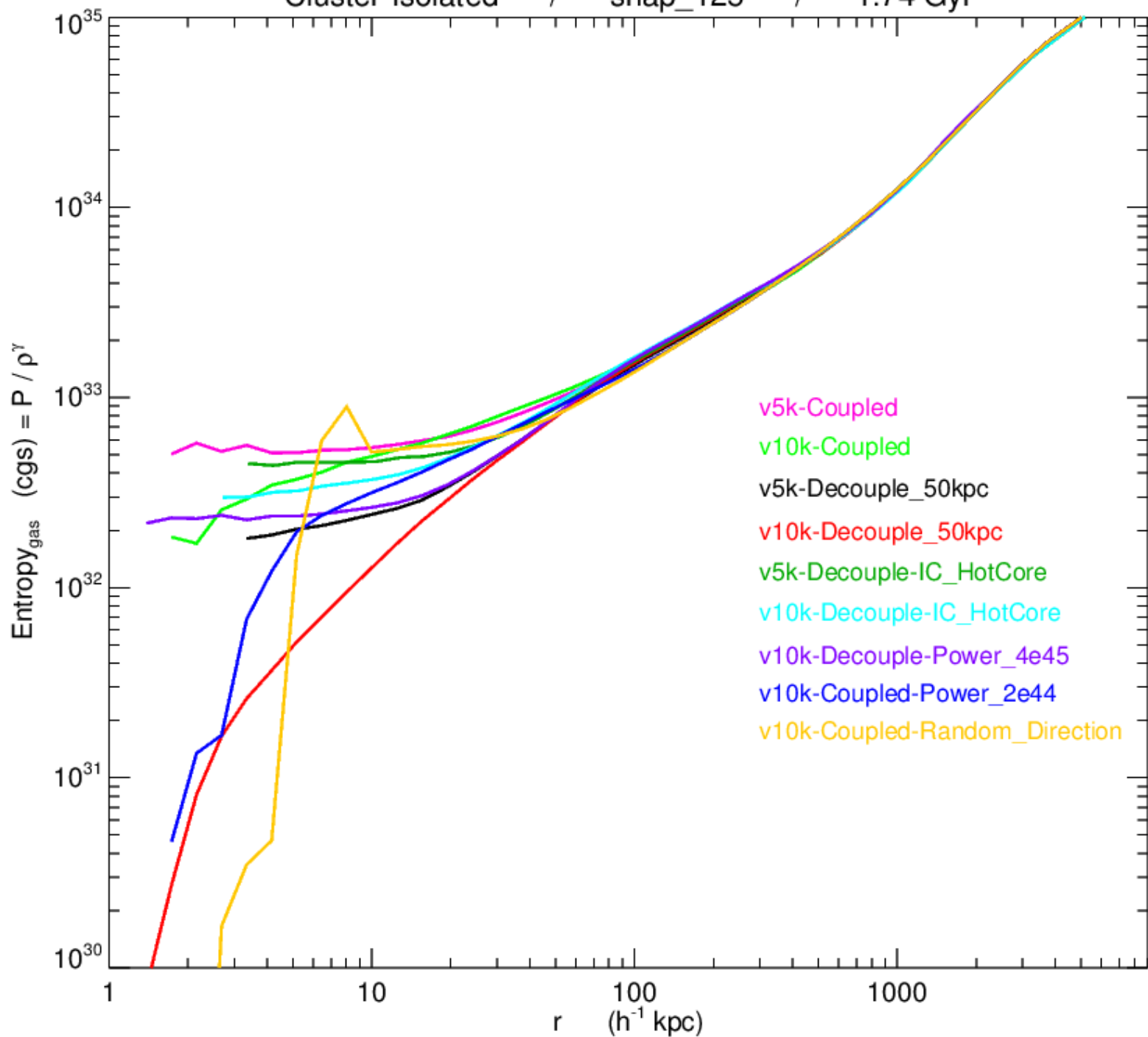
Density Profile



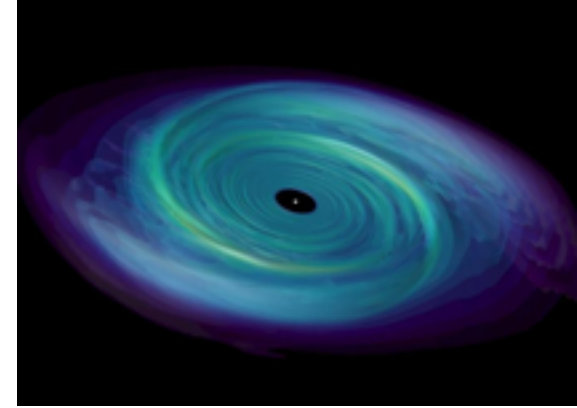
Temperature Profile



Entropy Profile

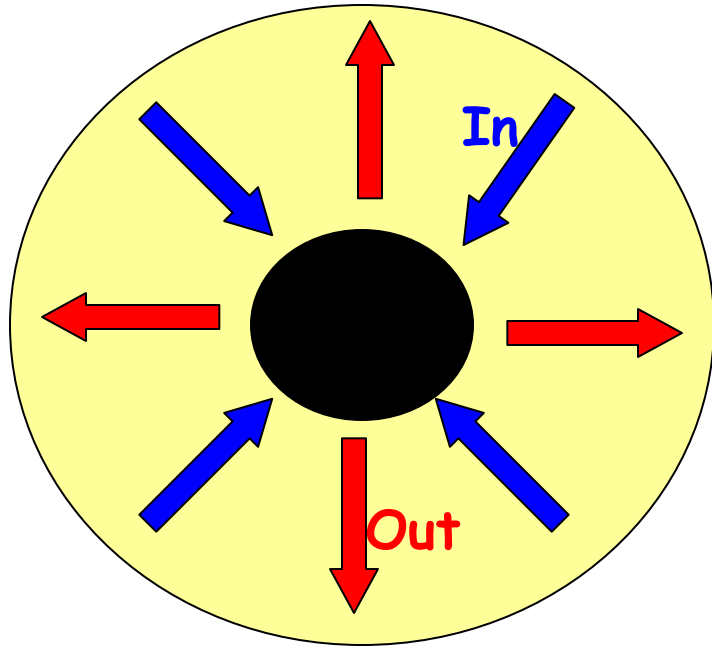


Accretion & Energy Feedback



$$\dot{M}_{Bondi}^{\ll} = \alpha (4\pi G^2) \frac{M_{BH}^2 \rho_{\infty}}{(c_{s,\infty}^2 + v^2)^{3/2}}$$

$\alpha = 100$



$$L_{Edd} = \frac{4\pi G M_{BH} m_p c}{\sigma_T} = \epsilon_r \dot{M}_{Edd}^{\ll} c^2$$

- Bondi-Hoyle-Lyttleton rate
- Limited to the Eddington rate
- Fraction of the accreted mass energy is radiated away

$$\dot{M}_{BH}^{\ll} = \min(\dot{M}_{Bondi}^{\ll}, \dot{M}_{Edd}^{\ll})$$

$$L_r = \epsilon_r \dot{M}_{BH}^{\ll} c^2$$

$$\epsilon_r = 0.1$$

$$\dot{E}_{feed}^{\ll} = \epsilon_f L_r$$

$\epsilon_f = \text{Feedback Efficiency}$

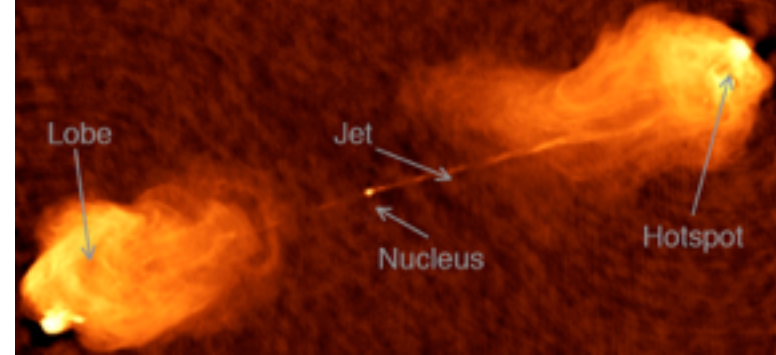
- Radiatively efficient accretion (Shakura & Sunyaev 1973)
- Some of the radiated energy is fed back & coupled to the surroundings

Kinetic Feedback

- Energy-driven wind :

$$\frac{1}{2} \dot{M}_w v_w^2 = \dot{E}_{feed}$$

$$\dot{M}_w = 2 \epsilon_f \epsilon_r \frac{c^2}{v_w^2} \dot{M}_{BH}$$



Free Parameters : ϵ_f
 $v_w = \text{Wind Velocity} = (2.5, 5, 10) \times 10^3 \text{ km/s}$

- Probabilistic method for kicking gas particles around BH

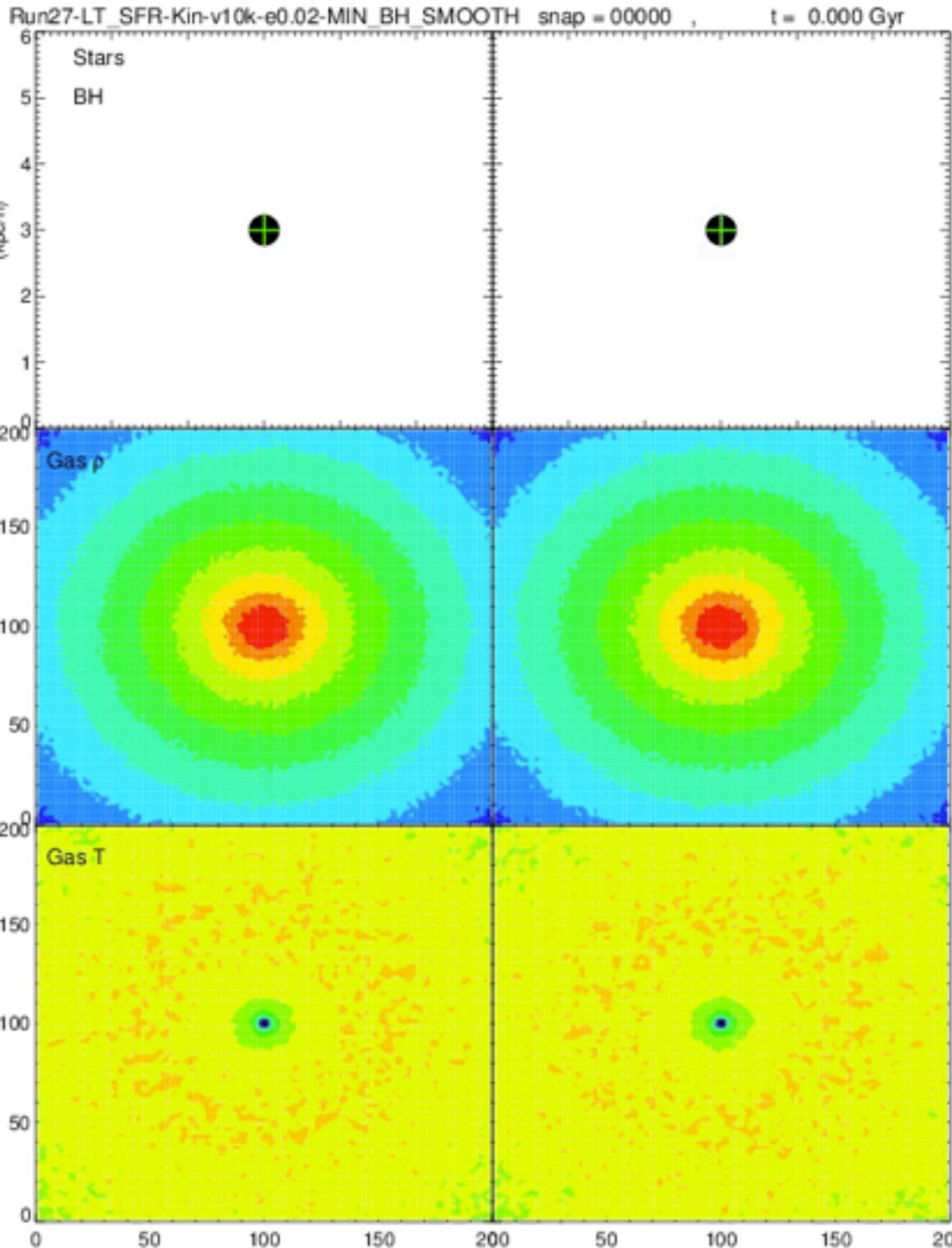
$$p_i = \frac{w_i \dot{M}_w \Delta t}{\rho}$$

- New particle velocity

$$v_{new} = v_{old} + v_w \dot{n}$$

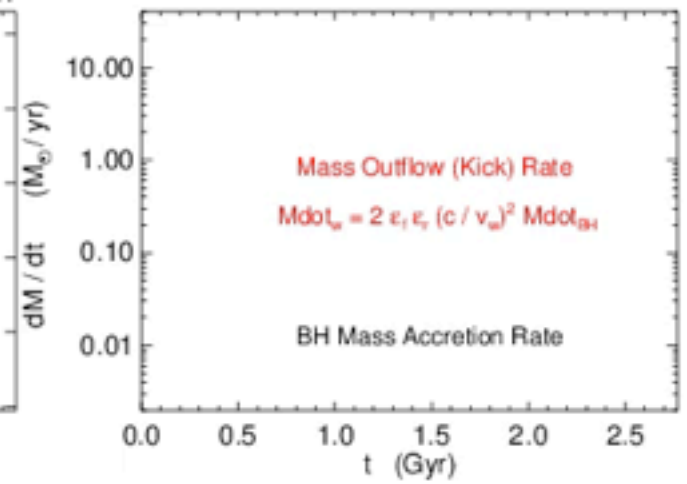
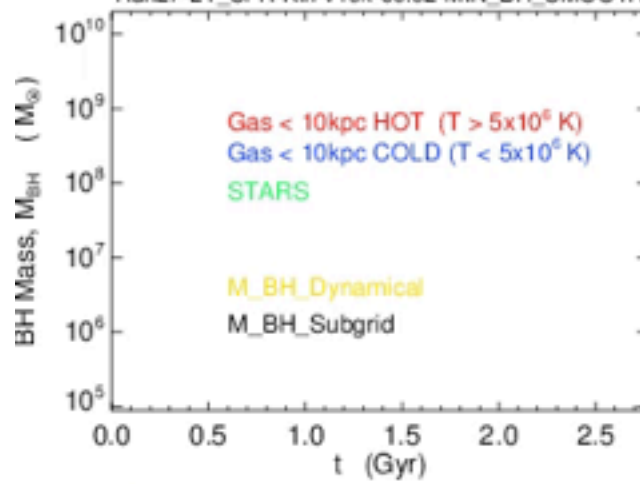
r
 $n \rightarrow \text{fixed}$

- Wind particles always coupled to hydrodynamic interactions

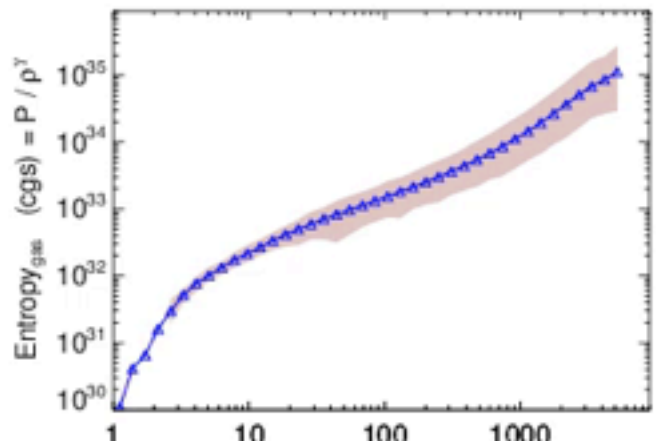
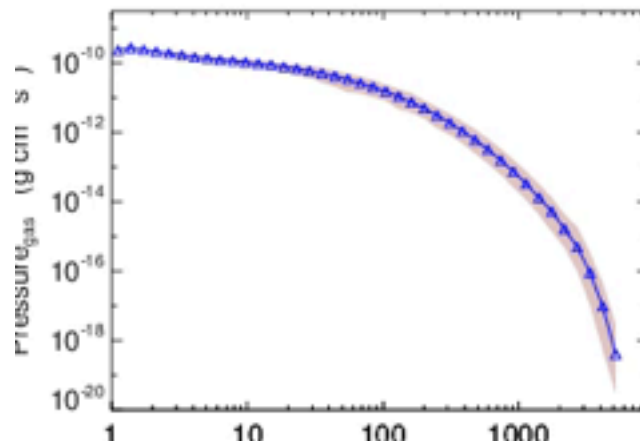
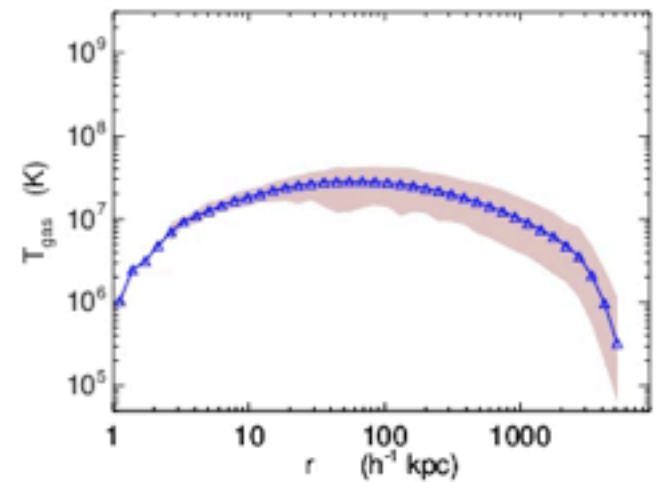
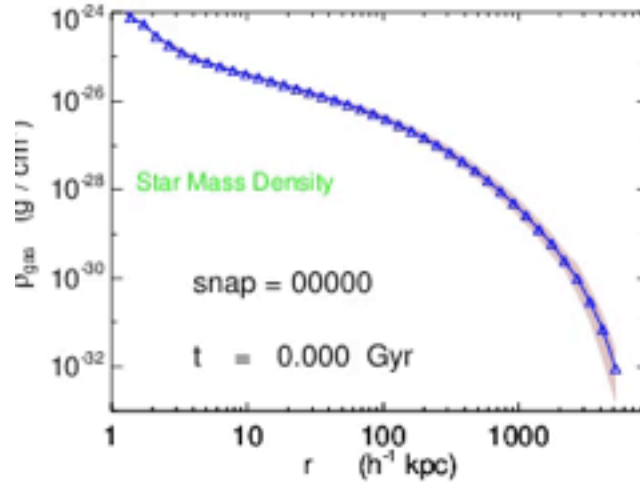


Run27-LT_SFR-
Kin-v10k-e0.02

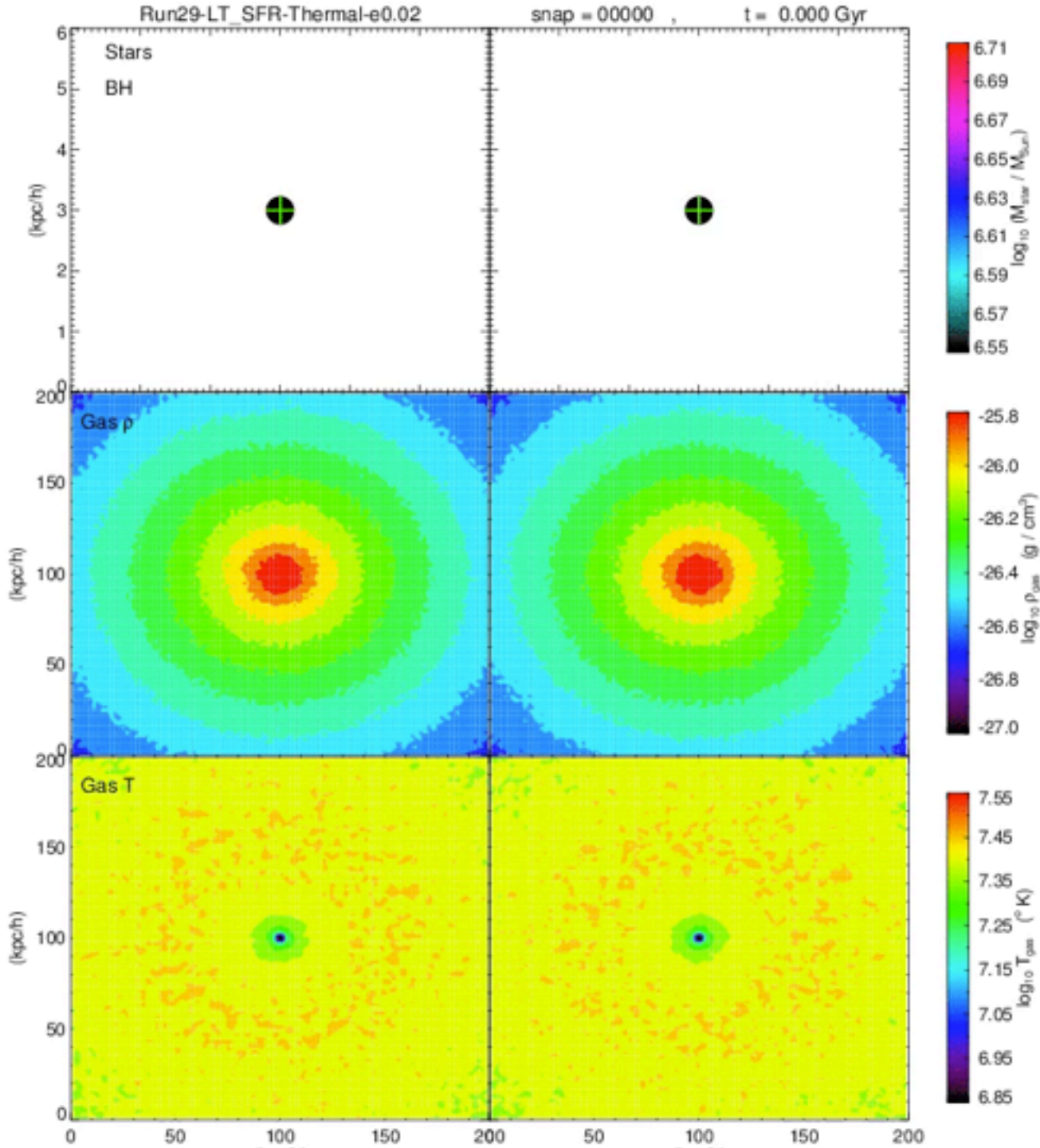
29-Jun-15



Run27-LT_SFR-
Kin-v10k-e0.02

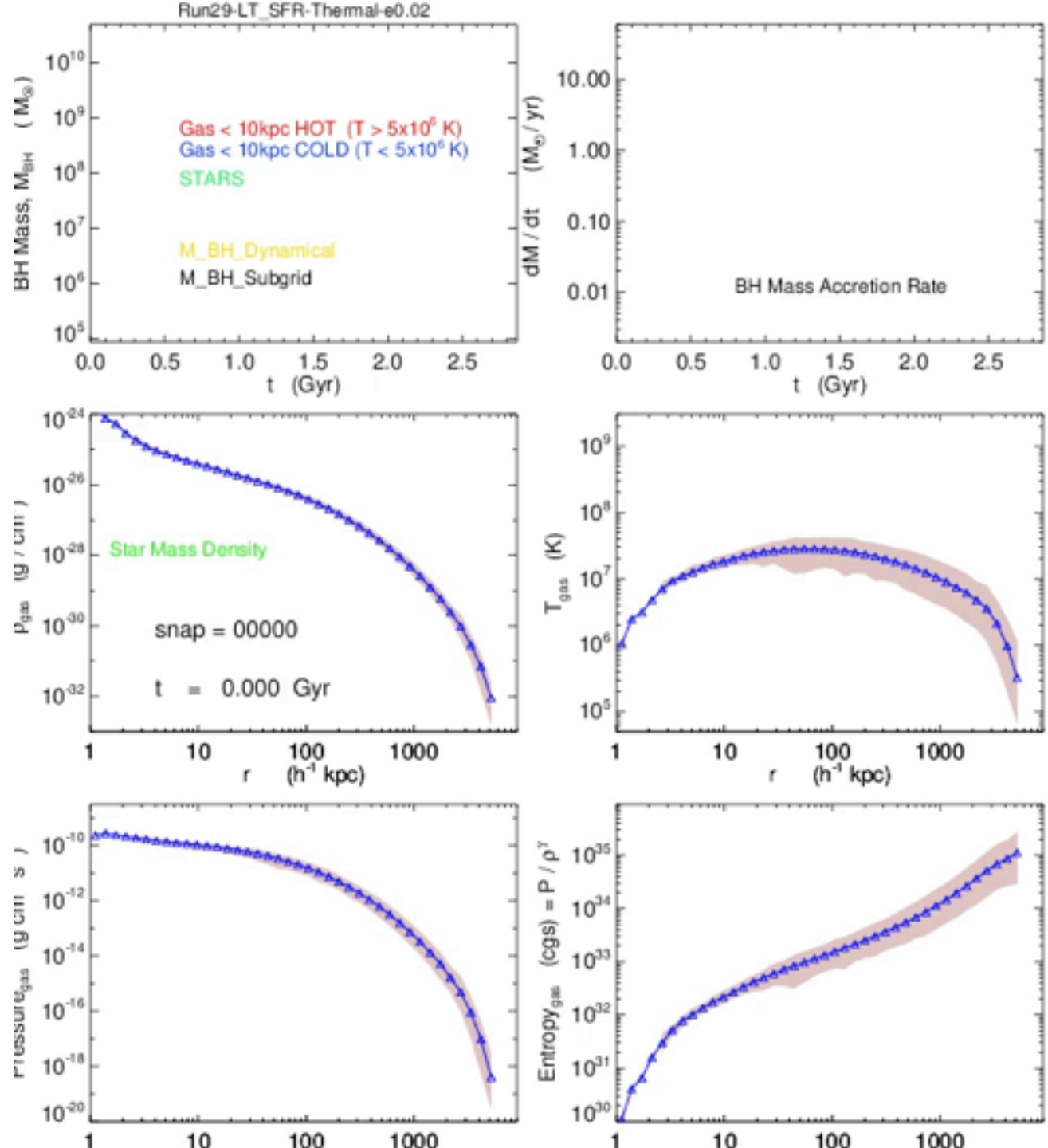


Run29-LT_SFR-
Thermal-e0.02

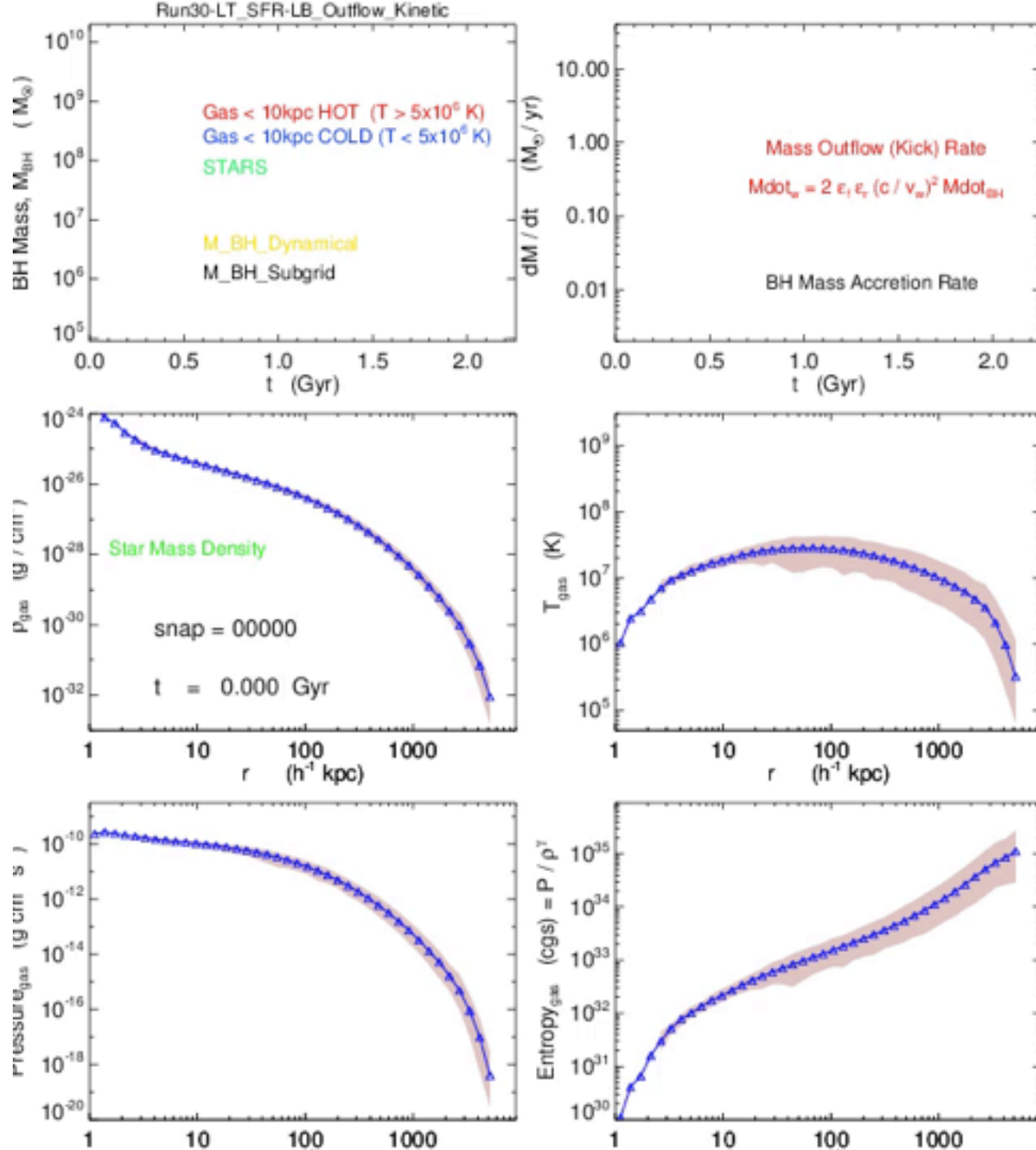


29-Jun-15

Run29-LT_SFR-
Thermal-e0.02



Run30-LT_SFR-LB_Outflow_Kinetic

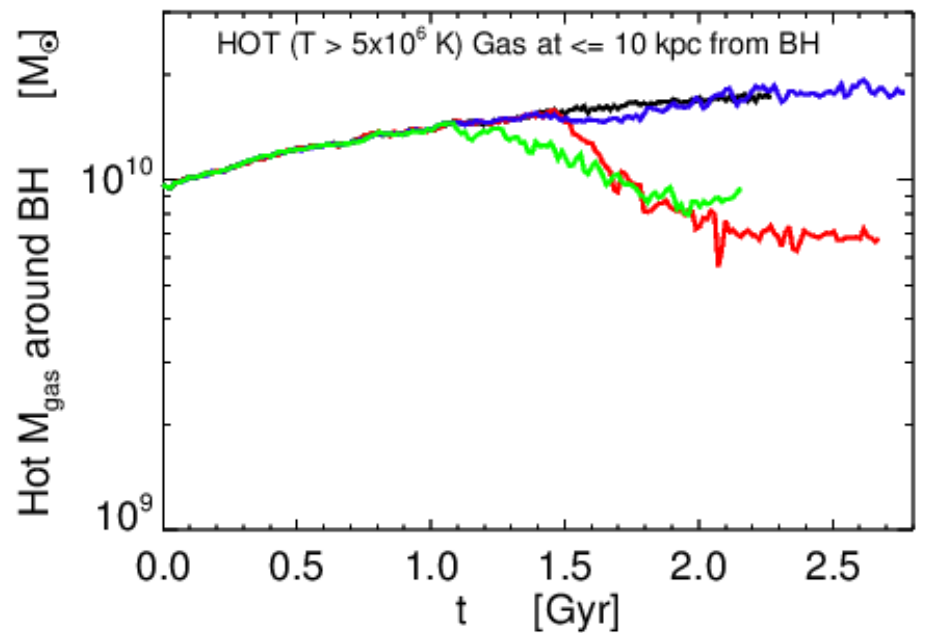
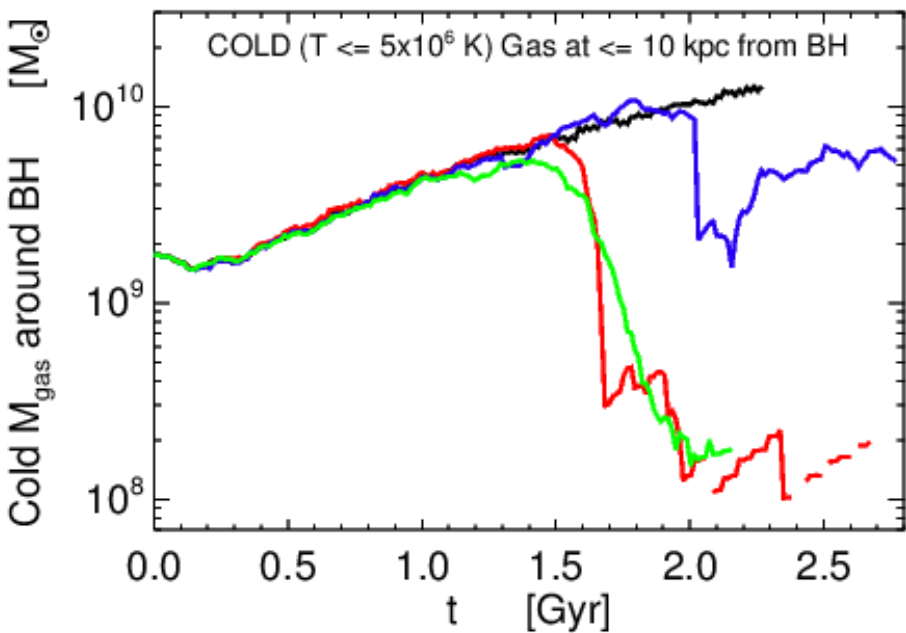
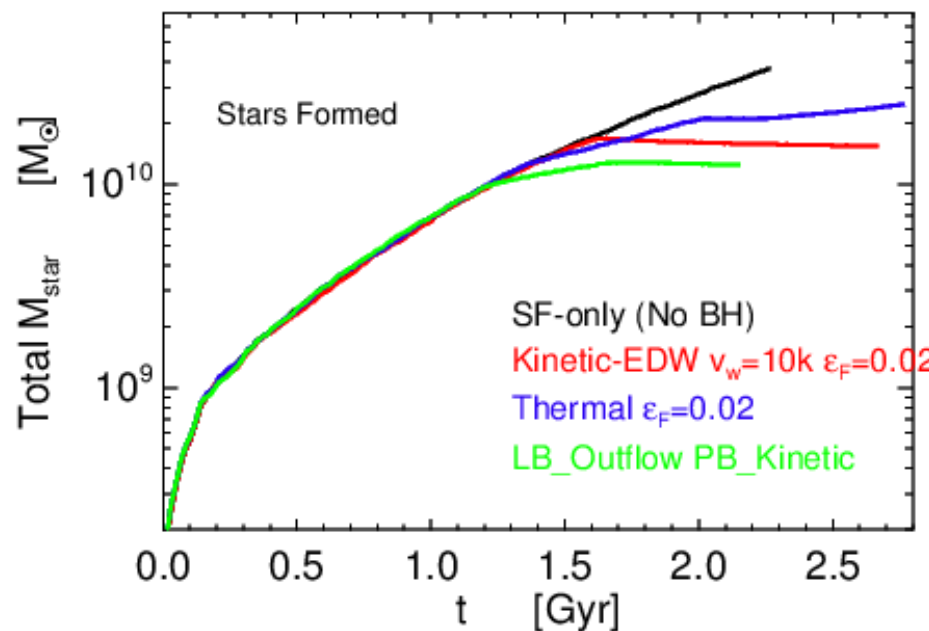
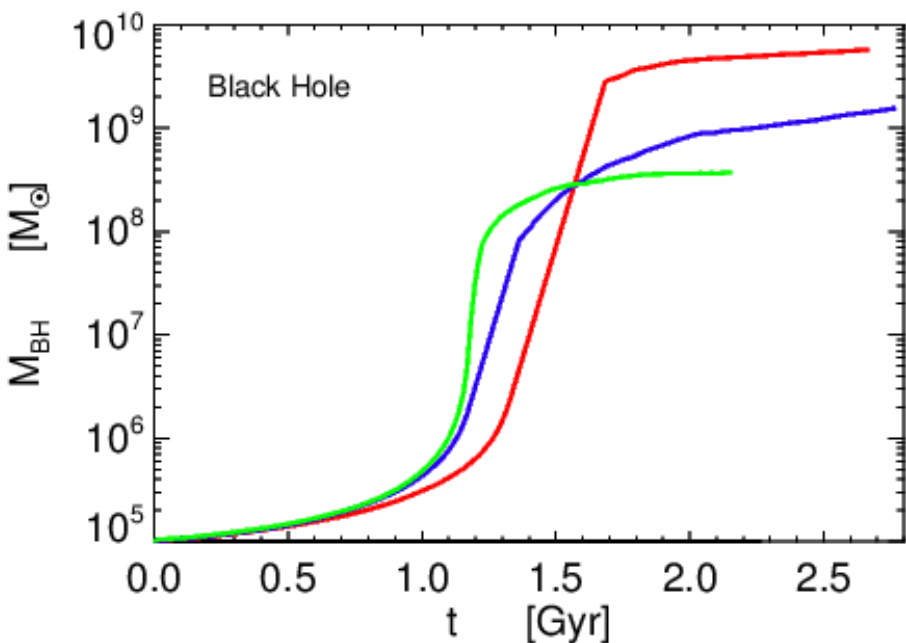


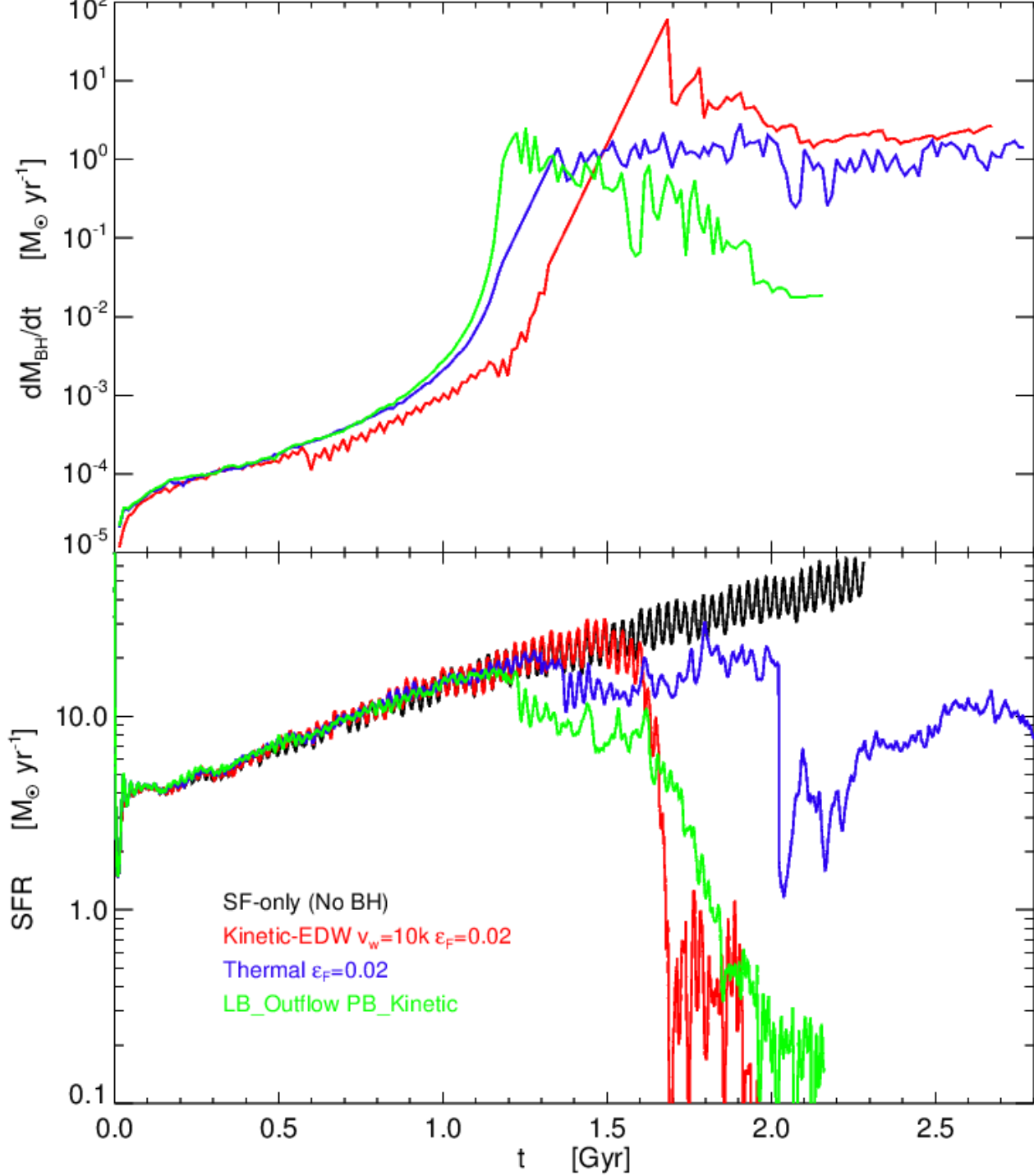
BH Mass Growth

- BH grows at Eddington accretion rate, from a certain time
 - Exponential mass growth with time

$$L_{Edd} = \frac{4\pi G M_{BH} m_p c}{\sigma_T} = \epsilon_r \dot{M}_{BH,Edd} c^2$$
$$\Rightarrow M_{BH} \sim e^{factor * t}$$

- BH mass saturates, when the surrounding gas density has dropped
- Slow mass growth subsequently





Summary

- BH kinetic feedback in Gadget-3 cluster simulations
 - Kick velocity predicts T , entropy deviation at shock
 - Cool-core heated with 5000 km/s kick, coupled or decoupled
 - 10000 km/s kick, decoupled wind
 - Cool-core remains cold
 - Hot-core remains hot
 - BH growth and resulting feedback depends on way of coupling the energy to the surrounding gas
 - Same eps_f gives different results with various methods
- Future
- Cosmological simulations
 - Thermal feedback in Quasar-mode & Kinetic feedback in Radio-mode