

The structure of molecular clouds and their influence on star formation

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with

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Charles Lada, CfA, Harvard

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Fact 1

Stars form within dense
molecular clouds





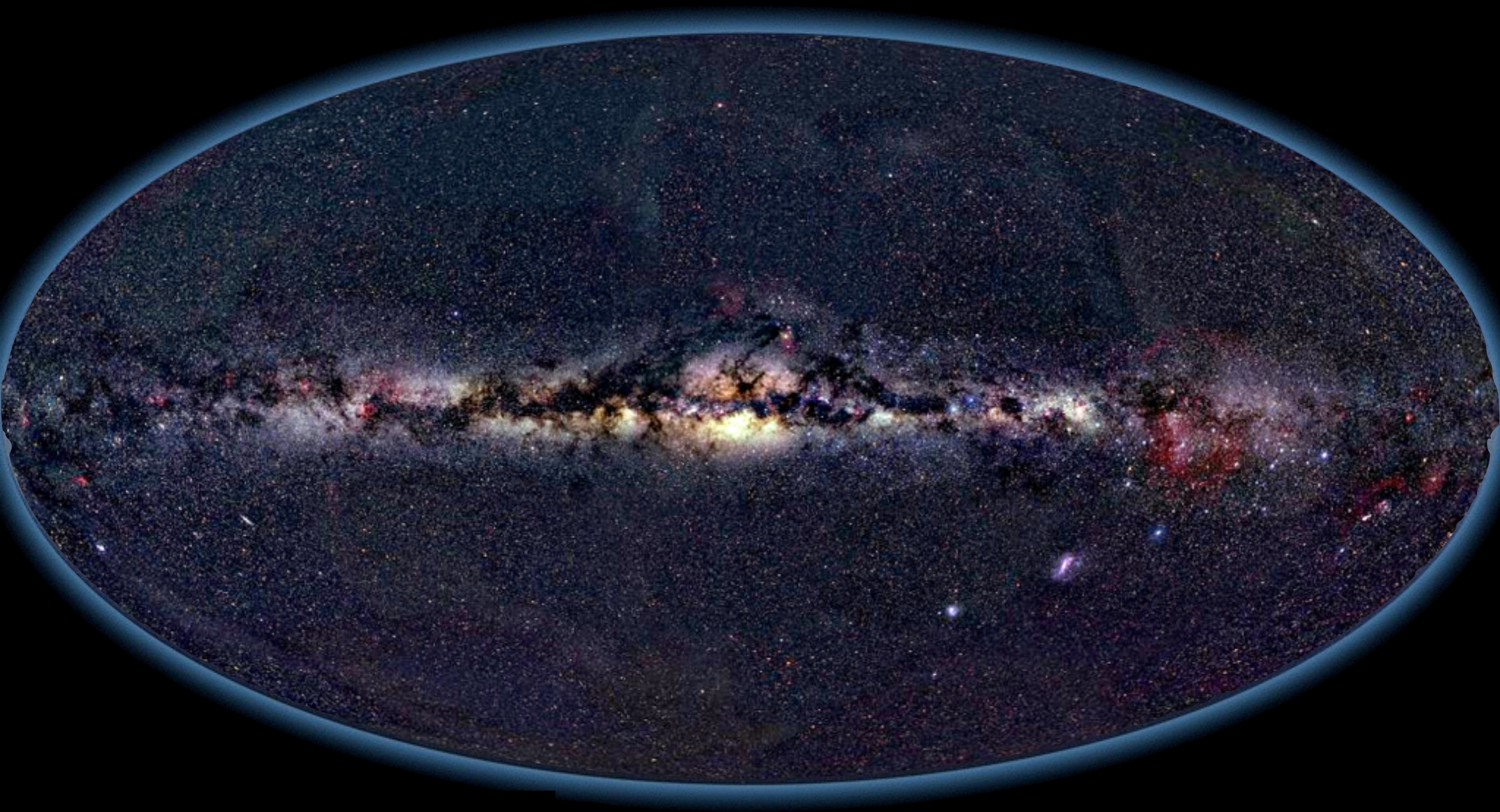
Fact 2

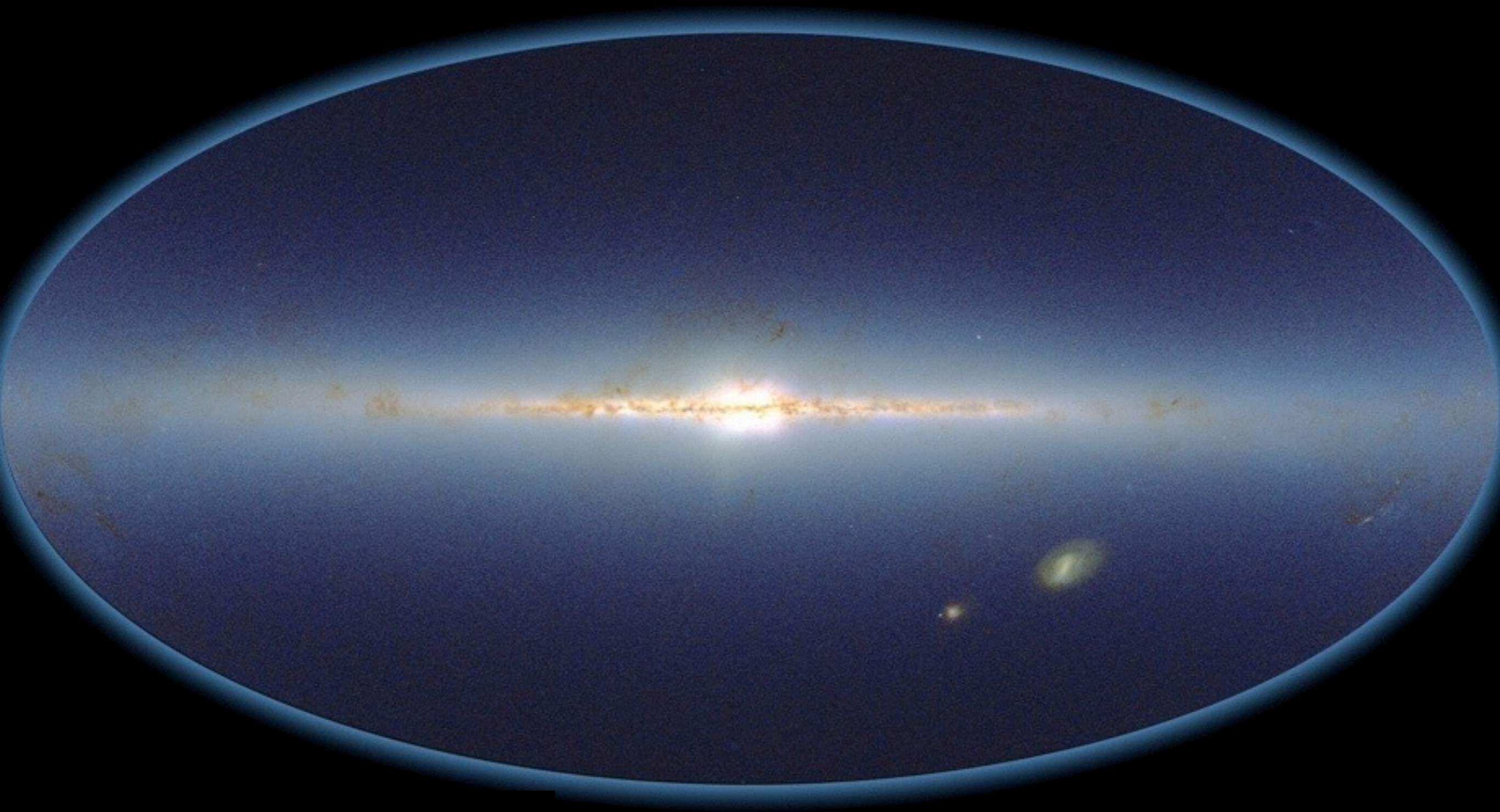
Star formation is a
complex process





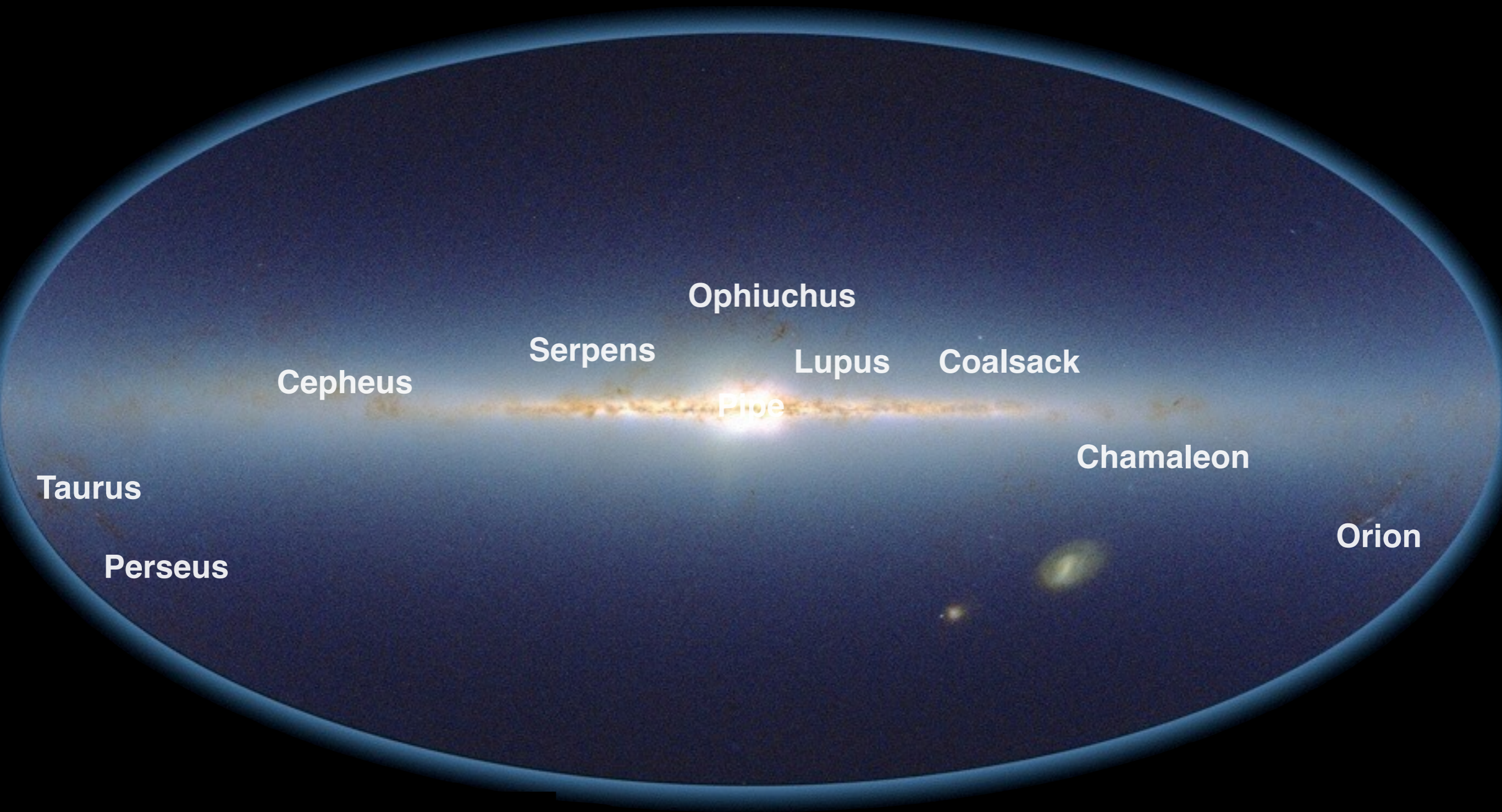
Molecular clouds in the Milky Way





2MASS

Gould belt





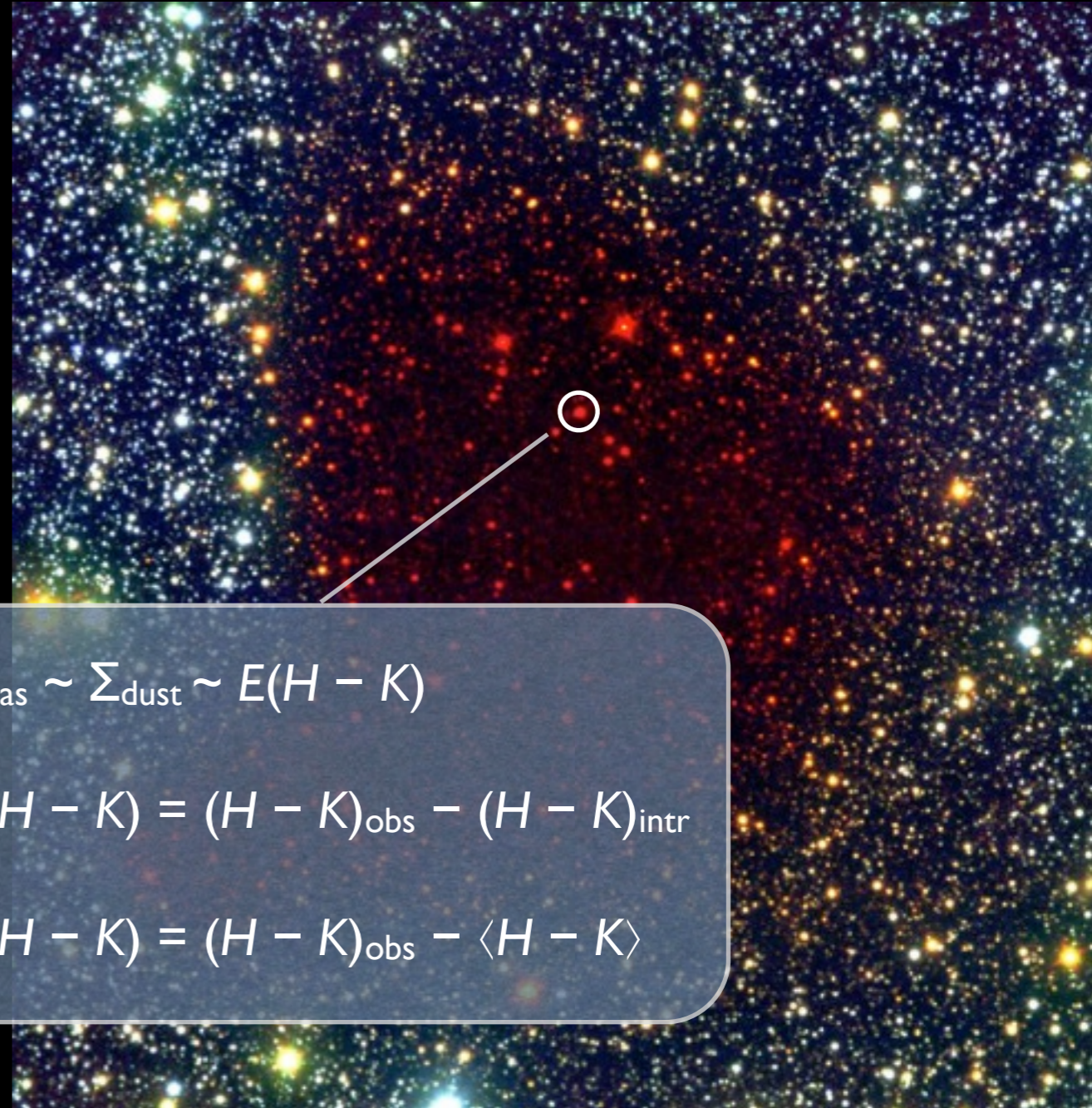
VLT (BVI)

VLT + NTT (BIK)

NICER



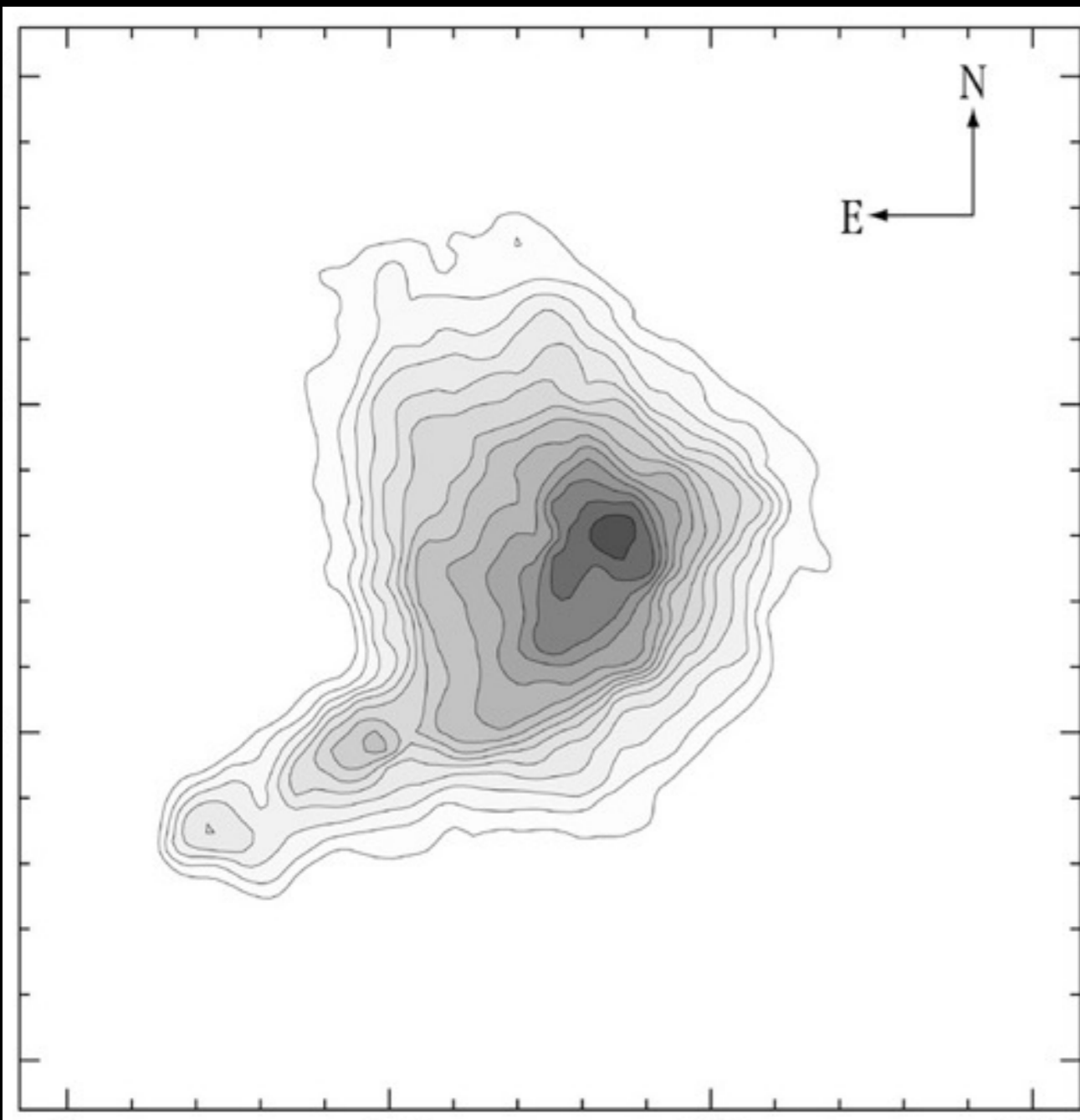
VLT (BVI)



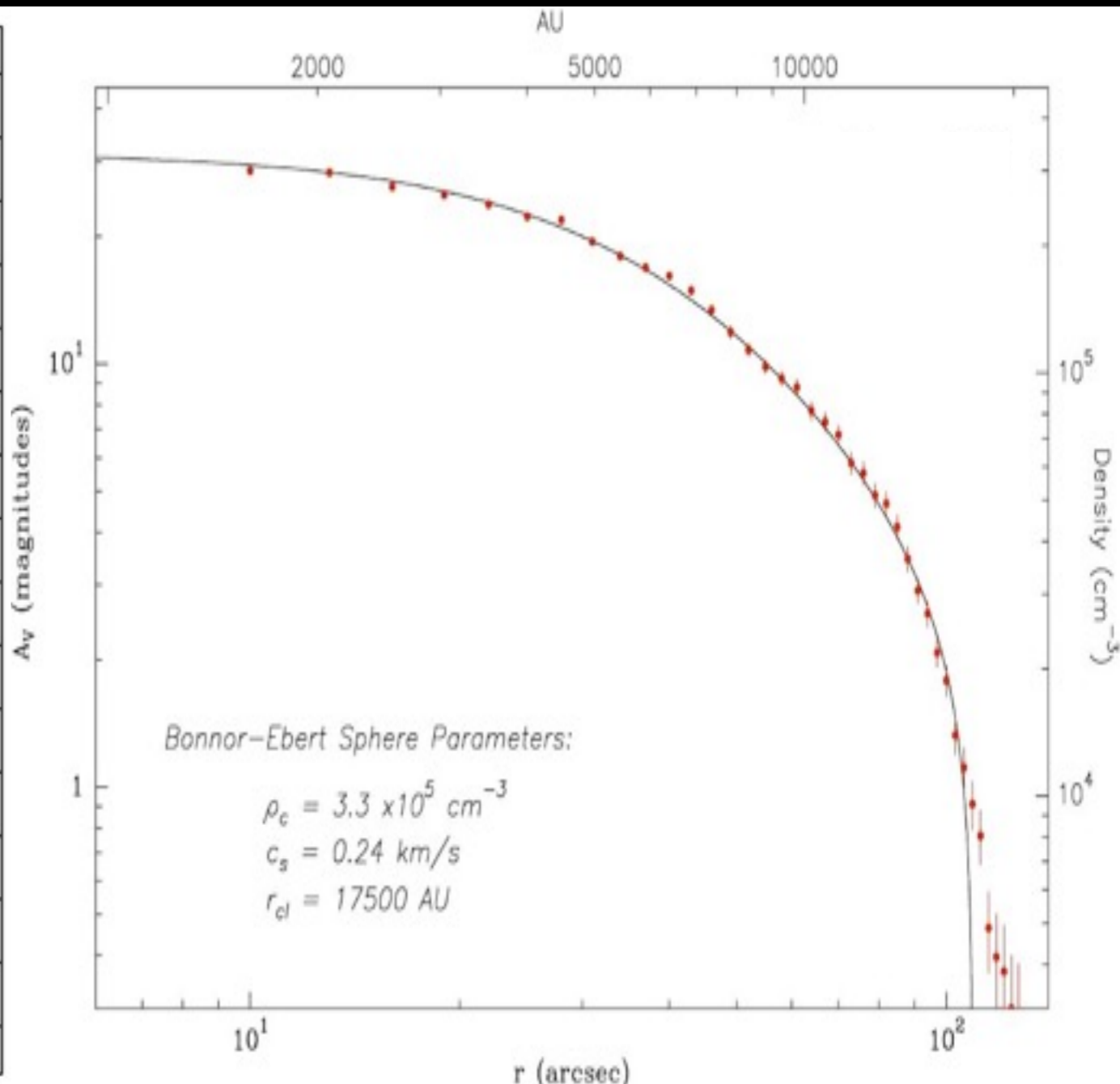
VLT + NTT (BIK)

$$\Sigma_{\text{gas}} \sim \Sigma_{\text{dust}} \sim E(H - K)$$
$$E(H - K) = (H - K)_{\text{obs}} - (H - K)_{\text{intr}}$$
$$E(H - K) = (H - K)_{\text{obs}} - \langle H - K \rangle$$

Bonnor 68



VLT (BVI)



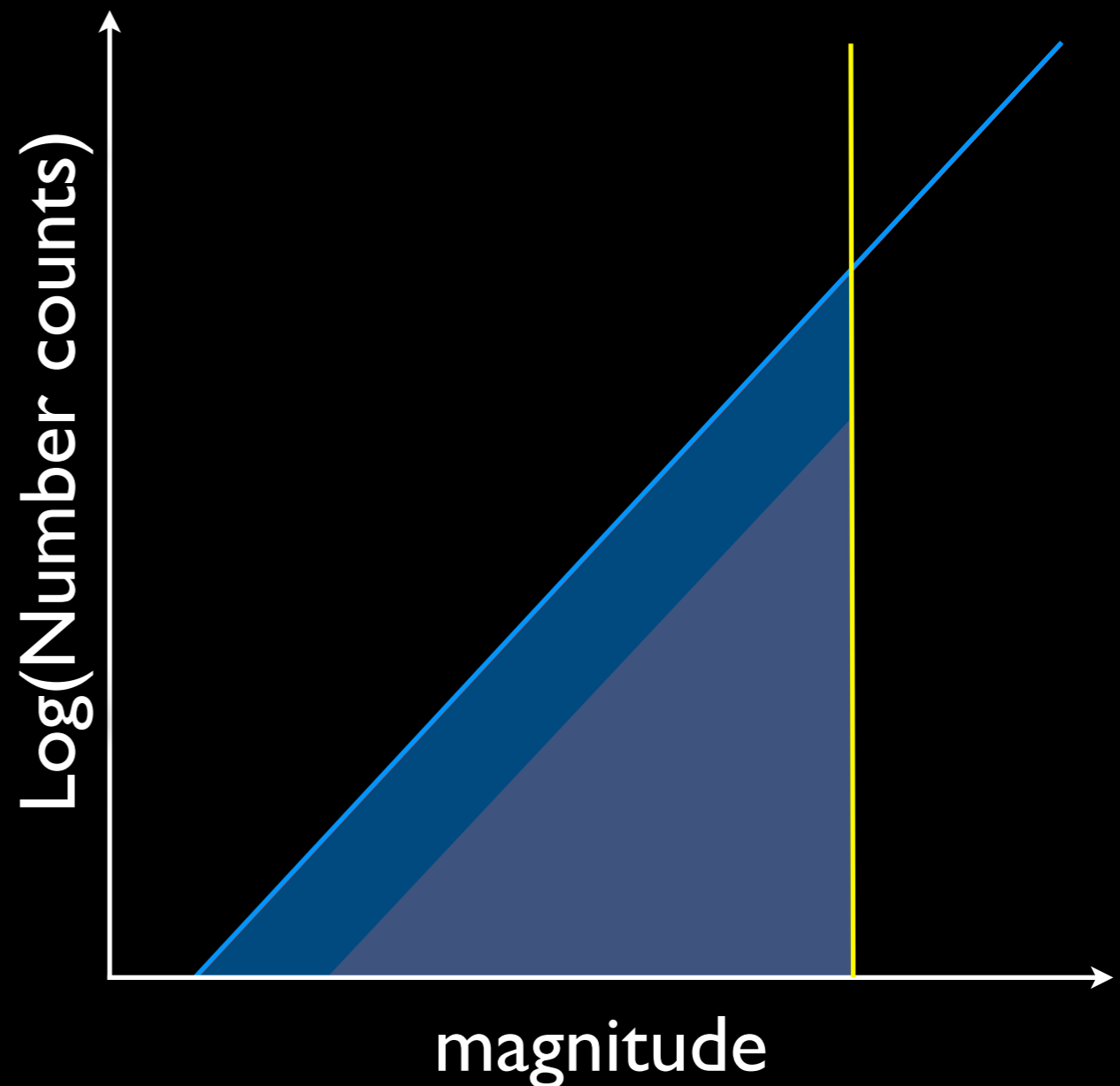
VLT + NTT (BIK)

Bonnor 68



A bias and its solution

- Star number counts follow a power law
- Extinction shifts the number counts line: we observe less stars
- Unresolved structures bias the extinction low



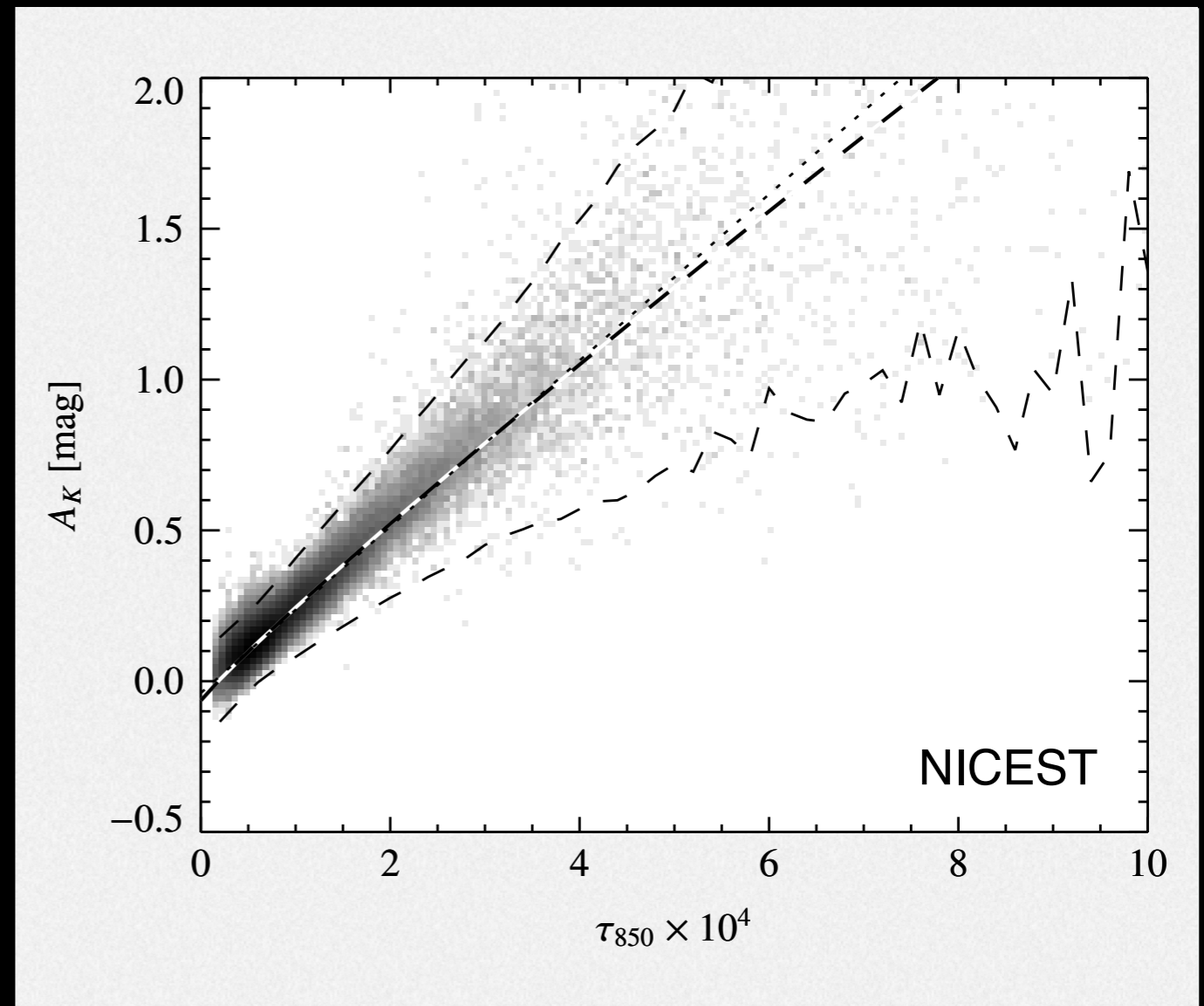
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- Solution: weight each star by its extinction (NICEST, Lombardi 2009)



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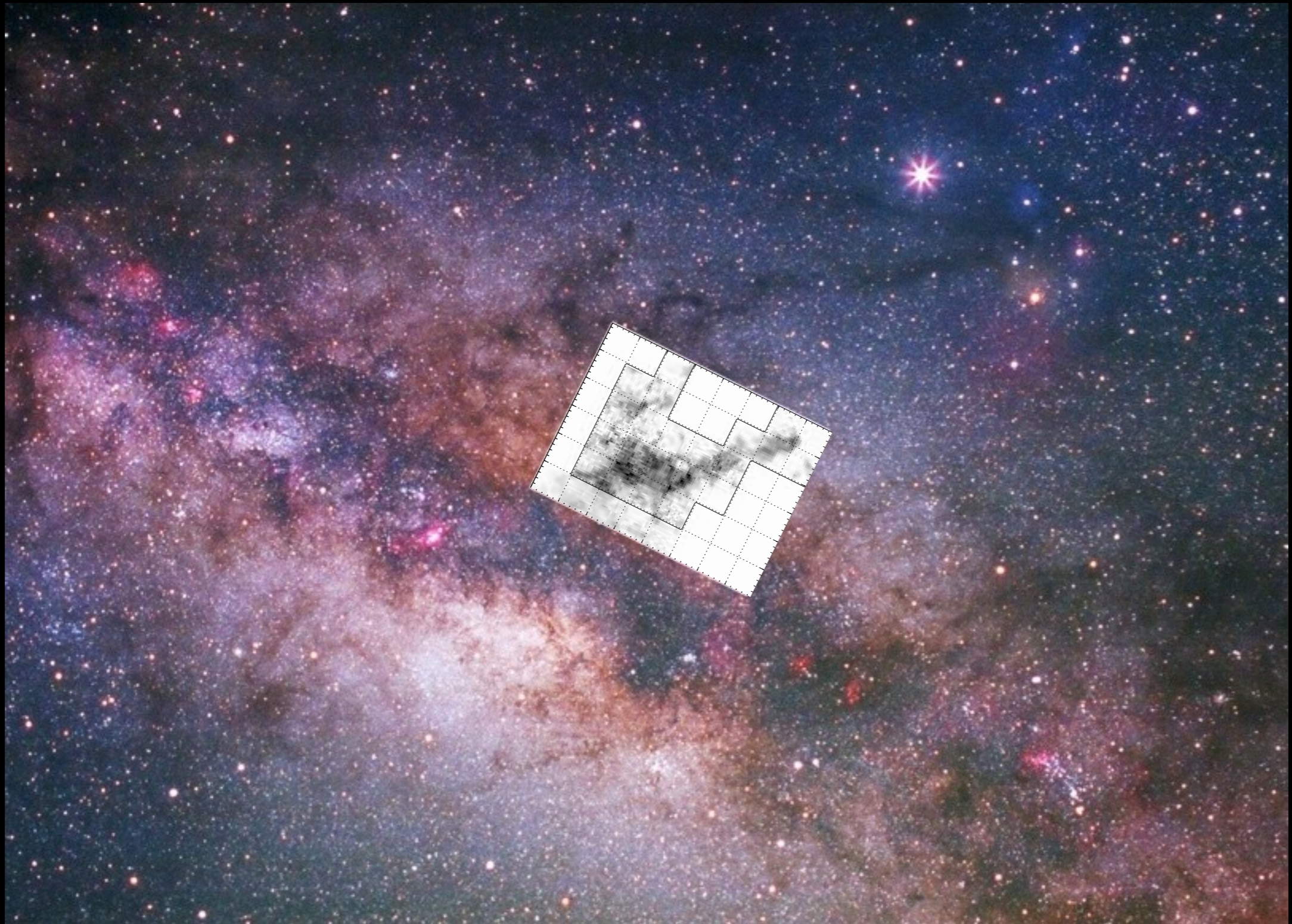




Ceci n'est pas une pipe.

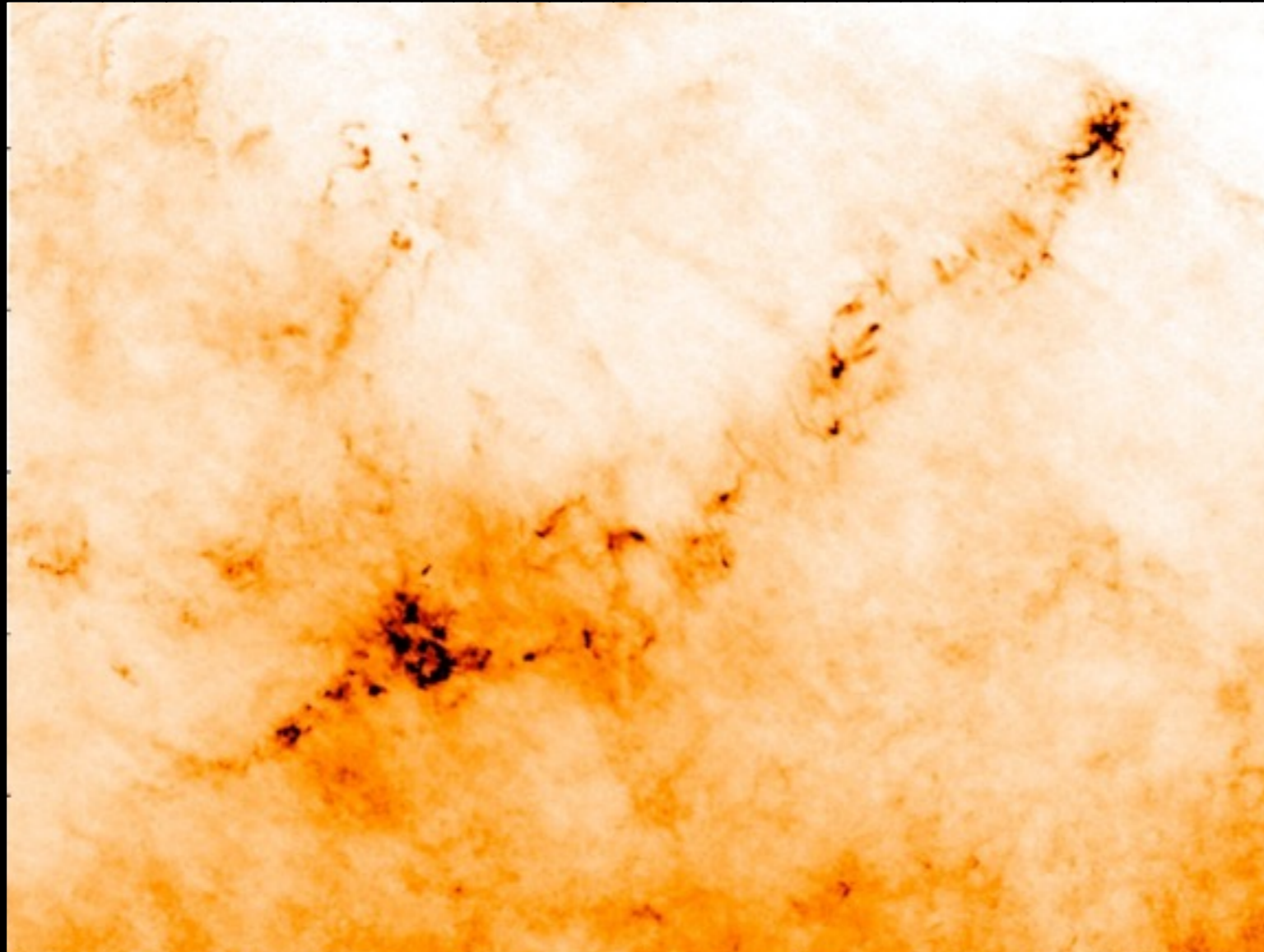


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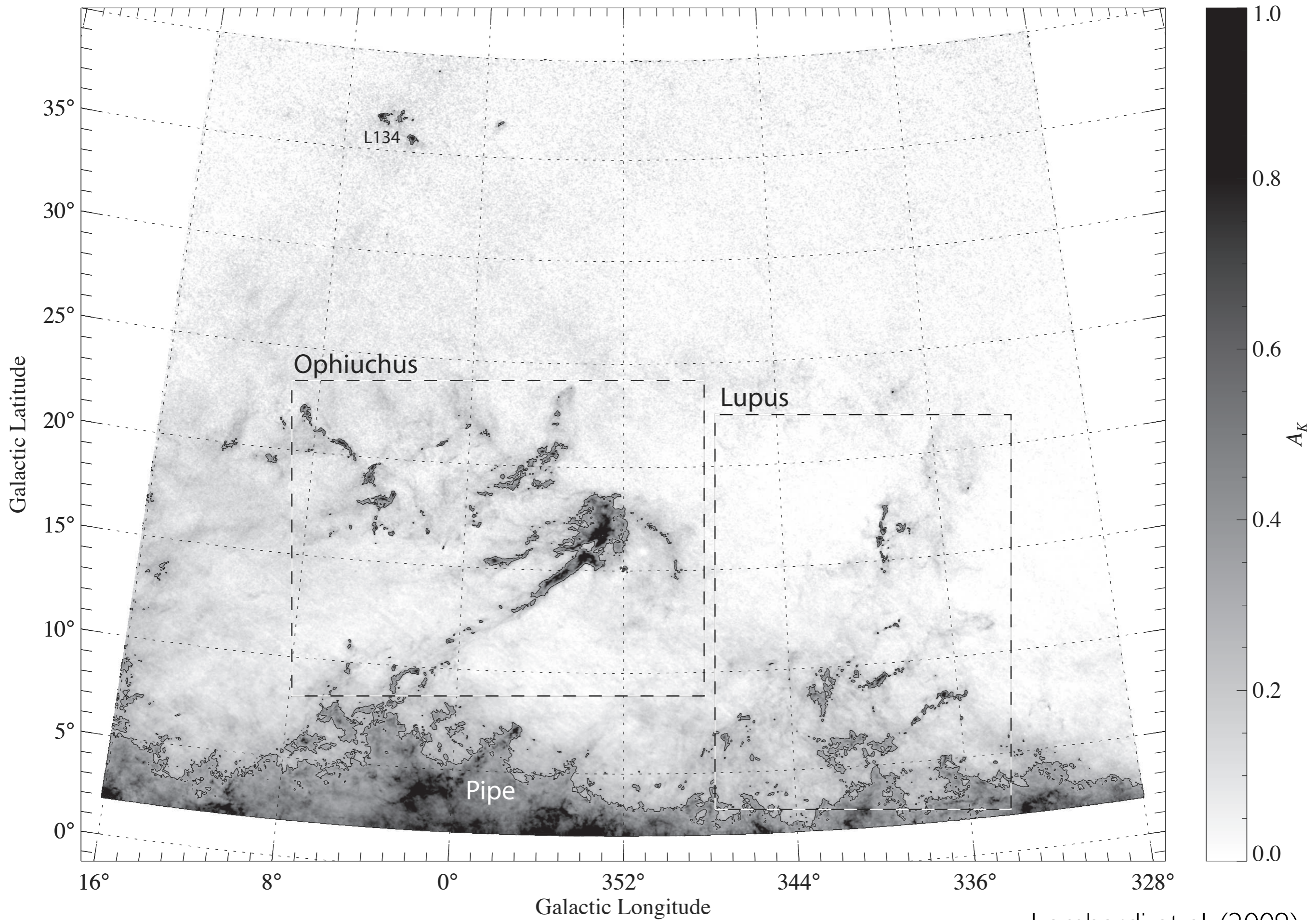


The Pipe Nebula

CO vs. dust



NICOLE PASCARELLI (UPUI), M. B. (2006)



Fact 3

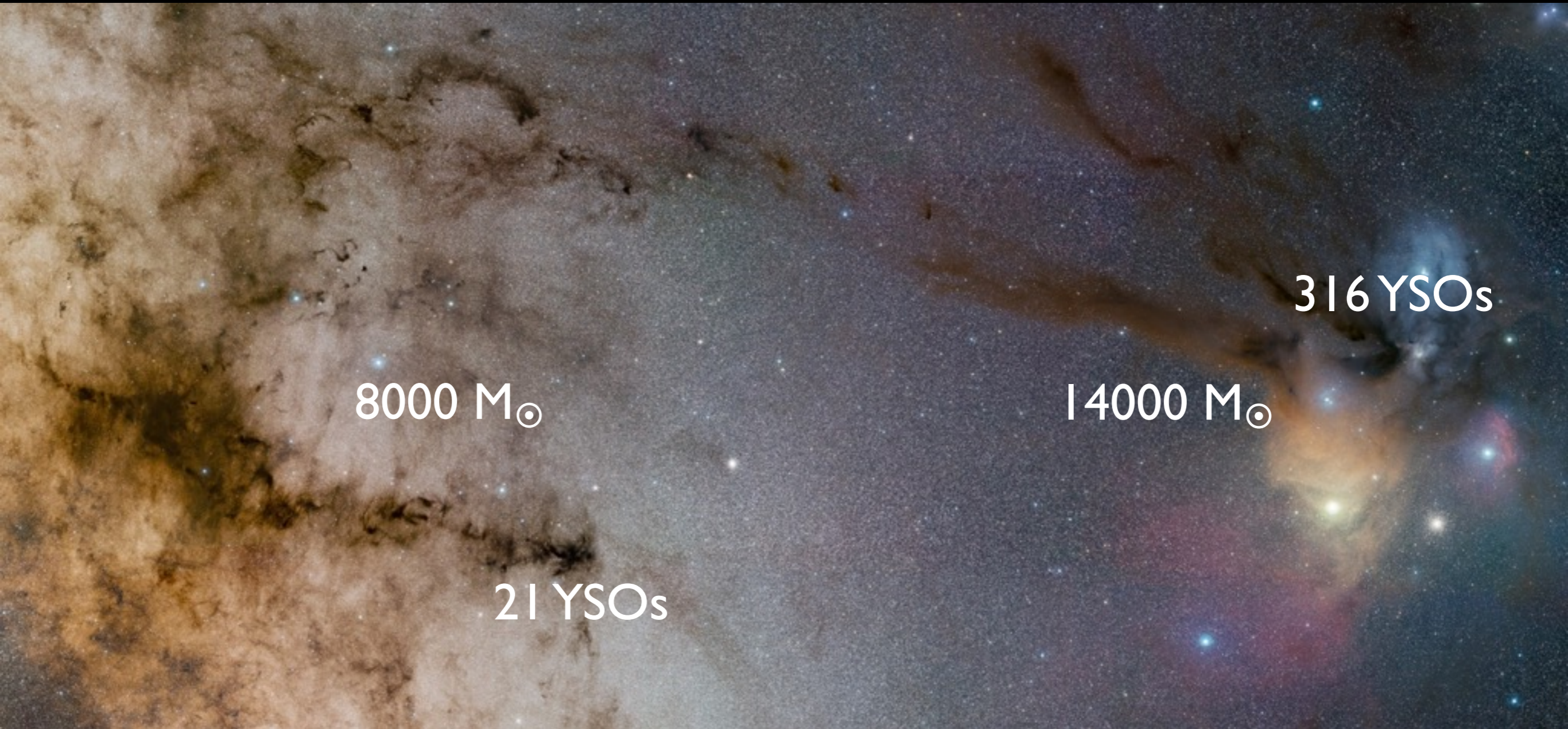
Different molecular clouds
have different SFRs



S. Guisard (ESO)

Pipe nebula

ρ Ophiuchi cloud



8000 M_{\odot}

21 YSOs

14000 M_{\odot}

316 YSOs

$$\text{SFR}_{\text{Oph}} = 15 \times \text{SFR}_{\text{Pipe}}$$

$$\Sigma_{\text{Pipe}} = 50 M_{\odot} \text{ pc}^{-2}$$

$$\Sigma_{\text{Oph}} = 40 M_{\odot} \text{ pc}^{-2}$$

316 YSOs

8000 M_⊙

1000 M_⊙

You need to restart your computer. Hold down the Power button for several seconds or press the Restart button.

Veillez redémarrer votre ordinateur. Maintenez la touche de démarrage enfoncée pendant plusieurs secondes ou bien appuyez sur le bouton de réinitialisation.

Sie müssen Ihren Computer neu starten. Halten Sie dazu die Einschalttaste einige Sekunden gedrückt oder drücken Sie die Neustart-Taste.

コンピュータを再起動する必要があります。パワーボタンを数秒間押し続けるか、リセットボタンを押してください。

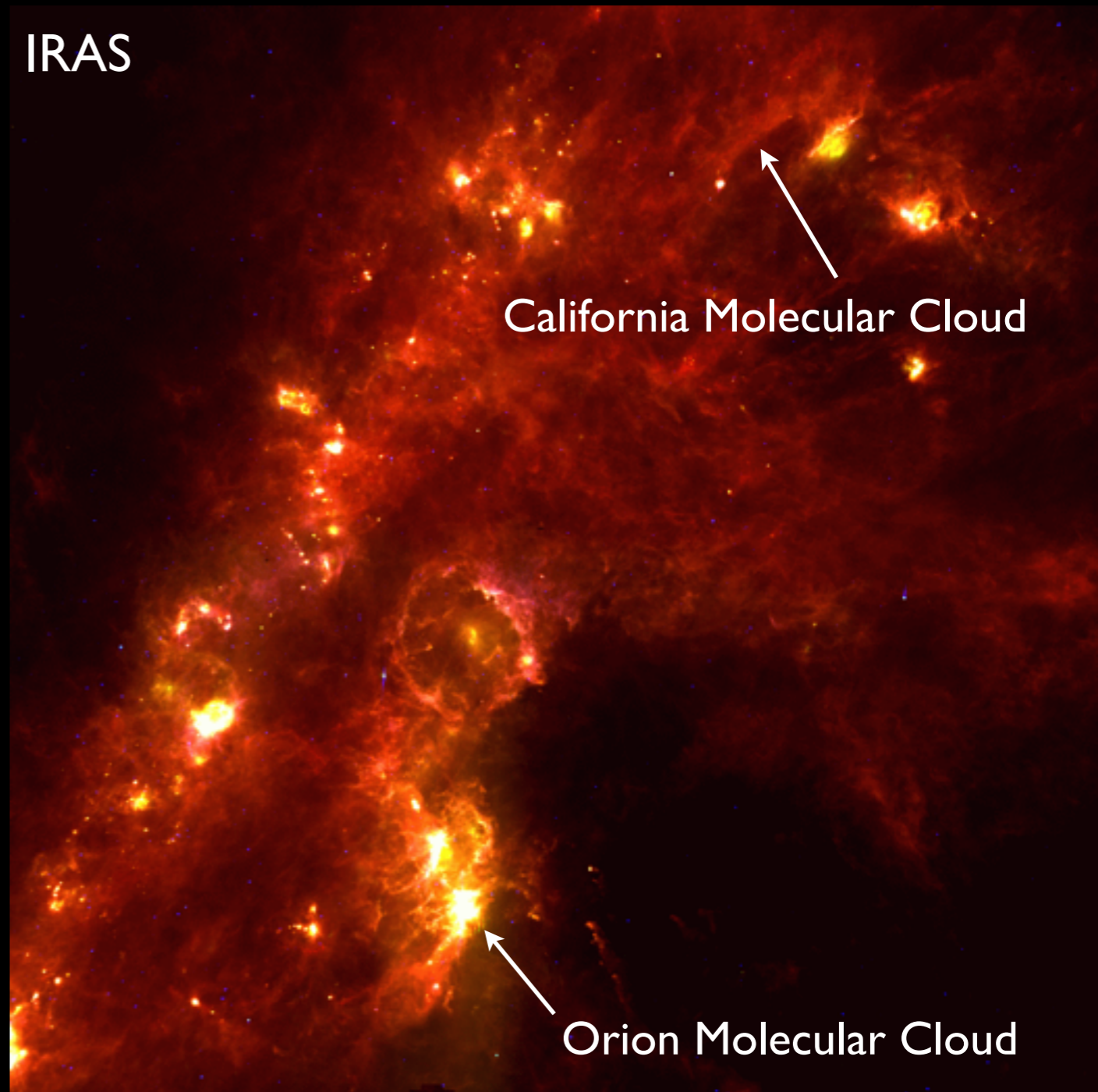
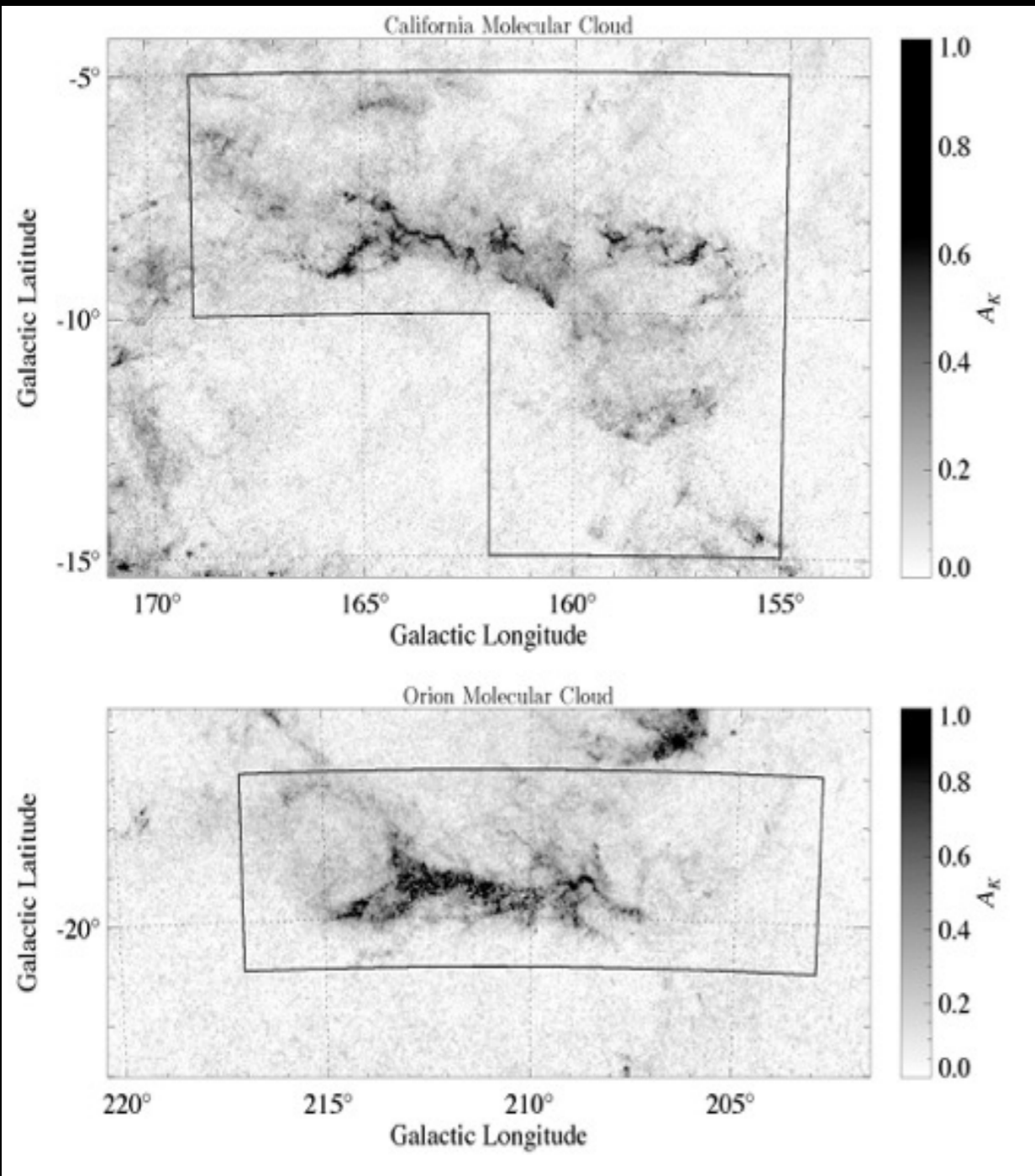
$$\text{SFR}_{\text{Oph}} = 15 \times \text{SFR}_{\text{Pipe}}$$

Ceci n'est pas une exception.

$$\Sigma_{\text{Pipe}} = 50 \text{ M}_{\odot} \text{ pc}^{-2}$$

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Ceci n'est pas une exception.

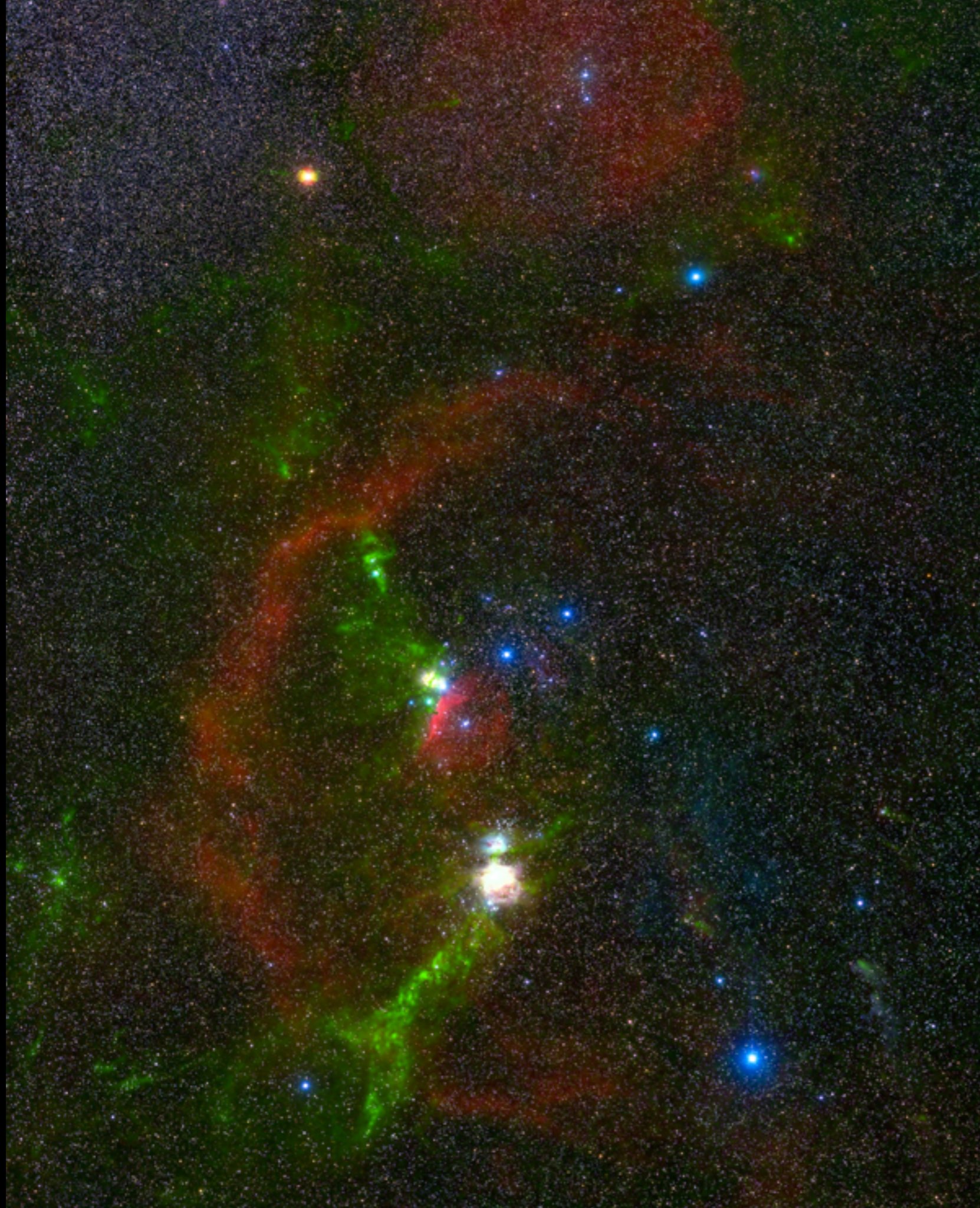


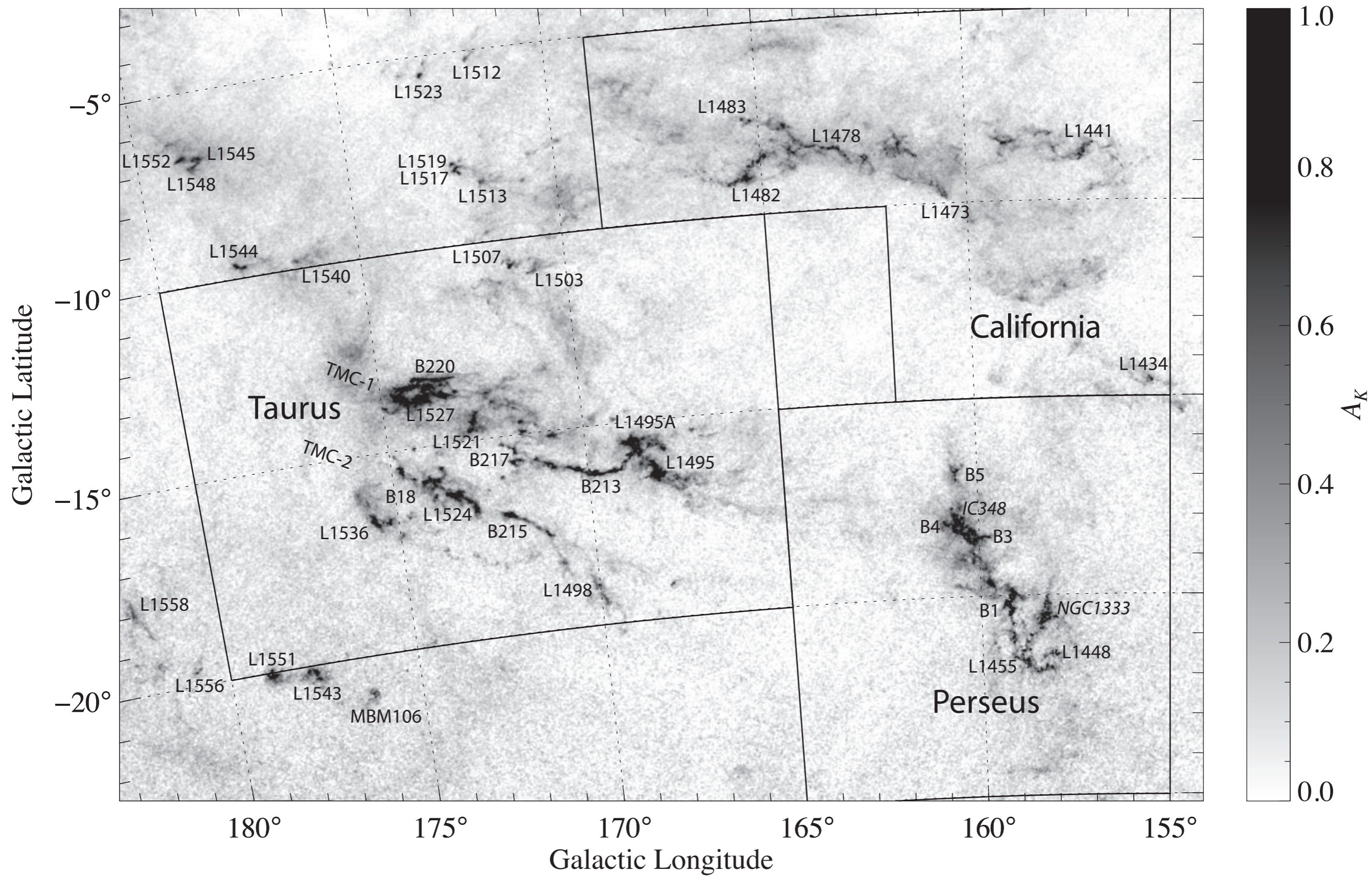
Identical in mass & size

$$\text{SFR}_{\text{Orion}} = 10 \times \text{SFR}_{\text{California}}$$

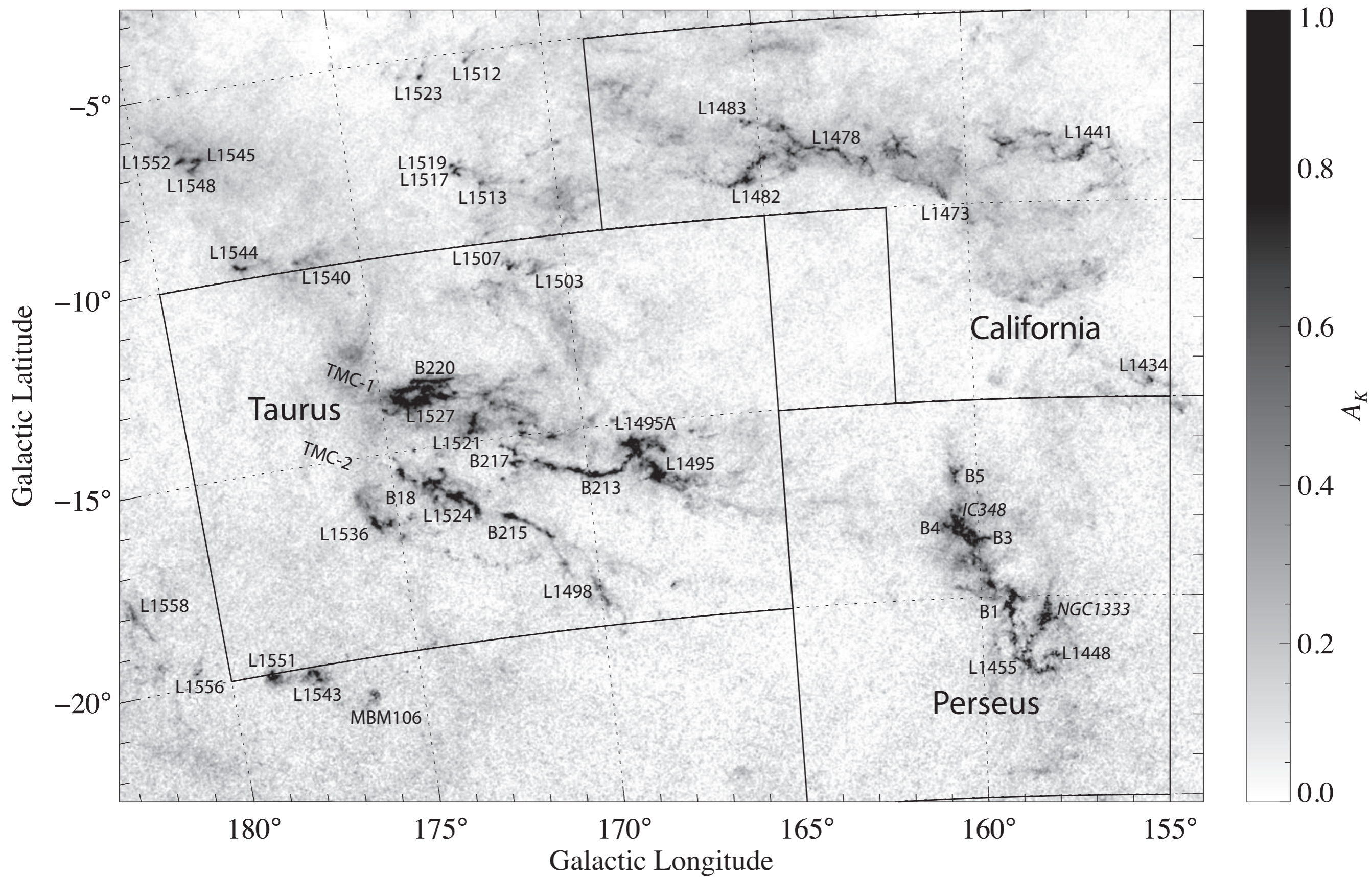
Inventory of Local Star Formation Activity

Infrared extinction and cloud masses



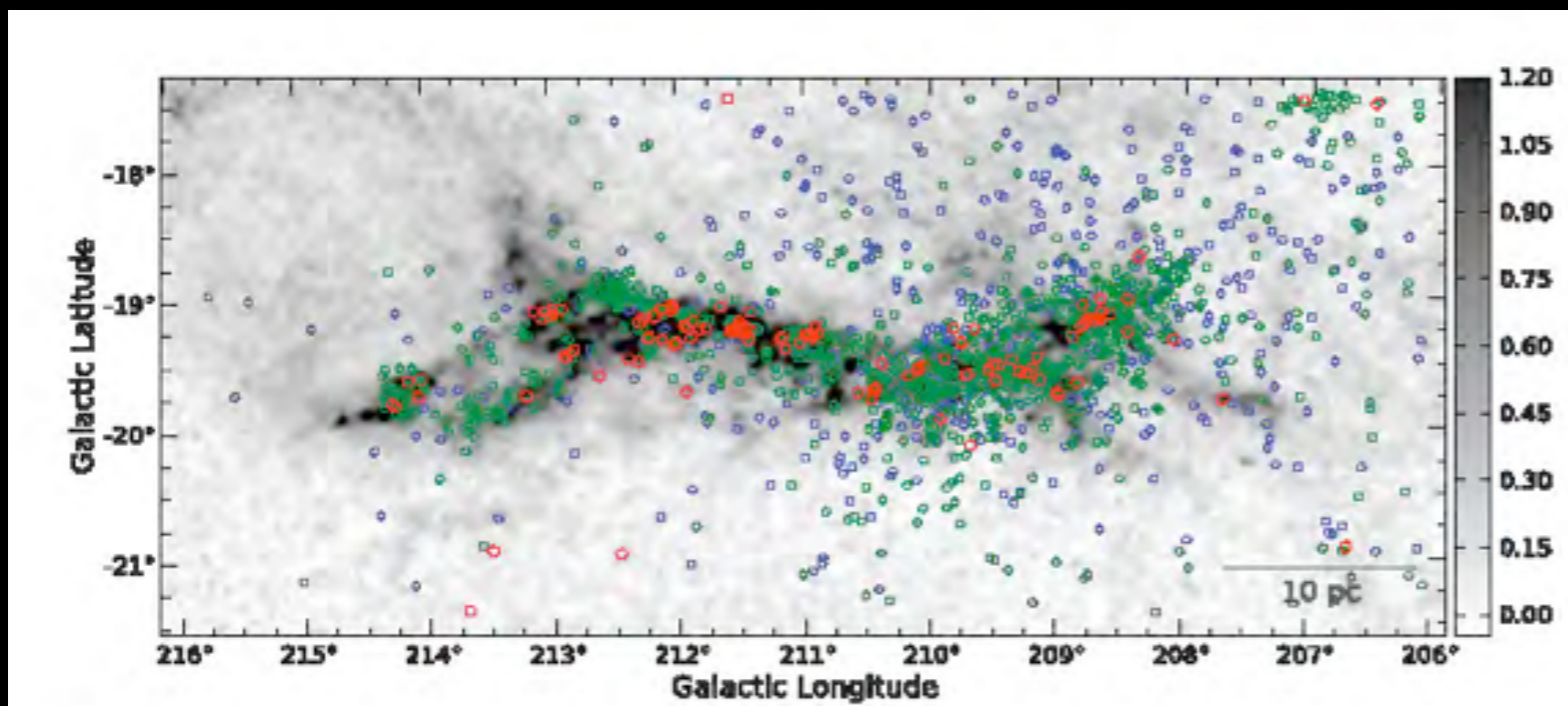


Lombardi et al. (2010)



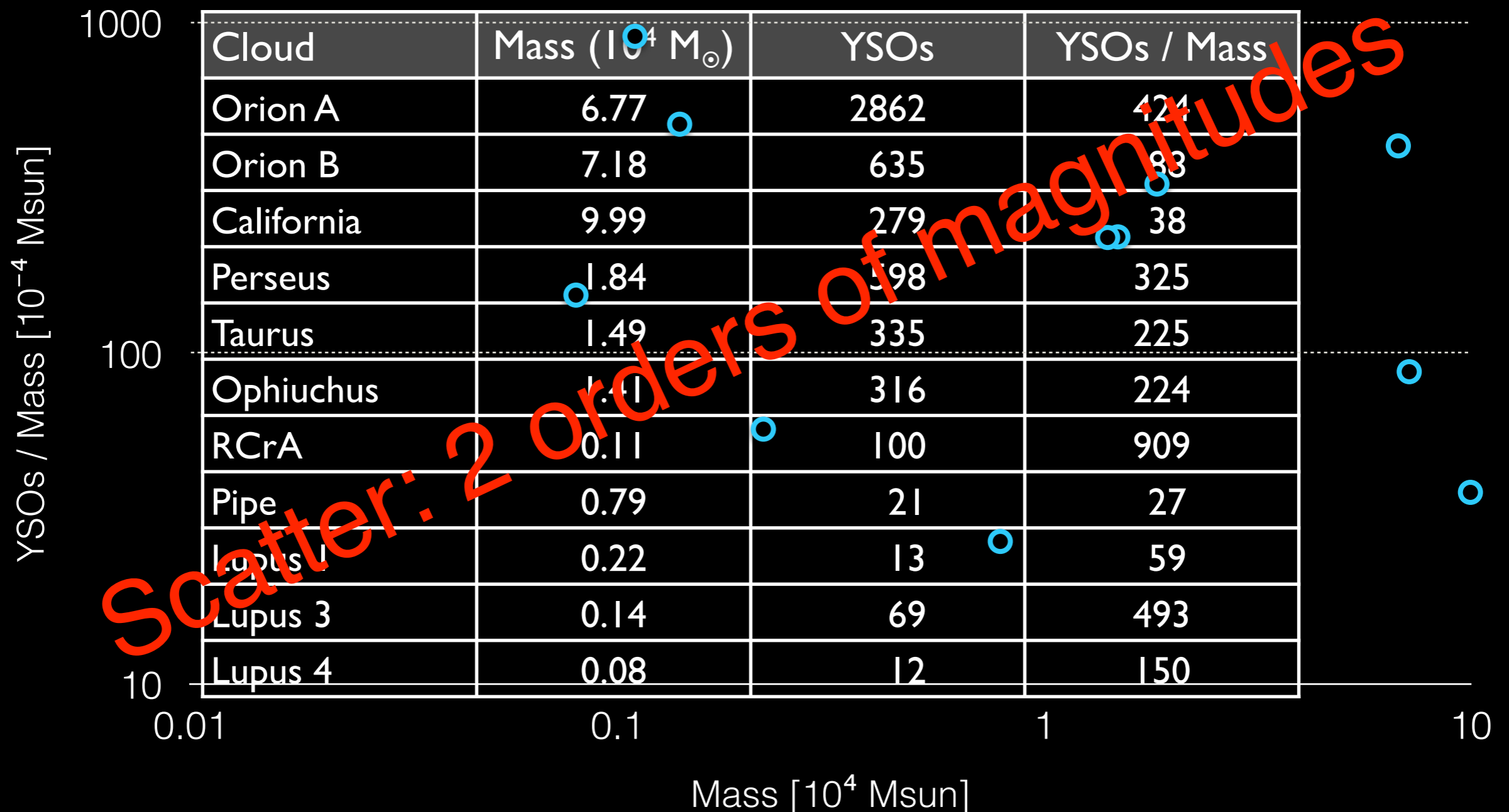
Inventory of Star Formation Activity: Young Stellar Objects (YSOs)

Mining the literature: mostly IR data (SPITZER)



Cloud	YSOs
Orion A	2862
Orion B	635
California	279
Perseus	598
Taurus	335
Ophiuchus	316
RCrA	100
Pipe	21
Lupus 1	13
Lupus 3	69
Lupus 4	12

Inventory of Star Formation Activity: Young Stellar Objects (YSOs)

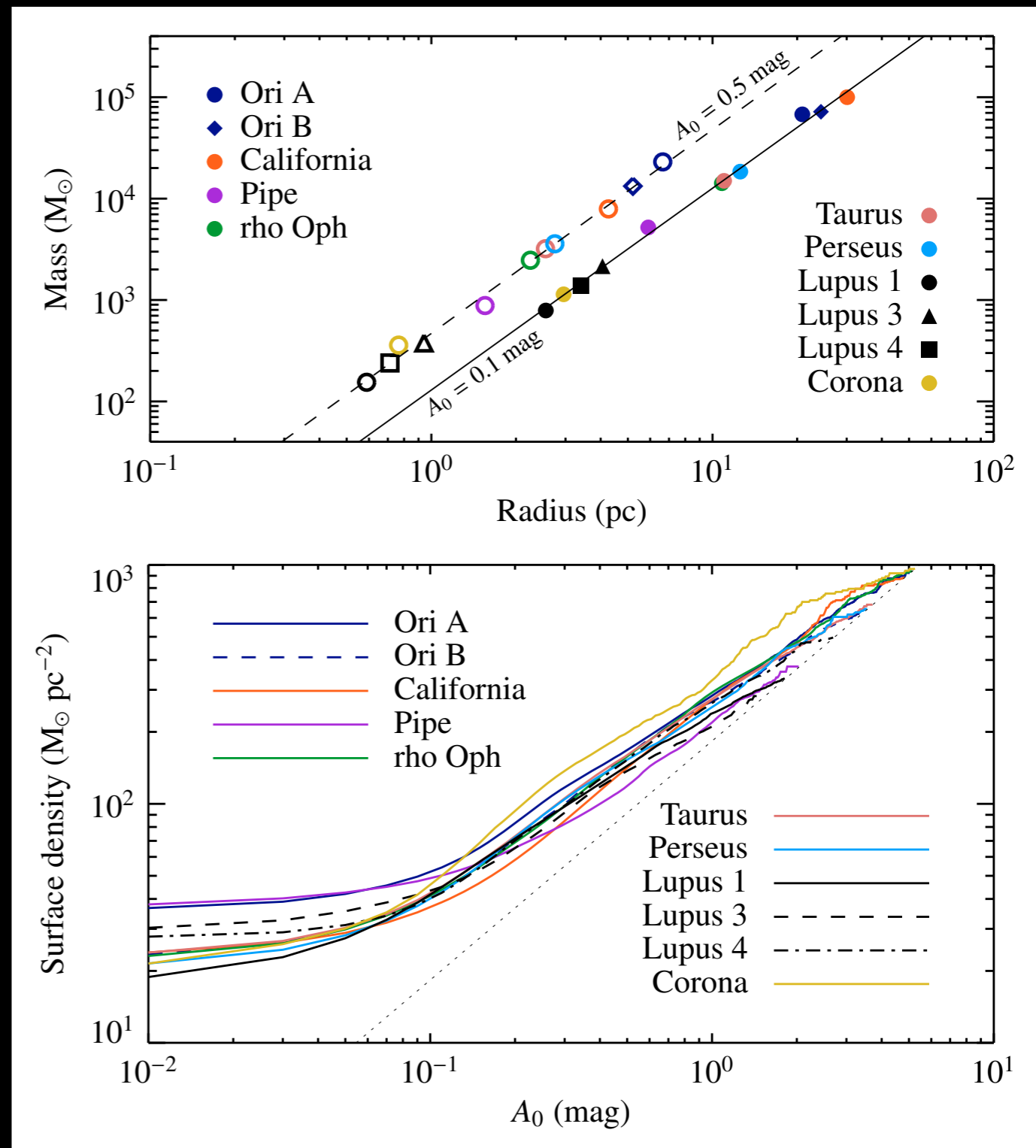


Fact 4

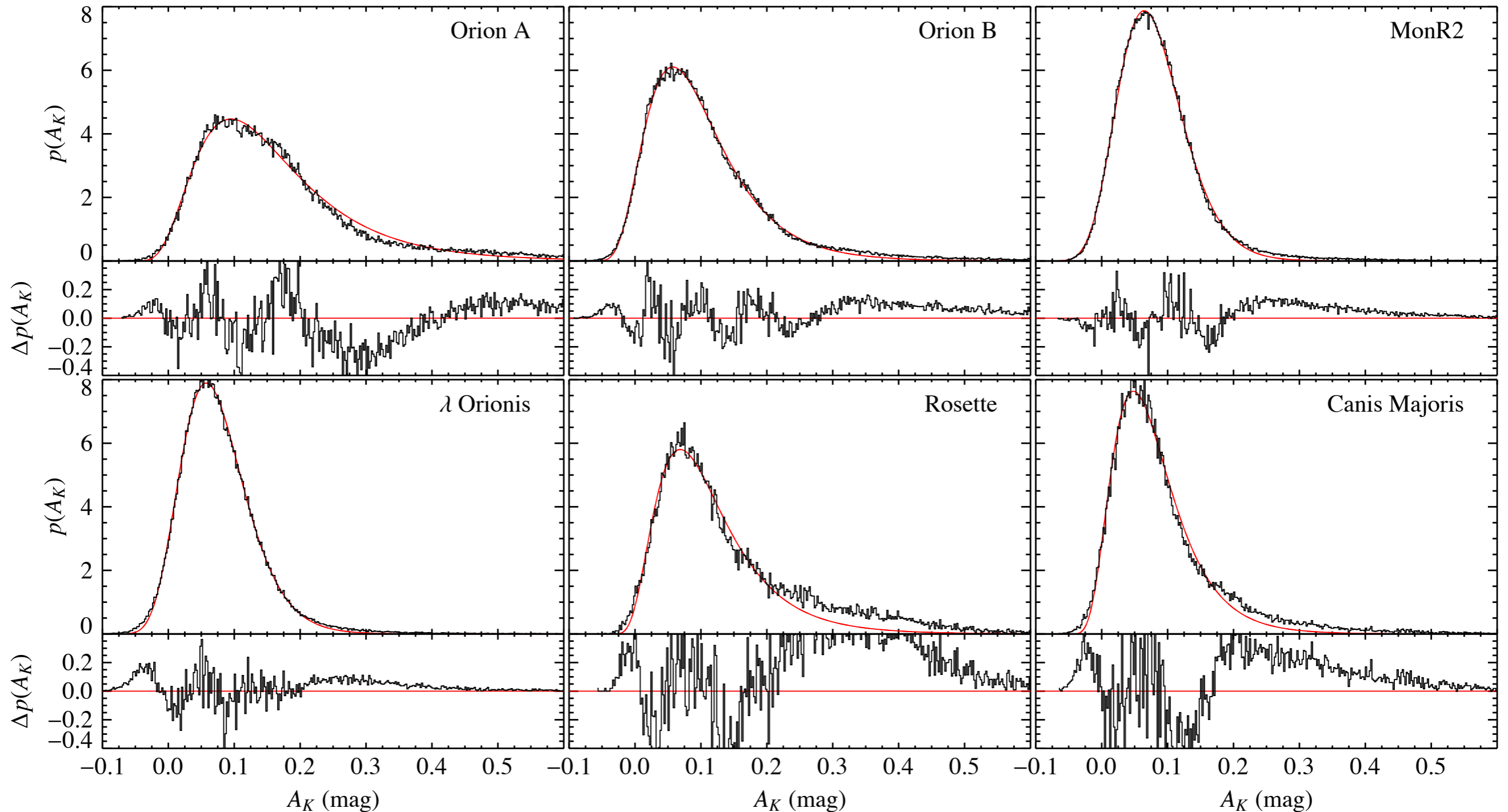
Molecular clouds have a
peculiar structure

The structure of molecular clouds

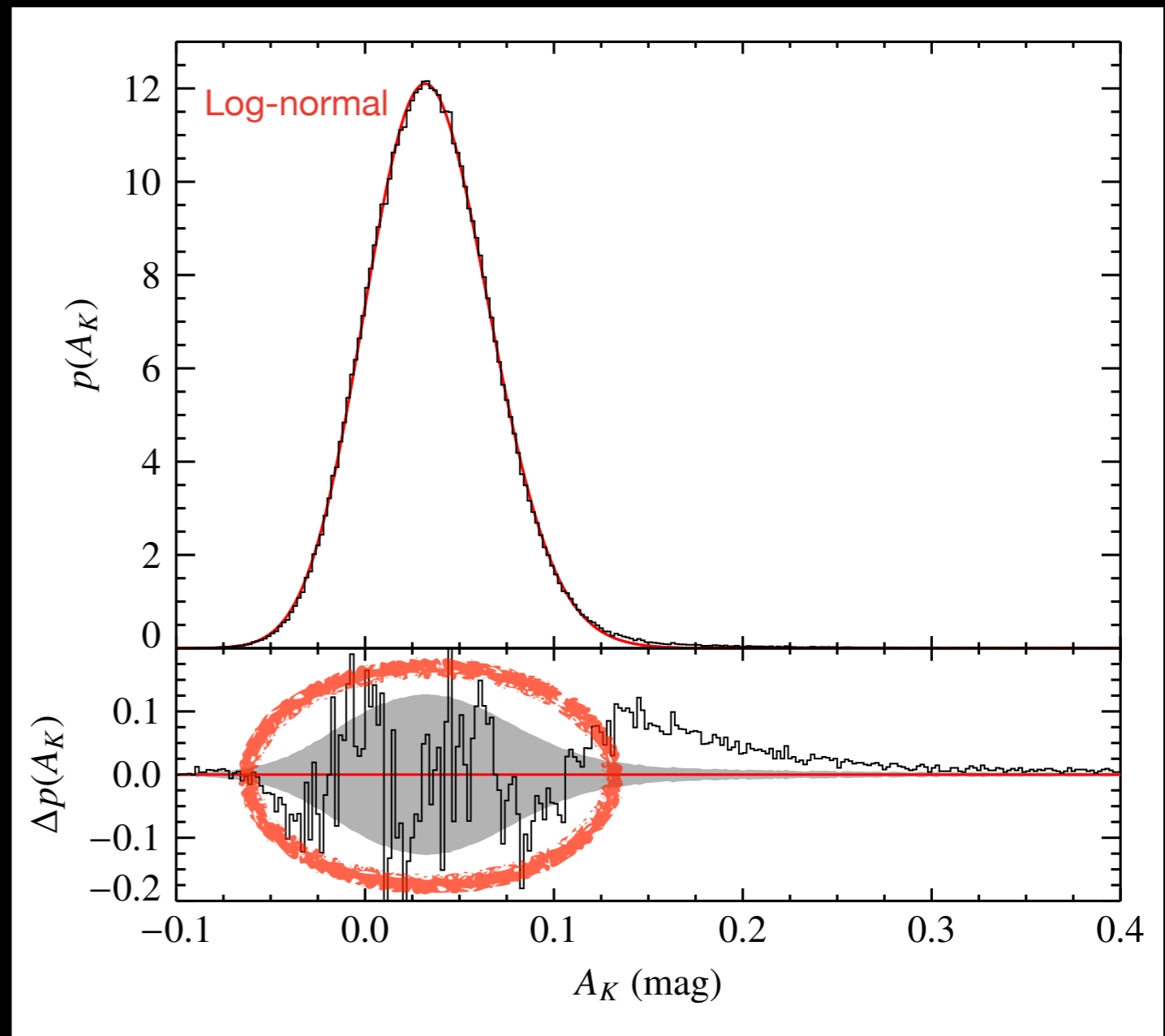
- Different molecular clouds show consistent structure
- Same average density above threshold value (as predicted by WDM)
- Same probability distribution for Σ (log-normal)



Log-normal fits to cloud projected density distributions

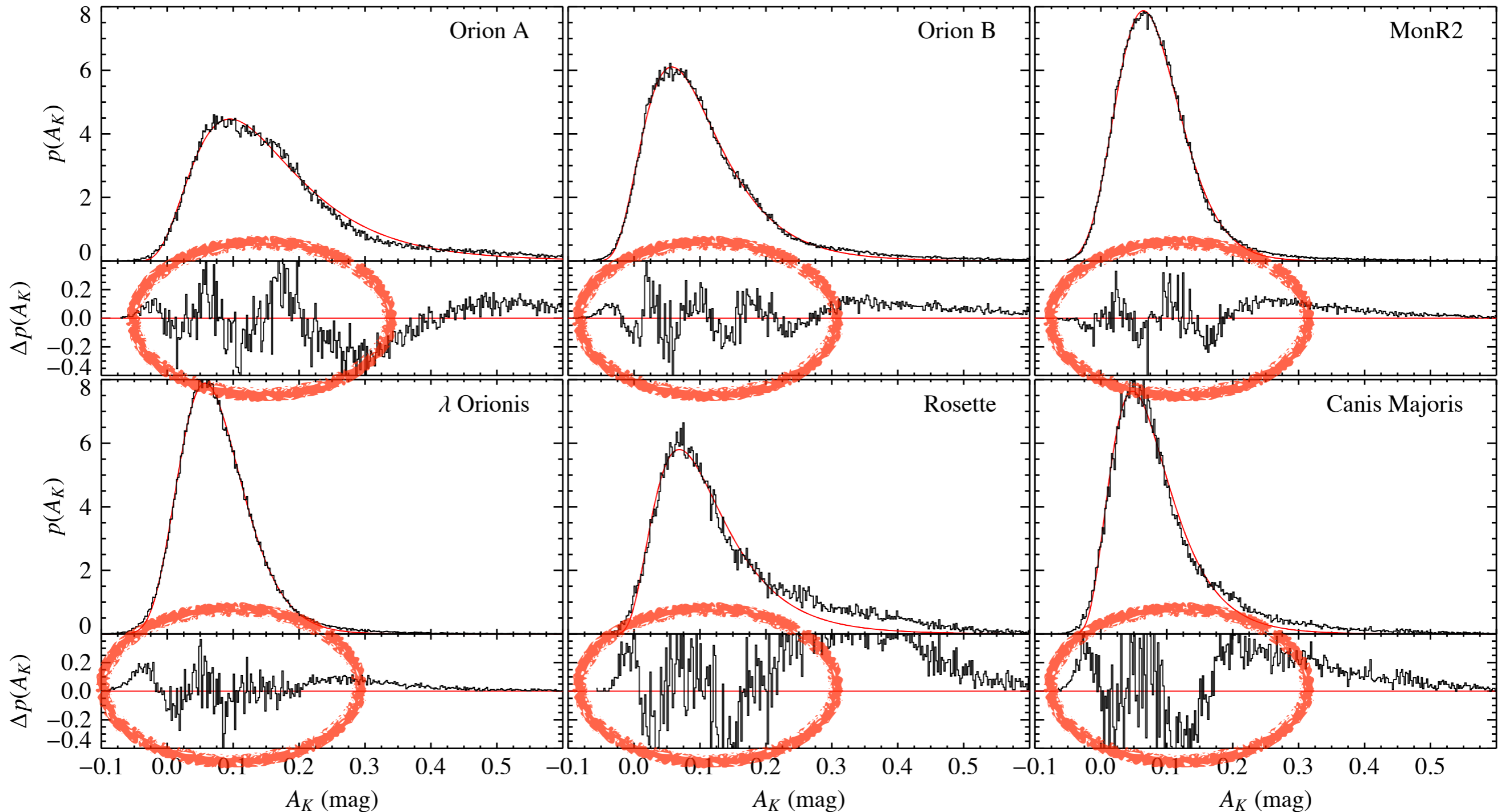


Log-normals? Think it twice

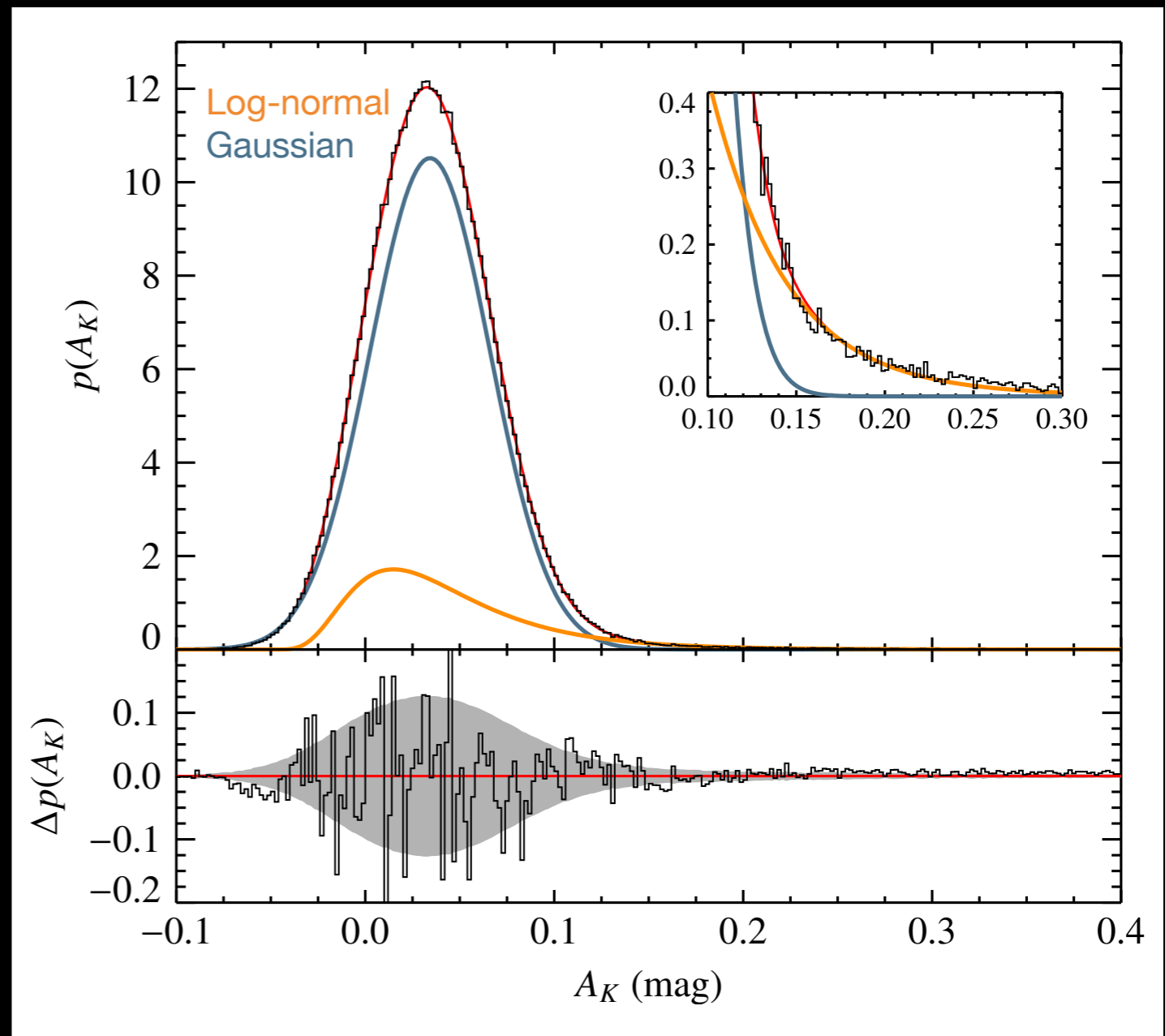


Systematic residuals in the entire fitting region!

All log-normal fits show systematic residuals



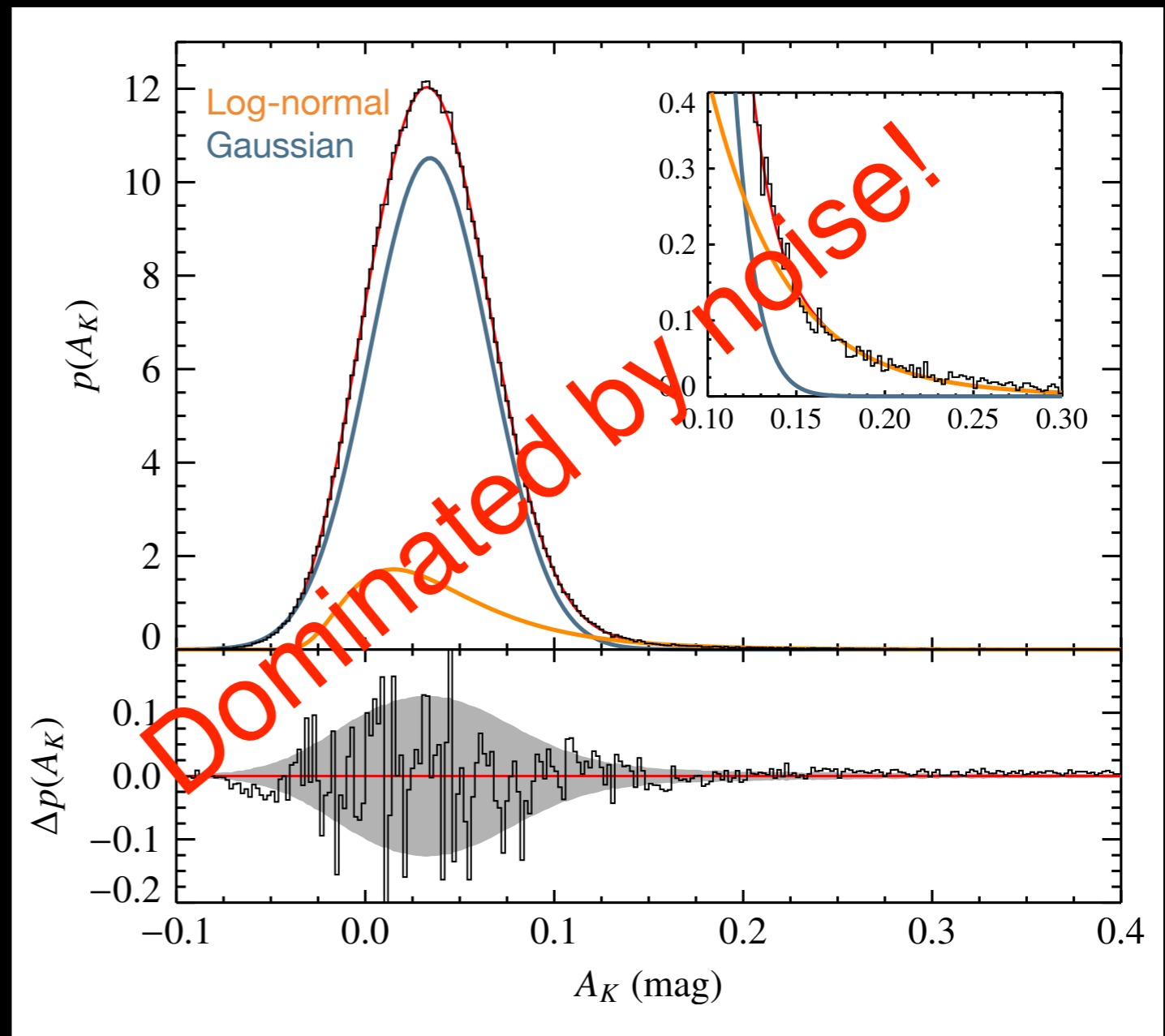
Log-normals? Think it twice



Residuals disappear when fitting a
Gaussian + Log-normal.

Log-normals? Think it twice

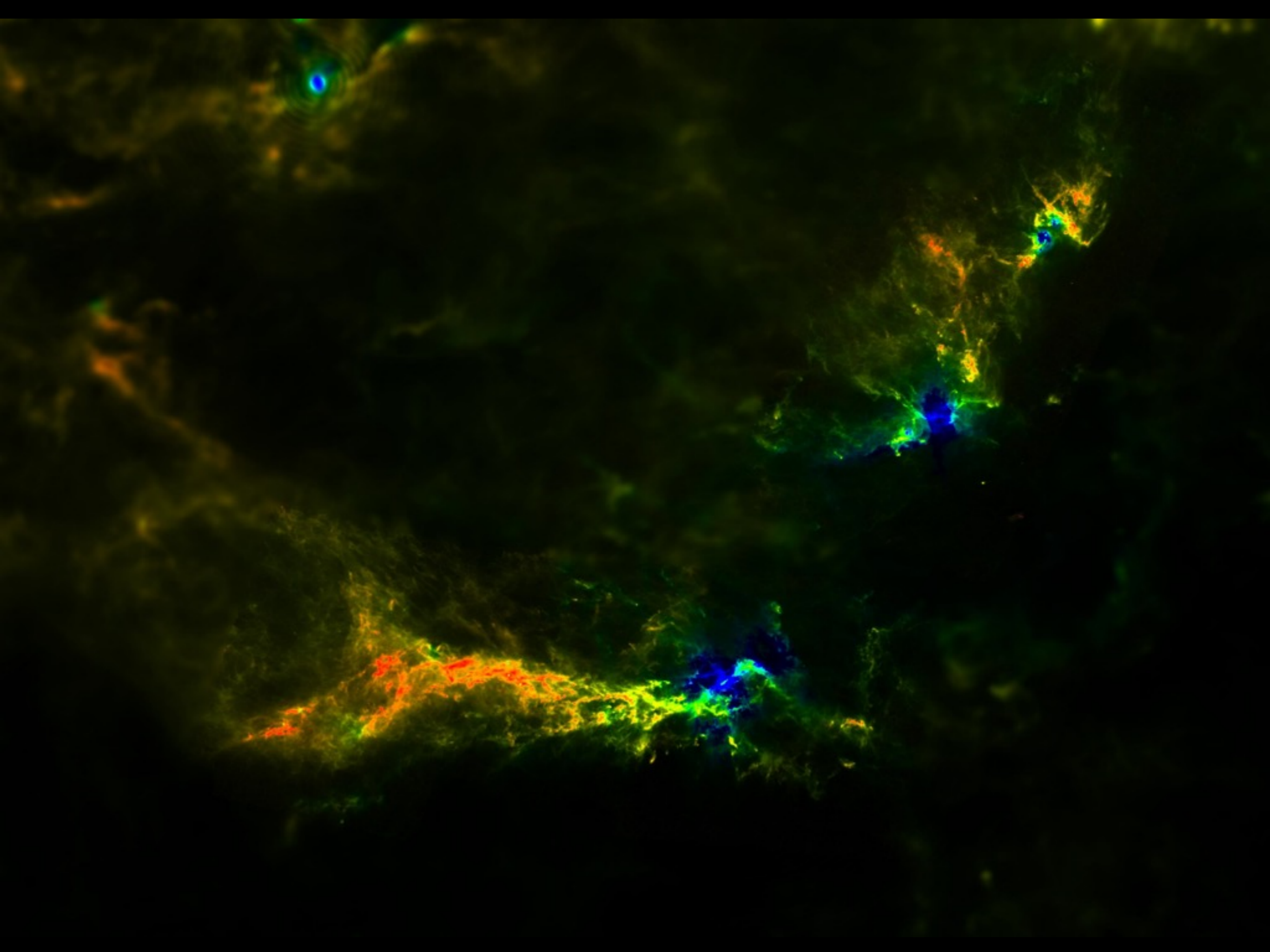
- What is the physical meaning?
 - Gaussian: diffuse extended region + noise
 - Log-normal: denser parts
- What is the role of noise?
 - Dominates at low A_K !
 - Is still present at large A_K
- PDFs not well defined: depend on the boundaries!
- Log-normals: are they real?

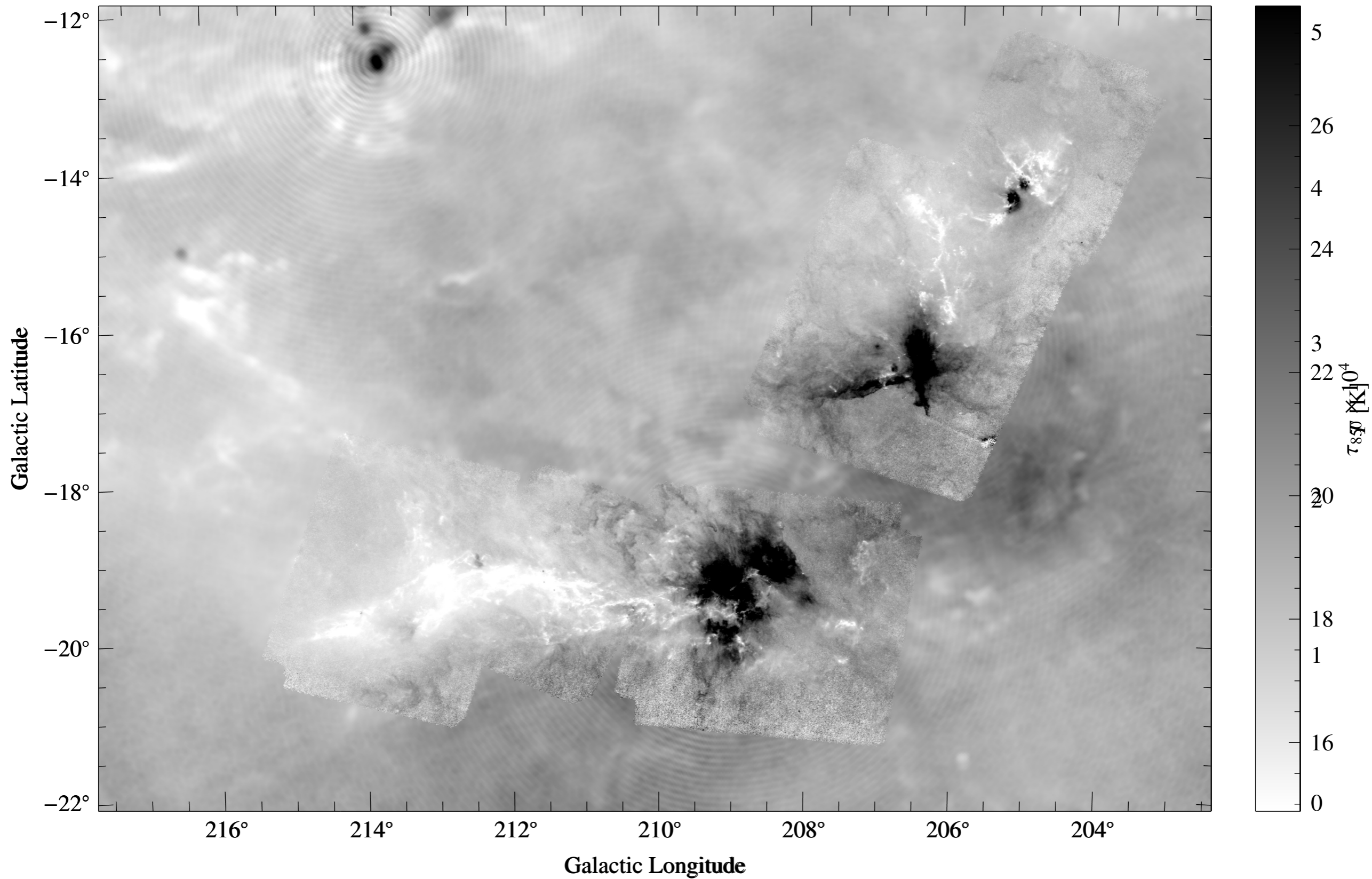


Residuals disappear when fitting a Gaussian + Log-normal.

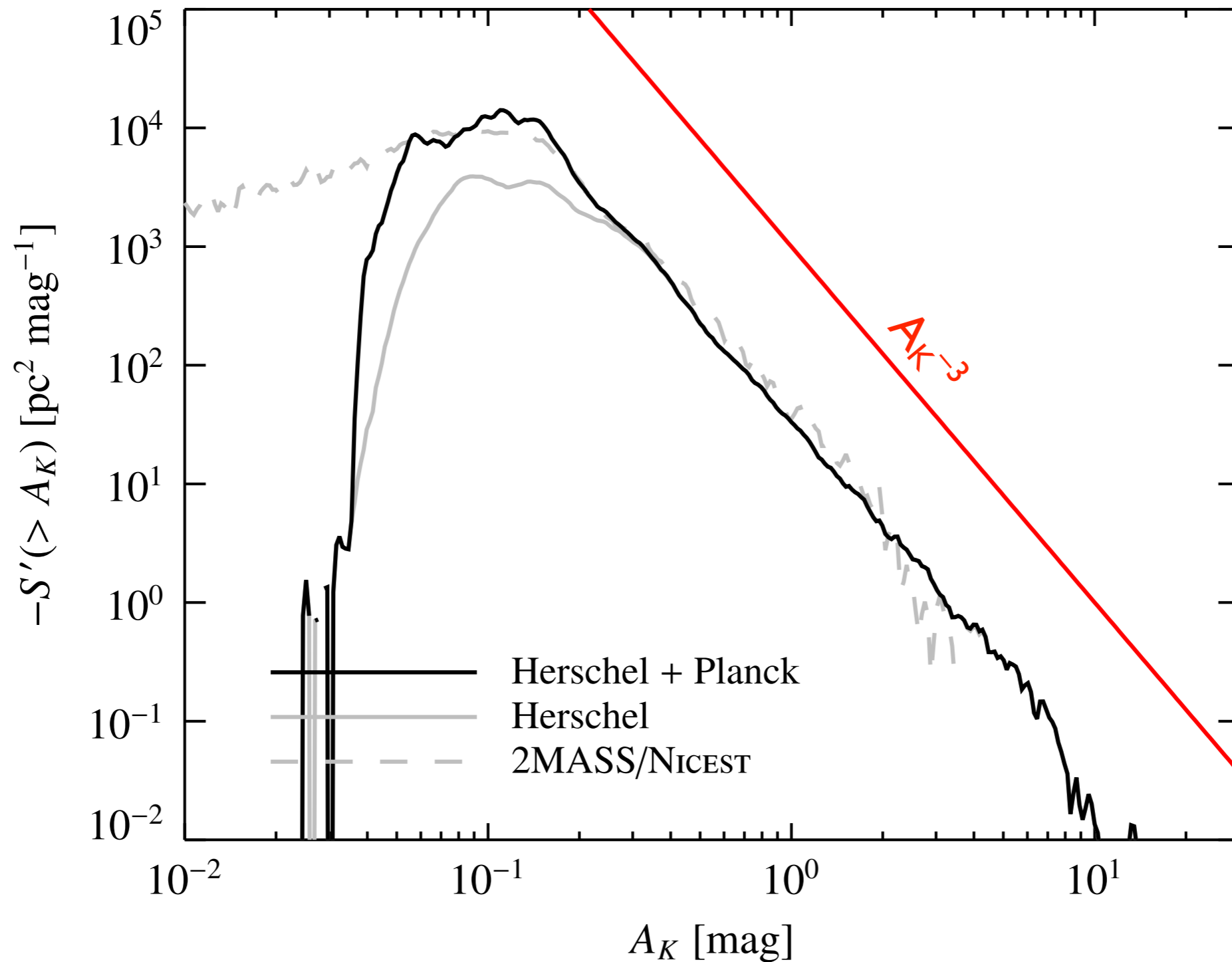
We need high-resolution, low-noise density
maps of molecular clouds

i.e., Herschel data...





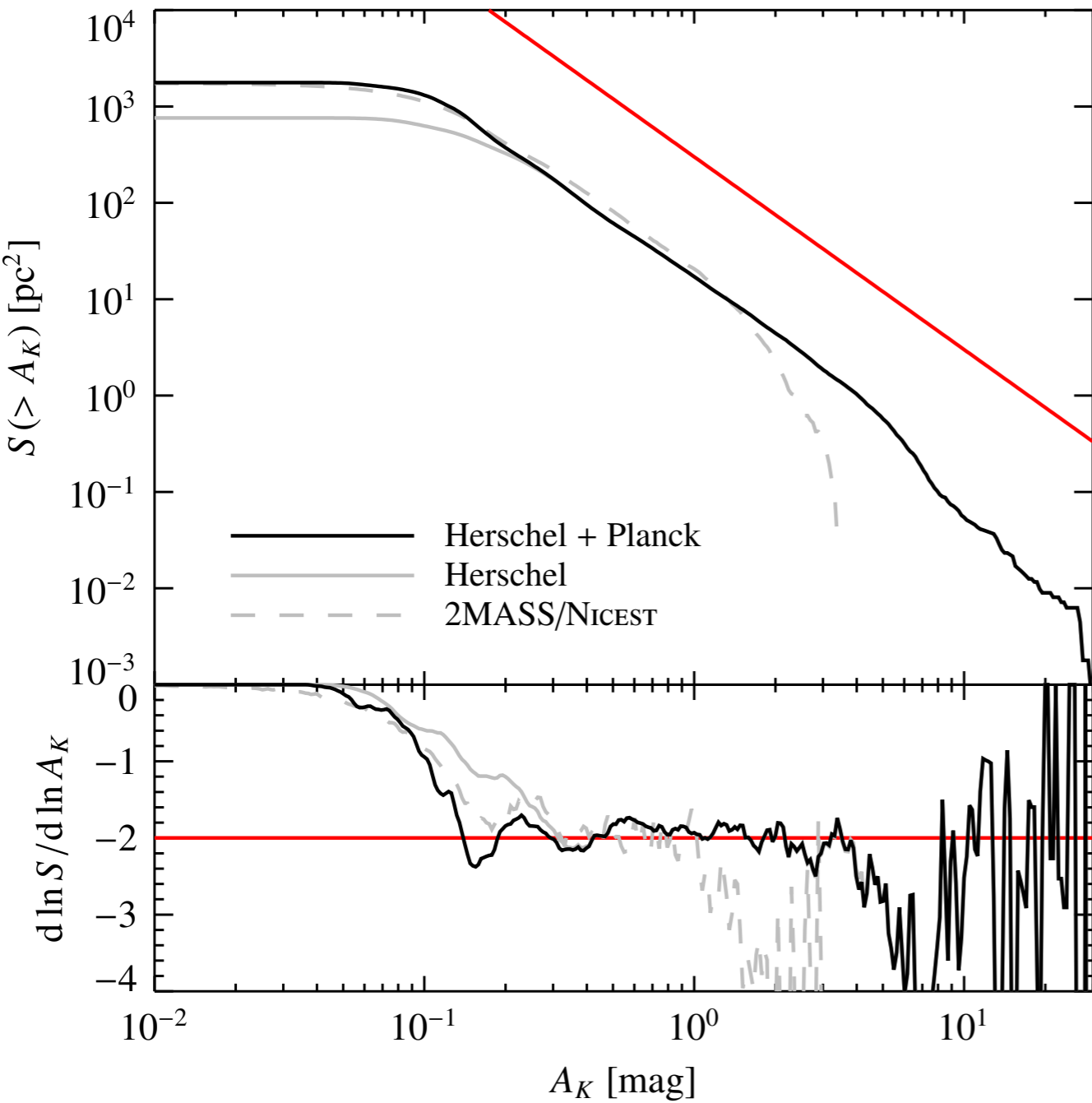
Herschel PDF for Orion B



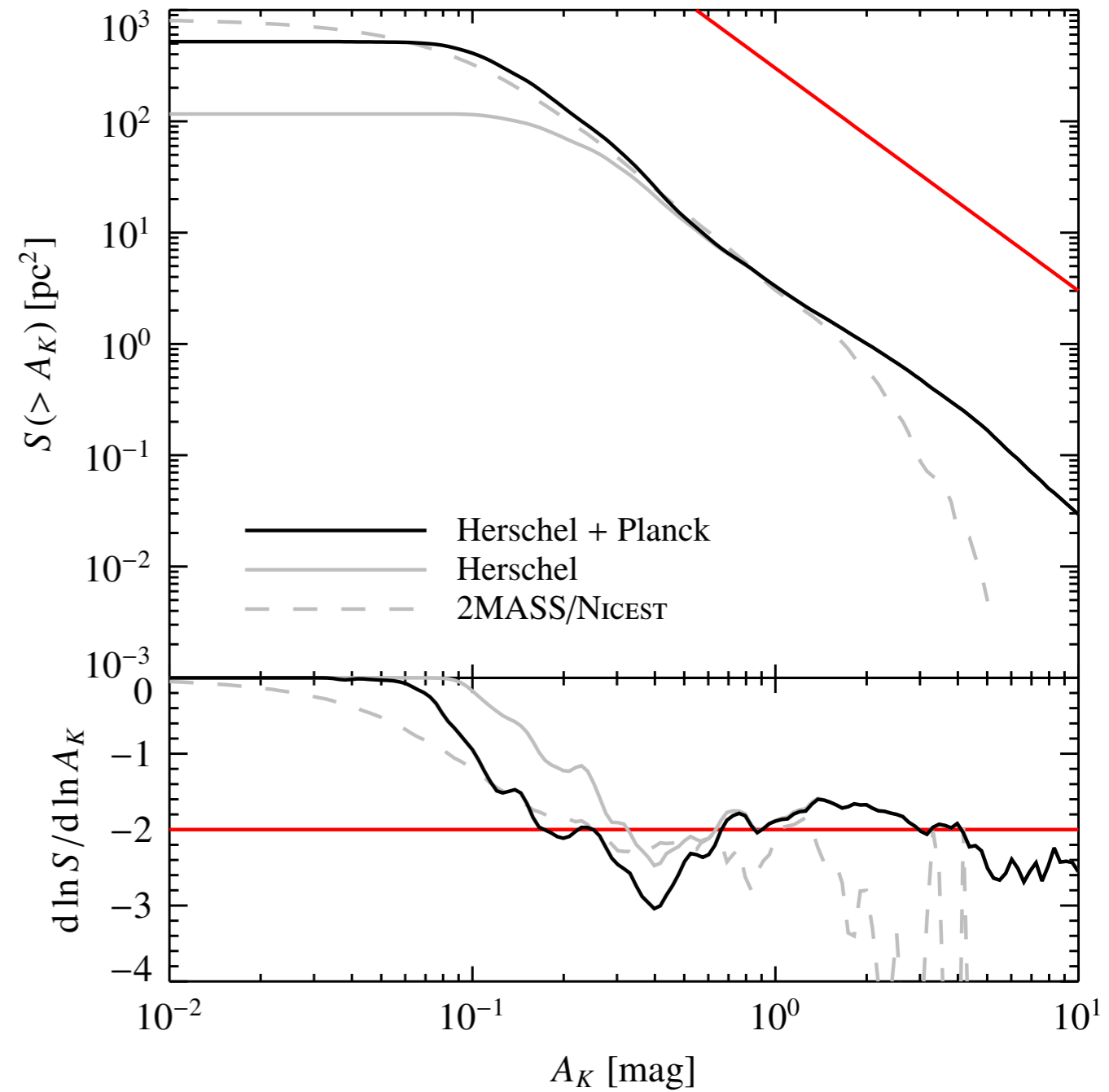
Fact 5

Scaling laws play a
fundamental role in SF

Area functions (integrals of PDFs)



Lombardi et al. (2014)



Alves et al. (2014)

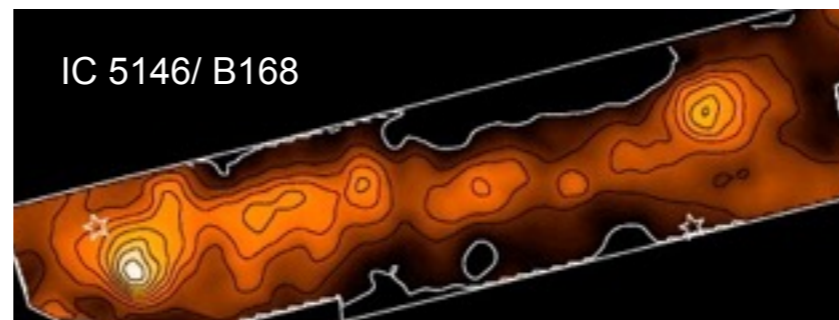
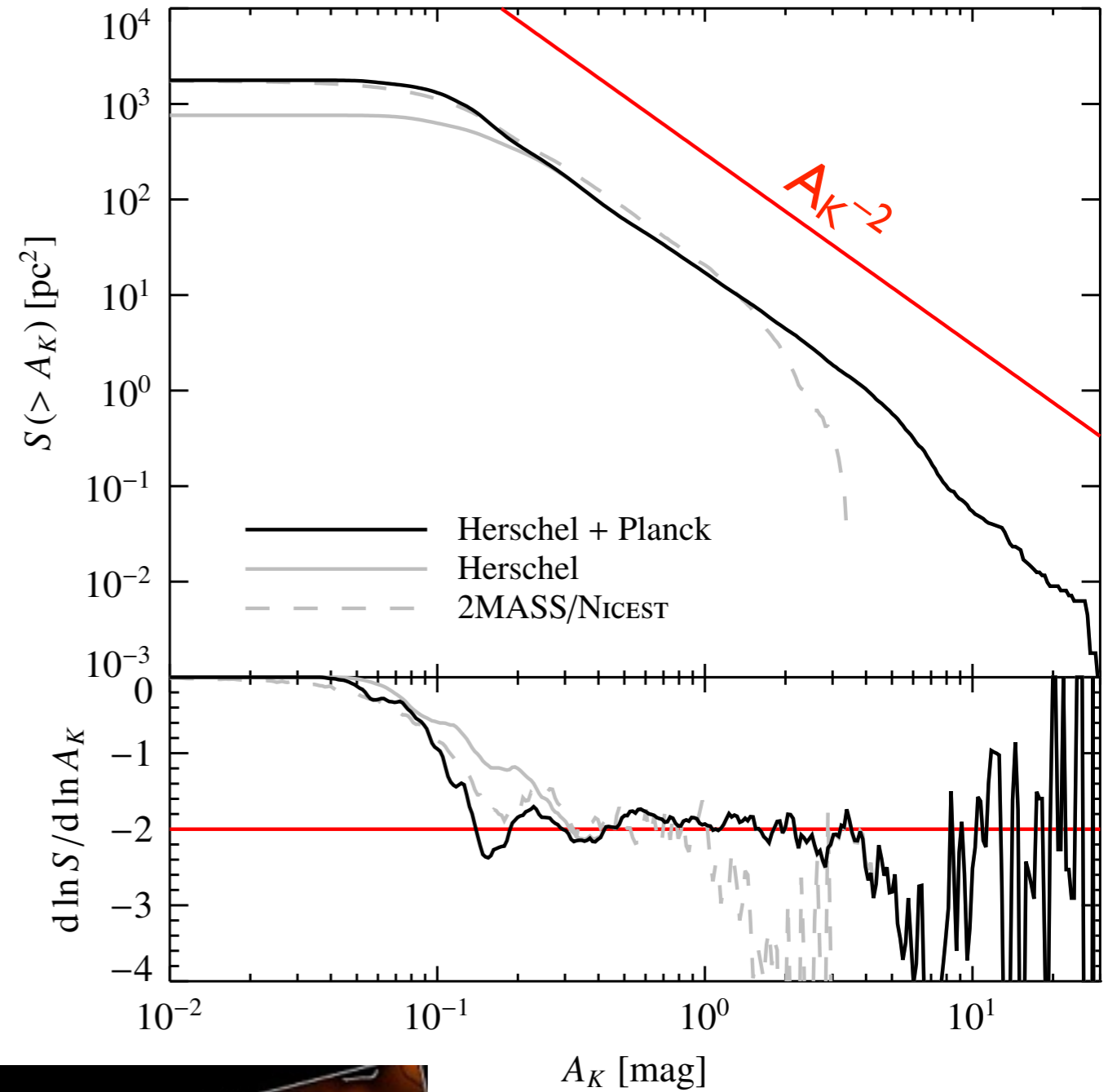
Toy model

Consider a singular isothermal sphere:

$$\rho \sim R^{-2}$$

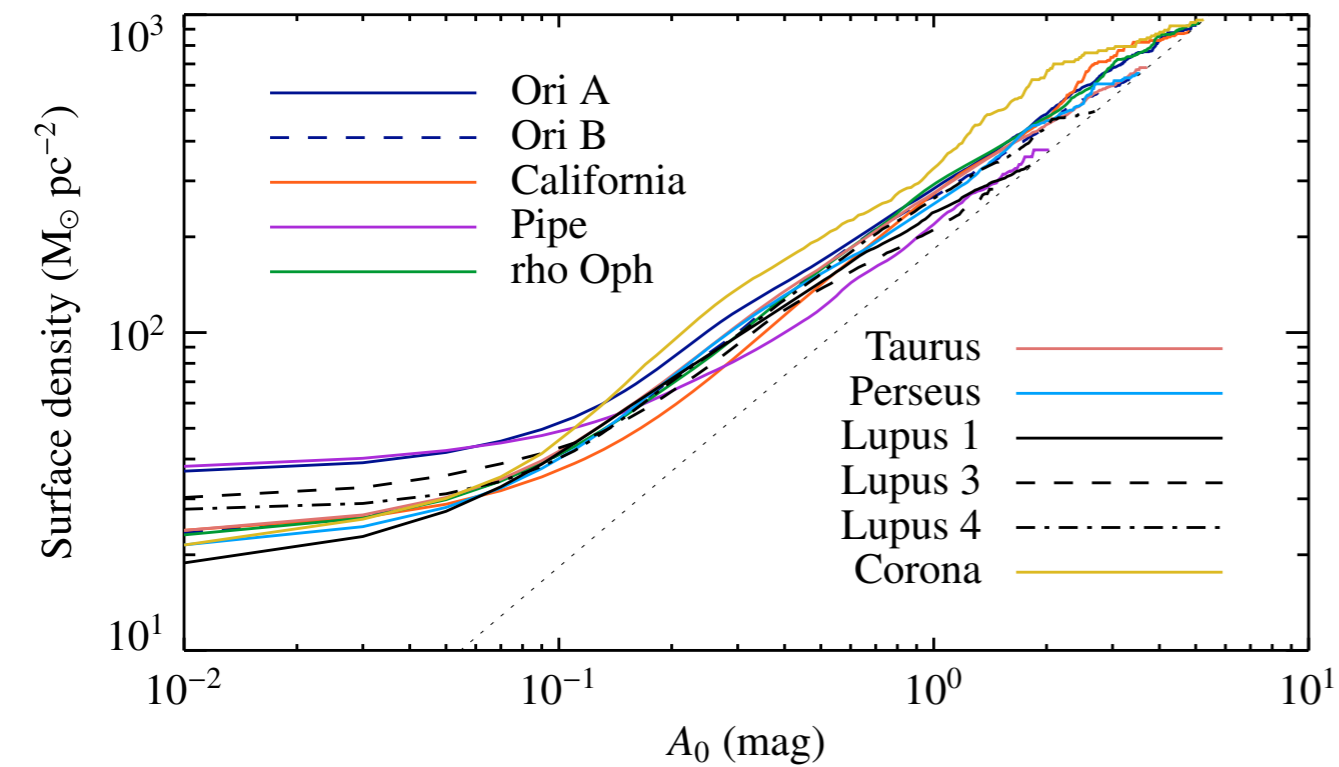
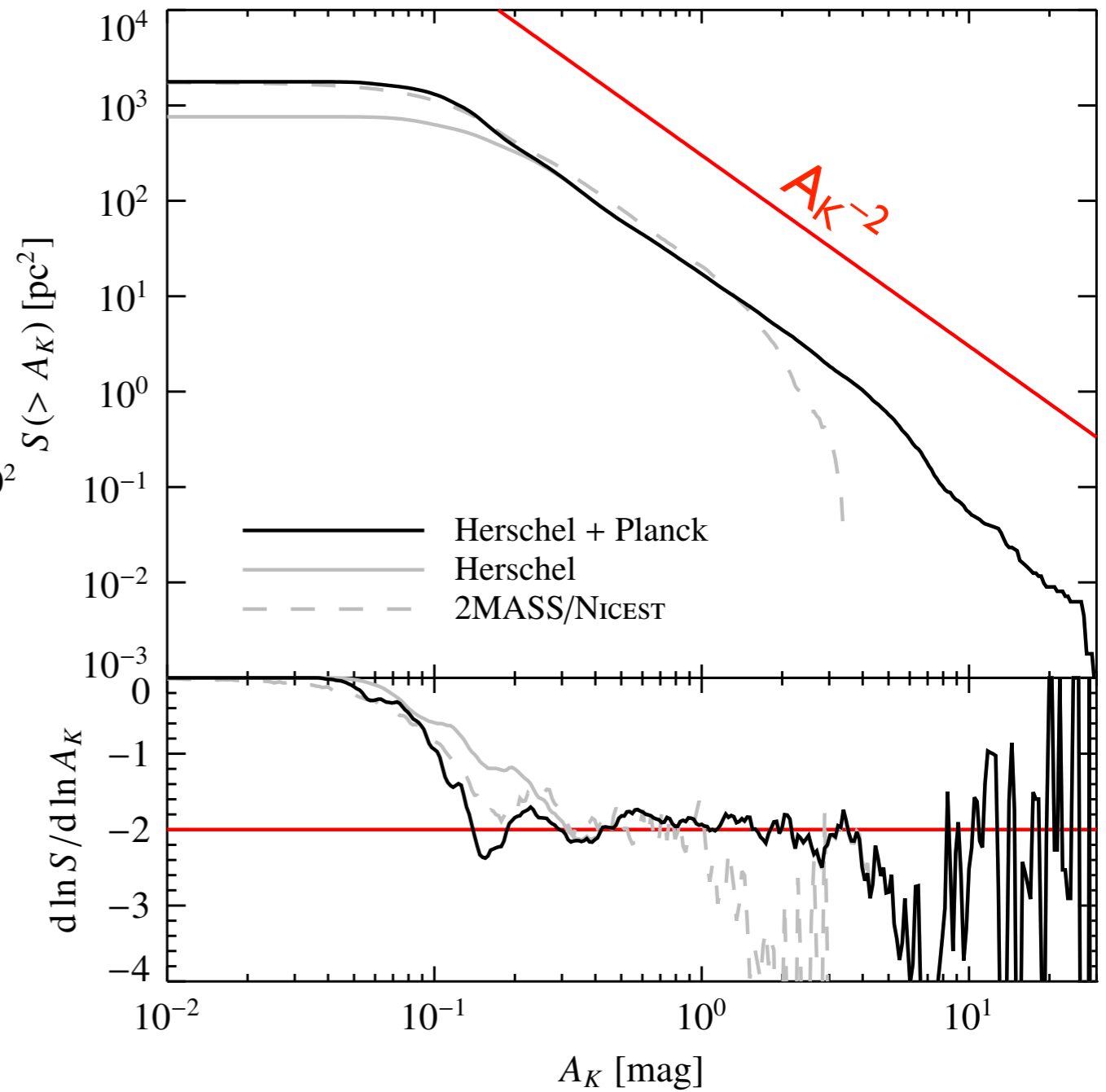
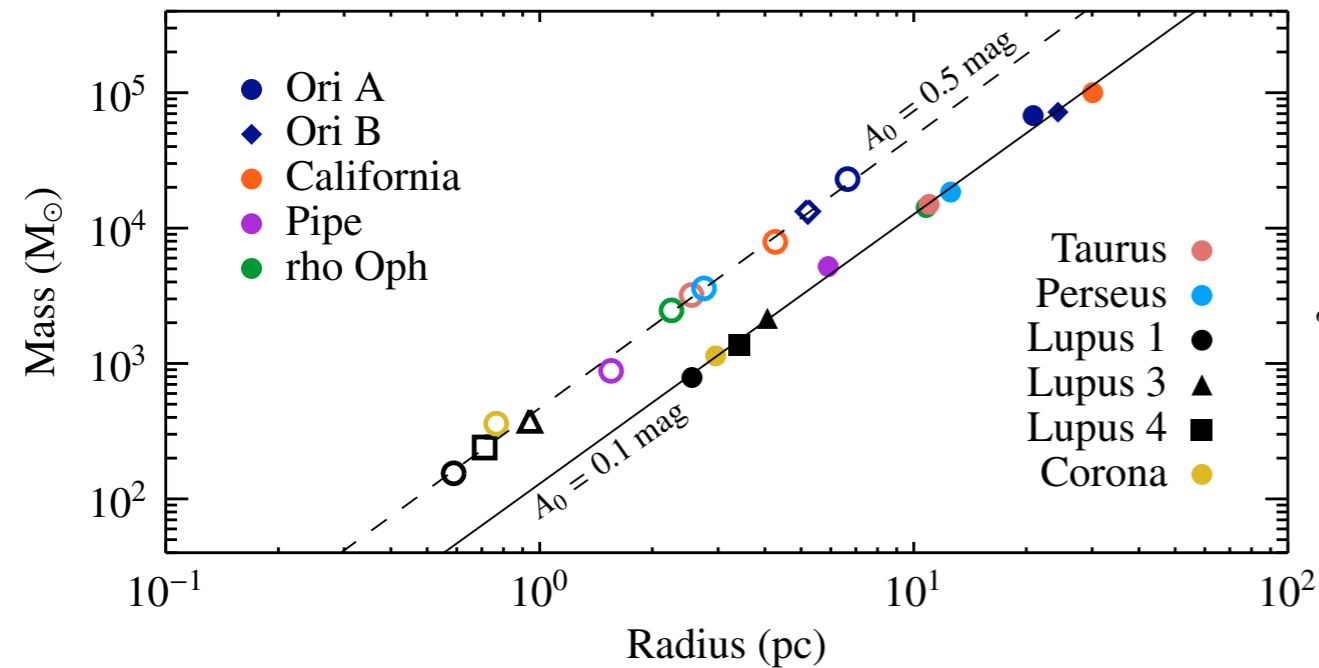
$$A_K \sim \Sigma \sim R^{-1}$$

$$S(> A_K) \sim R^2 \sim A_K^{-2}$$

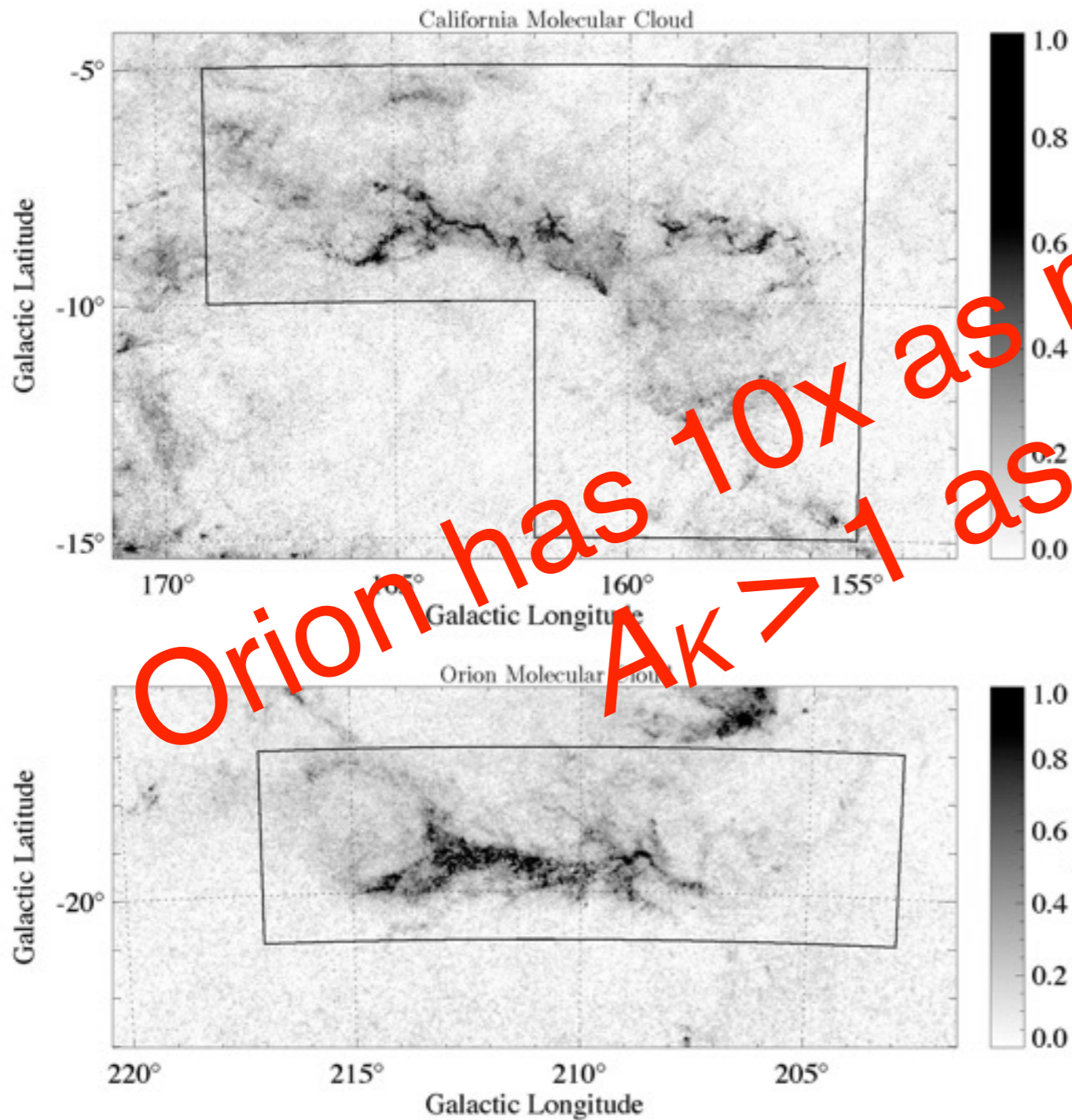


Lombardi et al. (2014)

Various scaling laws are related



SFRs in the California and Orion molecular clouds

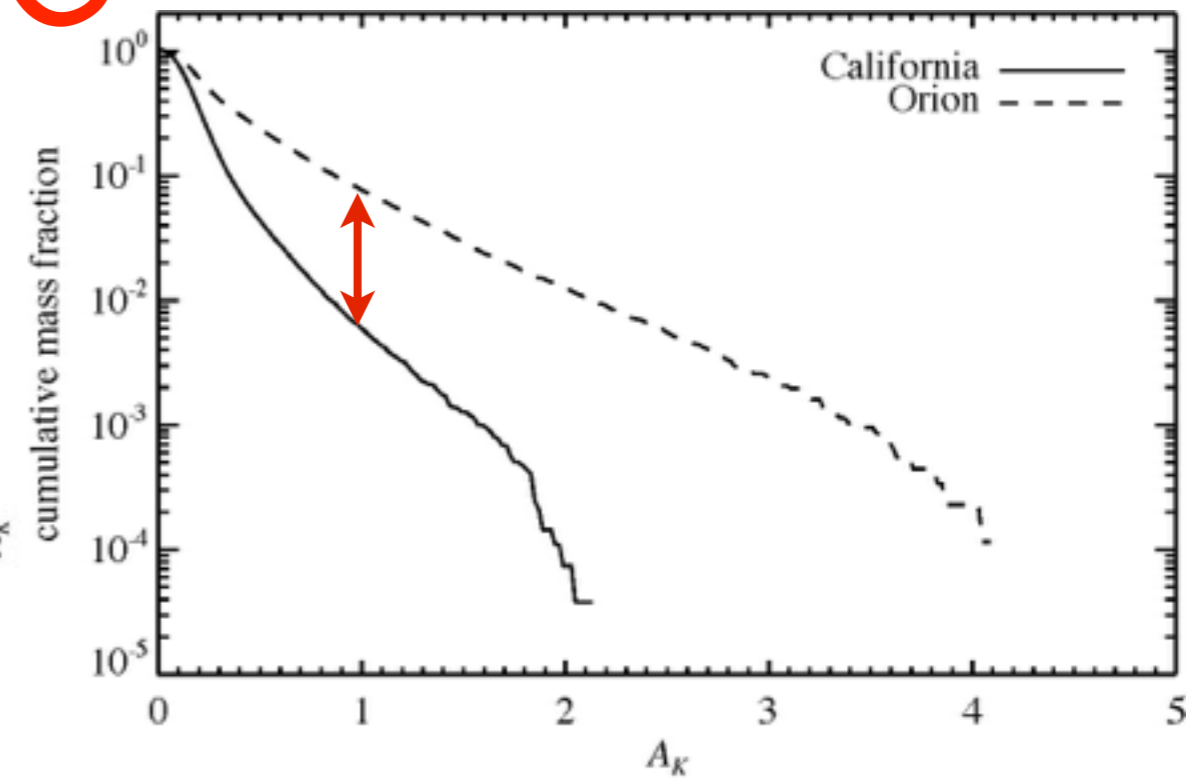


Nearly identical shapes & sizes, but

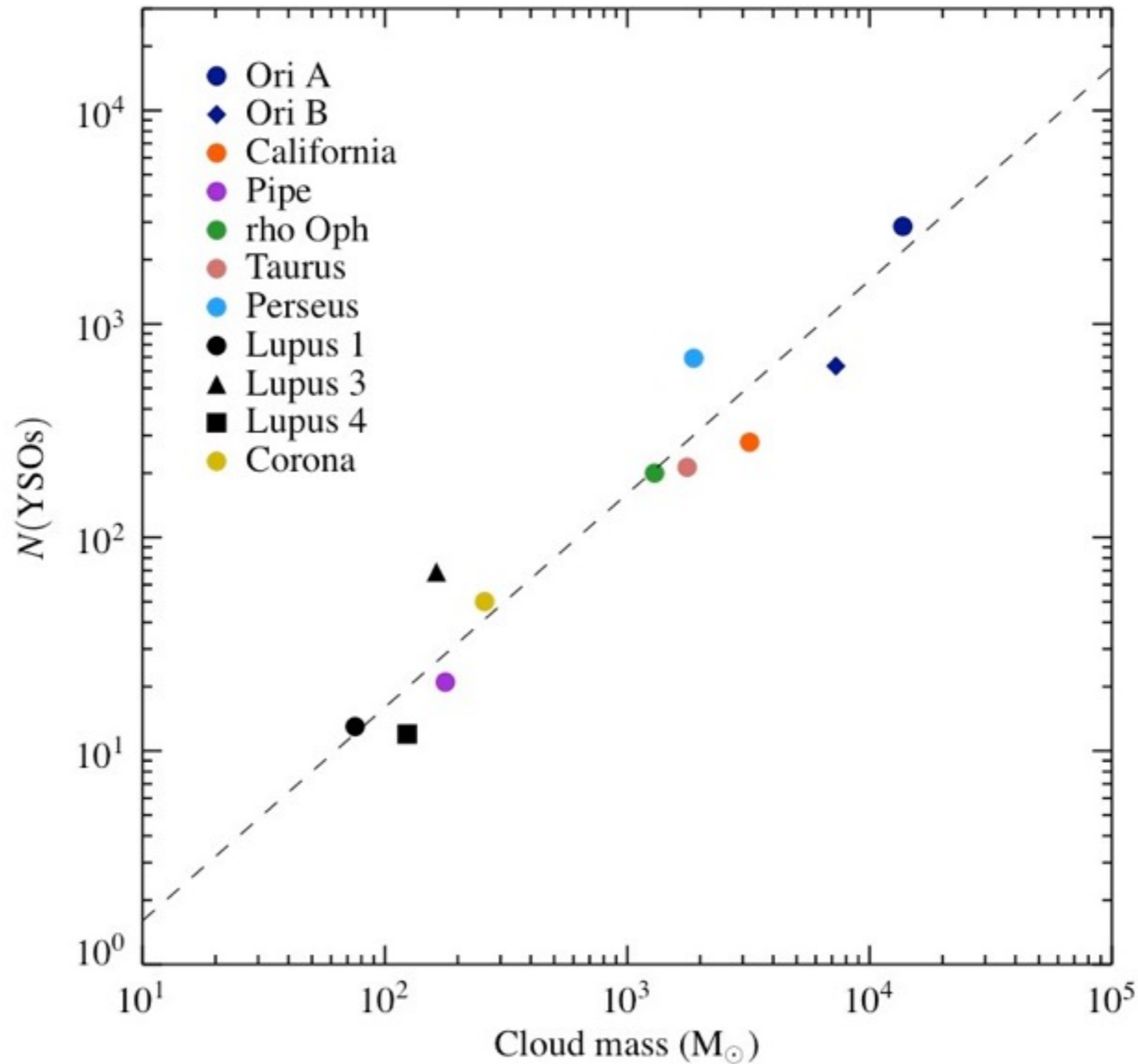
YSOs(Orion) > 10 x YSOs(California)

SFR(Orion) > 10 x SFR(California)

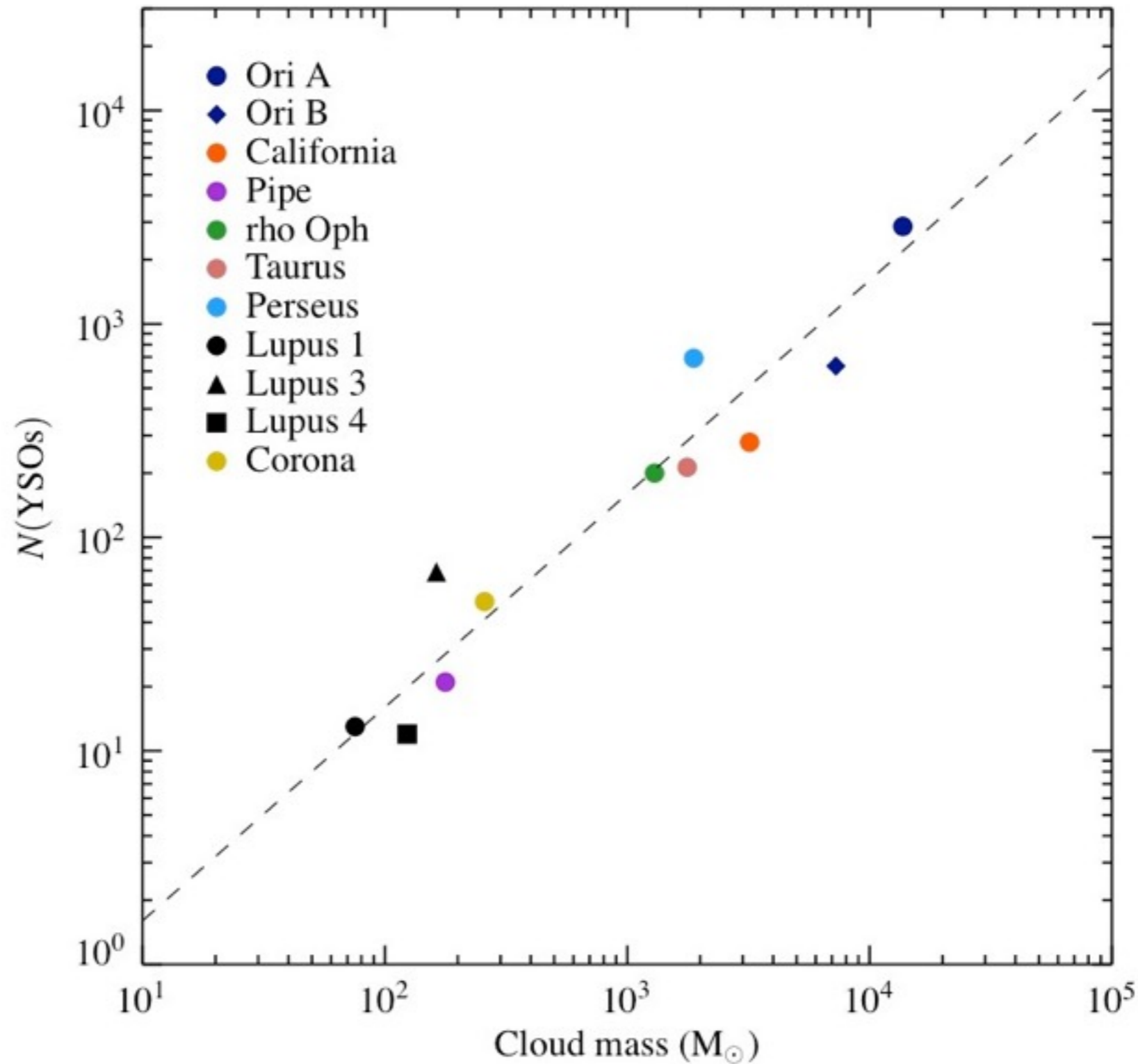
Orion has 10x as much material at $A_K > 1$ as California



SFR directly proportional to mass
above $A_K > 0.8$ mag ($\Sigma > 116 M_{\odot} \text{pc}^{-2}$)

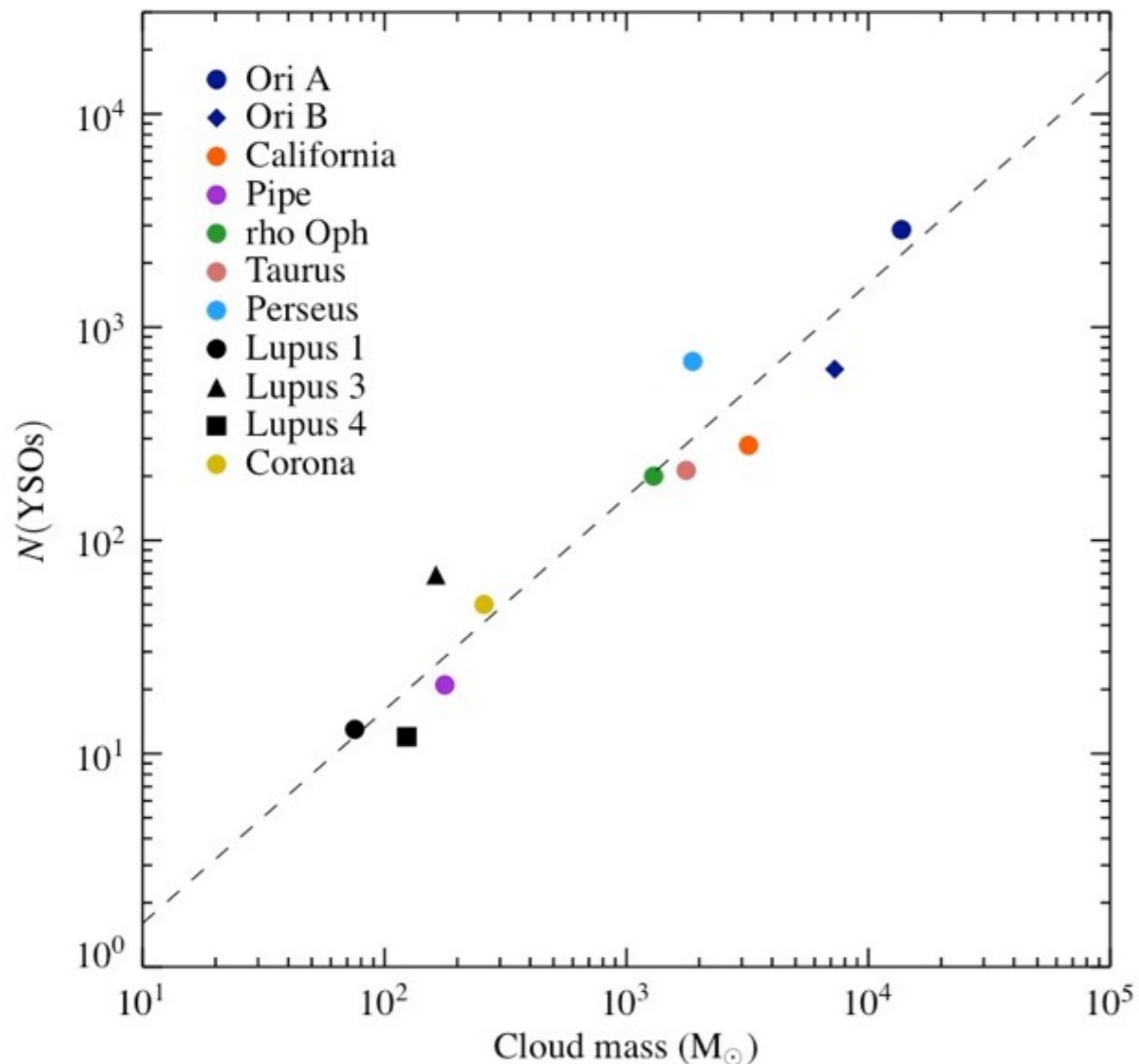


SFR directly proportional to mass
above $A_K > 0.8$ mag ($\Sigma > 116 M_\odot \text{pc}^{-2}$)



SFR directly proportional to mass
 above $A_K > 0.8$ mag ($\Sigma > 116 M_\odot \text{ pc}^{-2}$)

$$\left(\frac{SFR}{M_\odot \text{ yr}^{-1}} \right) = 4.6 \times 10^{-8} \left(\frac{M_{0.8}}{M_\odot} \right)$$

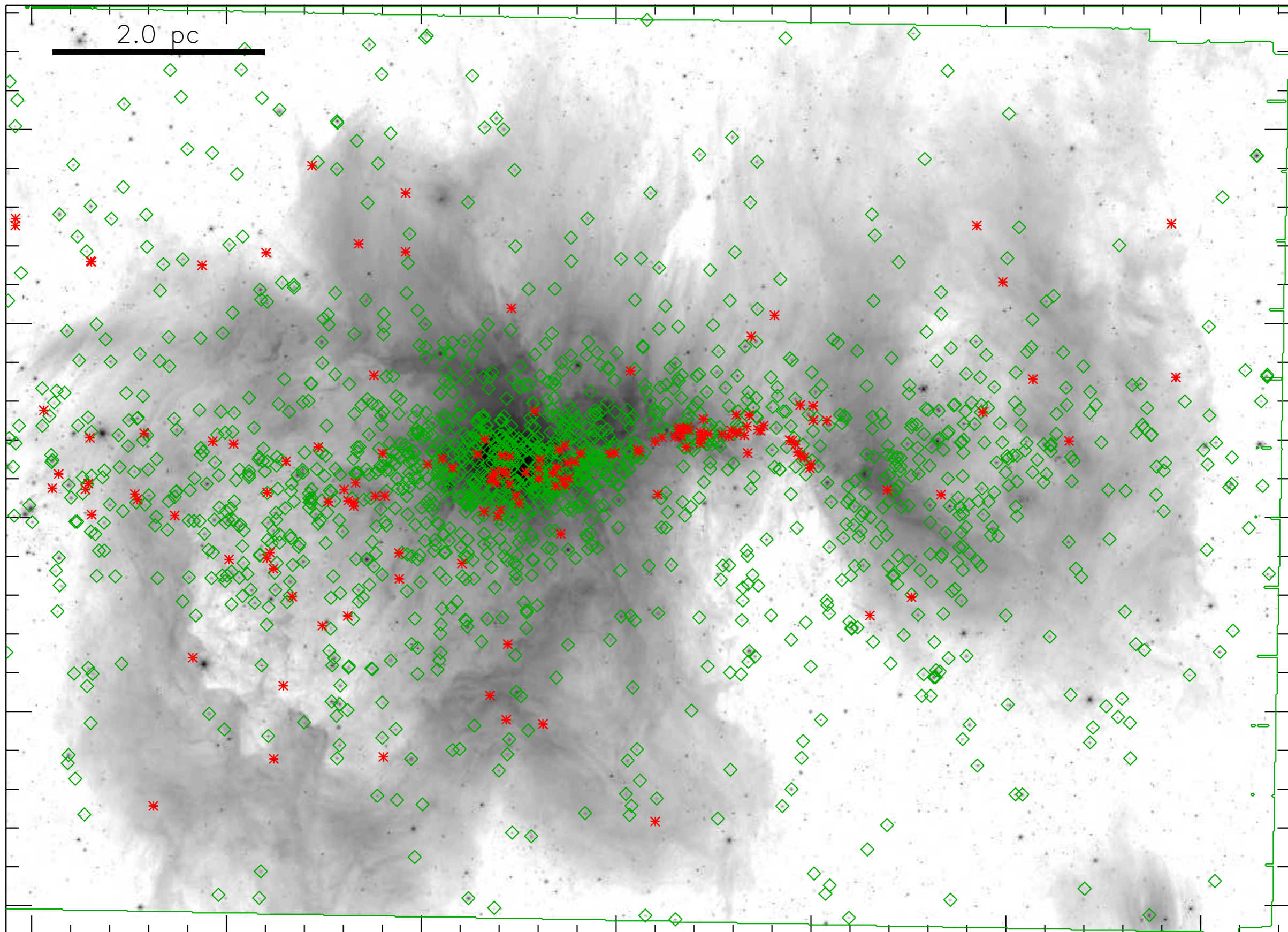


What is the meaning of the slope of this relation?

$$SFR = \varepsilon M_{0.8} / \tau_{\text{sf}}$$

$$\tau_{\text{sf}} \simeq 2 \times 10^6 \text{ yr}$$

$$\varepsilon = SFE \simeq 0.10$$



Megeath et al. (2012)



Interlude

Fitting random spatial data

Fitting random spatial data

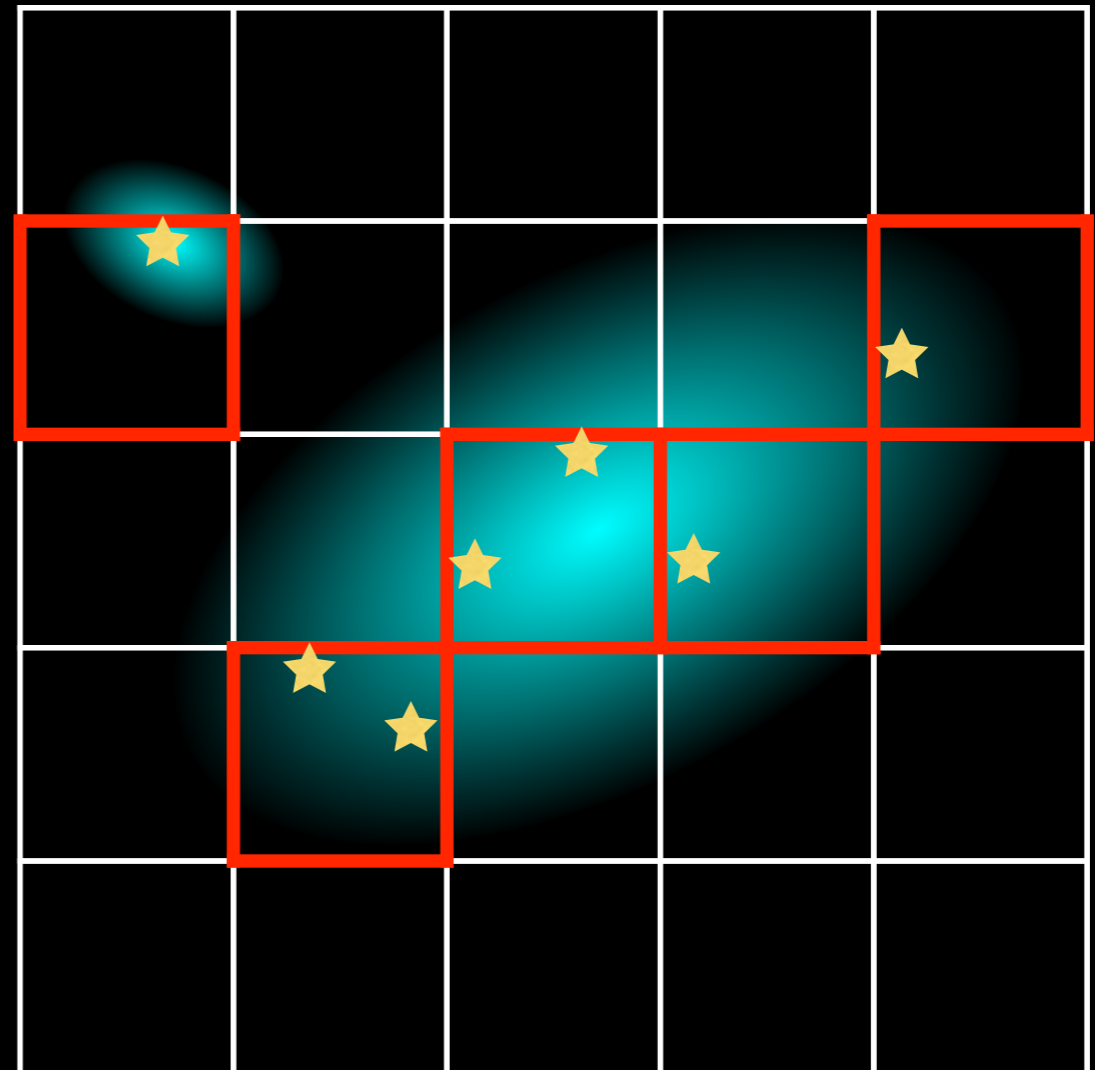
Problem 1: check if a set of points is a likely realization of a 2D density

Solution: bin the data and apply a Poisson statistics

$$P(N_i) = e^{-\mu_i} \frac{\mu_i^{N_i}}{N_i!}$$

$$\mu_i = \int_{\square_i} \Sigma(x) d^2x$$

$$P_{\text{tot}} = \prod_i P(N_i)$$



(Sarazin 1980, Lombardi et al. 2013)

Fitting random spatial data

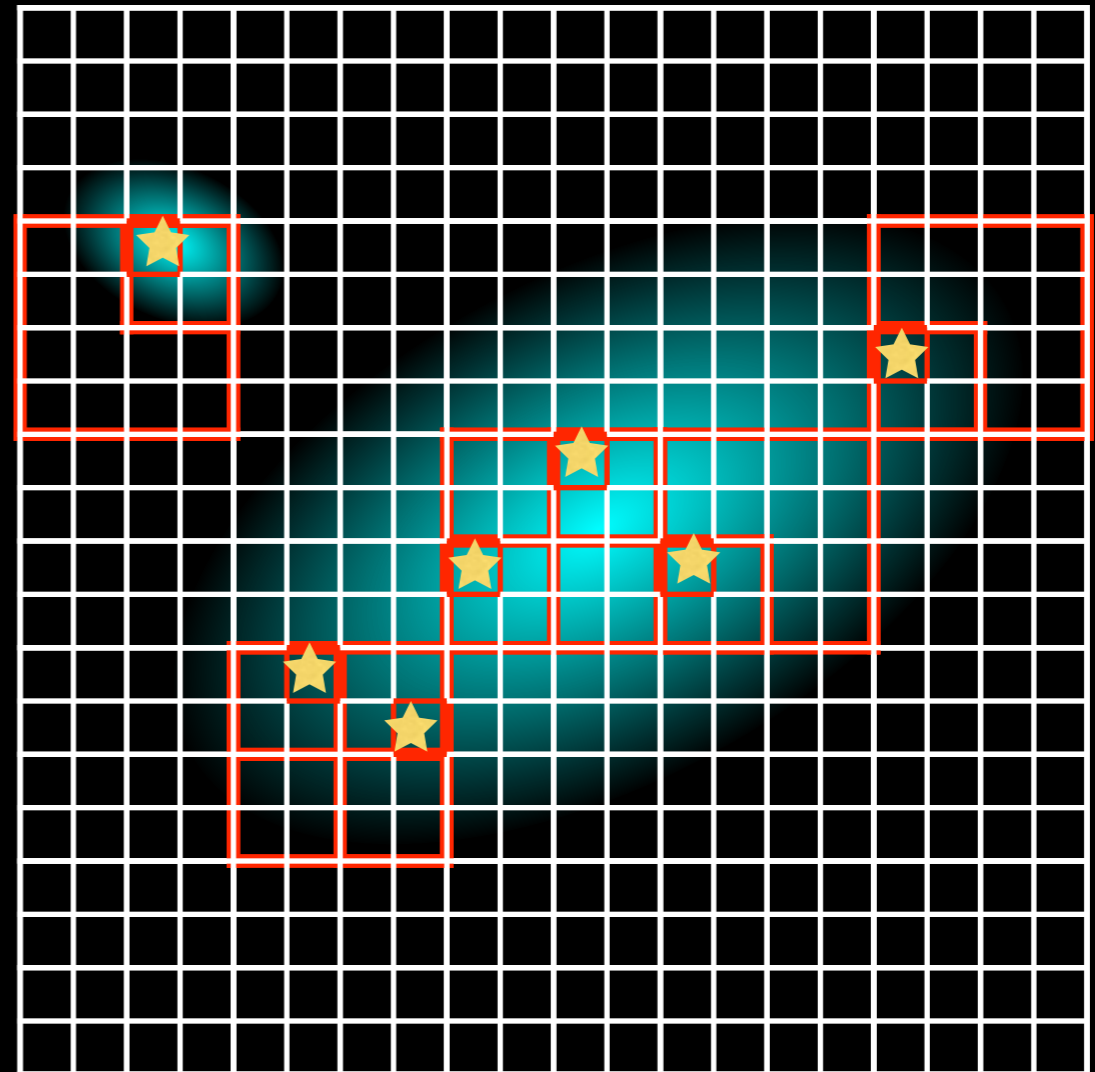
Problem II: how should we bin the data?

Solution: use infinitesimal bins (easier math, optimal test)

$$P(N_i) = \begin{cases} 1 - a\Sigma(x_i) \\ a\Sigma(x_i) \end{cases}$$

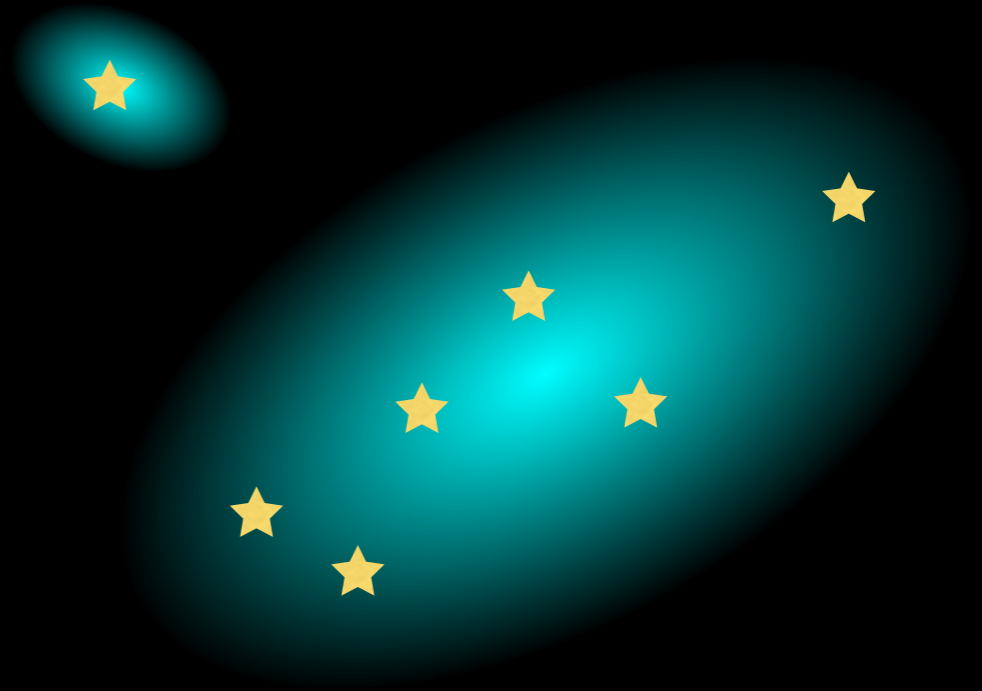
The final solution is best expressed using logarithms

$$\ln P_{\text{tot}} \equiv L = \sum_i \ln \Sigma(x_i) - \int \Sigma(x) d^2x$$



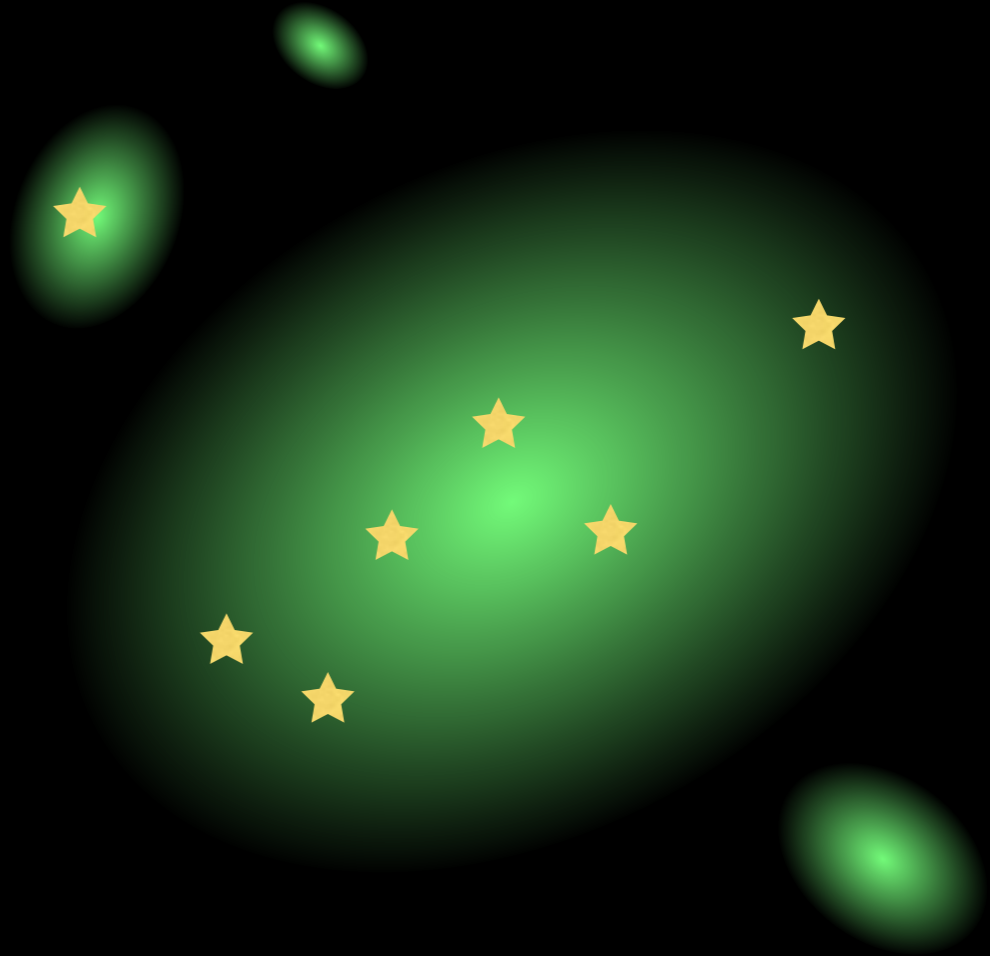
Fitting random spatial data

Problem III: which density fits best the data?



Fitting random spatial data

Problem III: which density fits best the data?

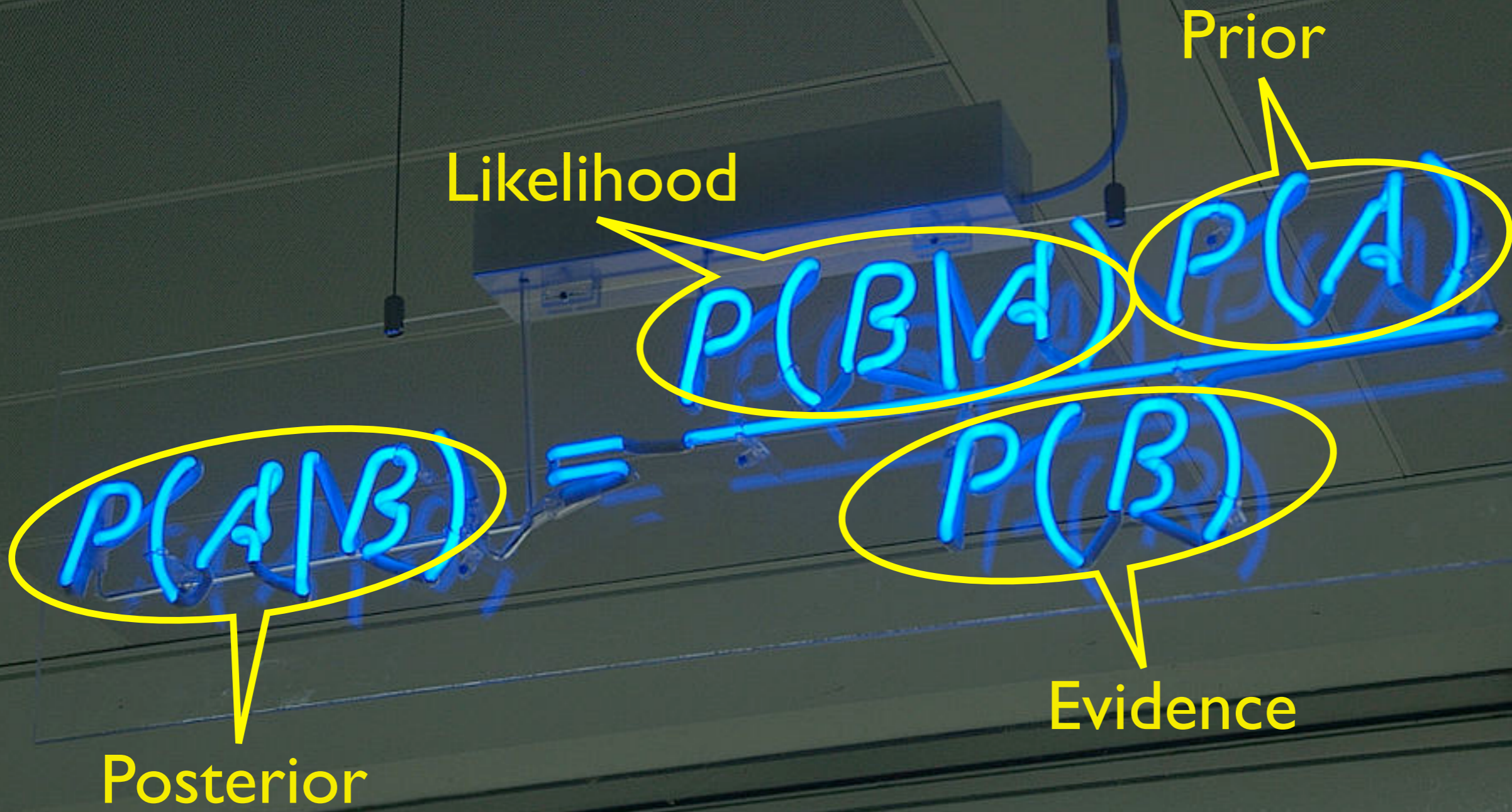


Fitting random spatial data

Problem III: which density fits best the data?

Solution: this is an inverse problem, and therefore we use...





T. Bayes.

Trombe

Oboe

Violini

Viola

Spirito
11

Finale

The local Schmidt law

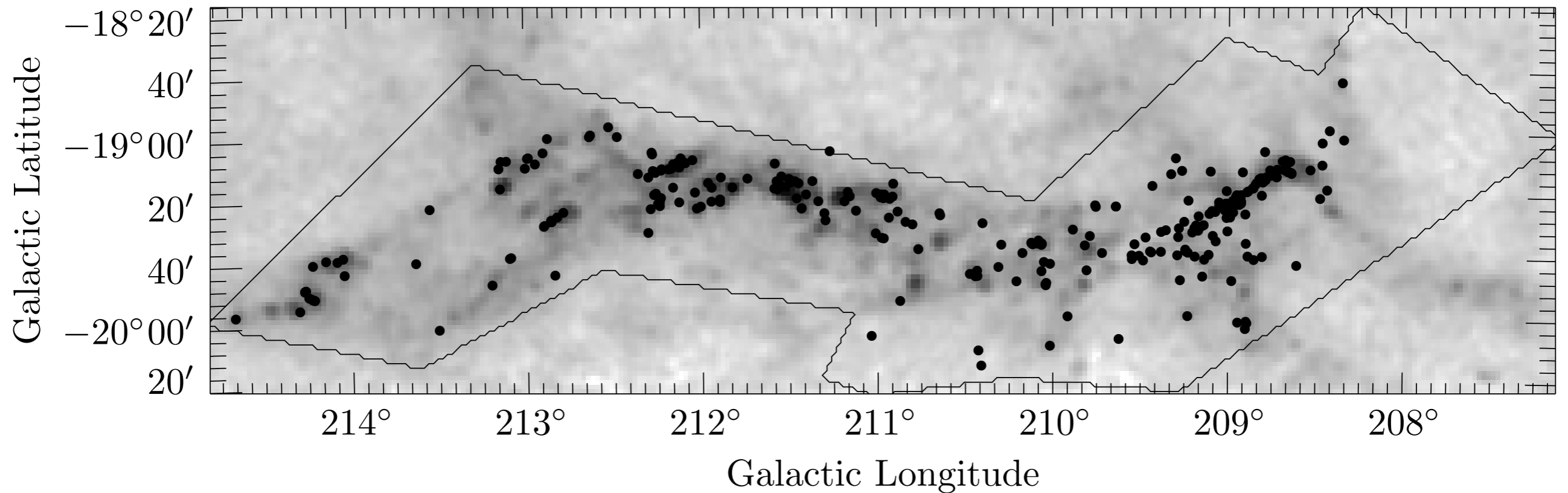
A page of handwritten musical notation on aged paper. The score is arranged in five staves. The top staff is for Trombe (Trumpets), the second for Oboe, the third for Violini (Violins), the fourth for Viola, and the fifth for Spirito (Spirito). The notation includes various musical symbols such as notes, rests, and clefs. A large white text overlay is centered on the page, reading "Finale" and "The local Schmidt law".

The local Schmidt law

- Density of protostars: $\Sigma_{\star}(x) = \kappa [A_K(x)]^{\beta}$
- Include other possible effects:
 - A **threshold**: $\Sigma_{\star}(x) = 0$ if $A_K(x) < A_0$
 - The **diffusion** of the stars from the cloud (σ)
 - [**Contamination** by spurious sources...]
- Data: **2MASS/Nicer** extinction maps and **Spitzer** catalogues of YSOs

Orion A

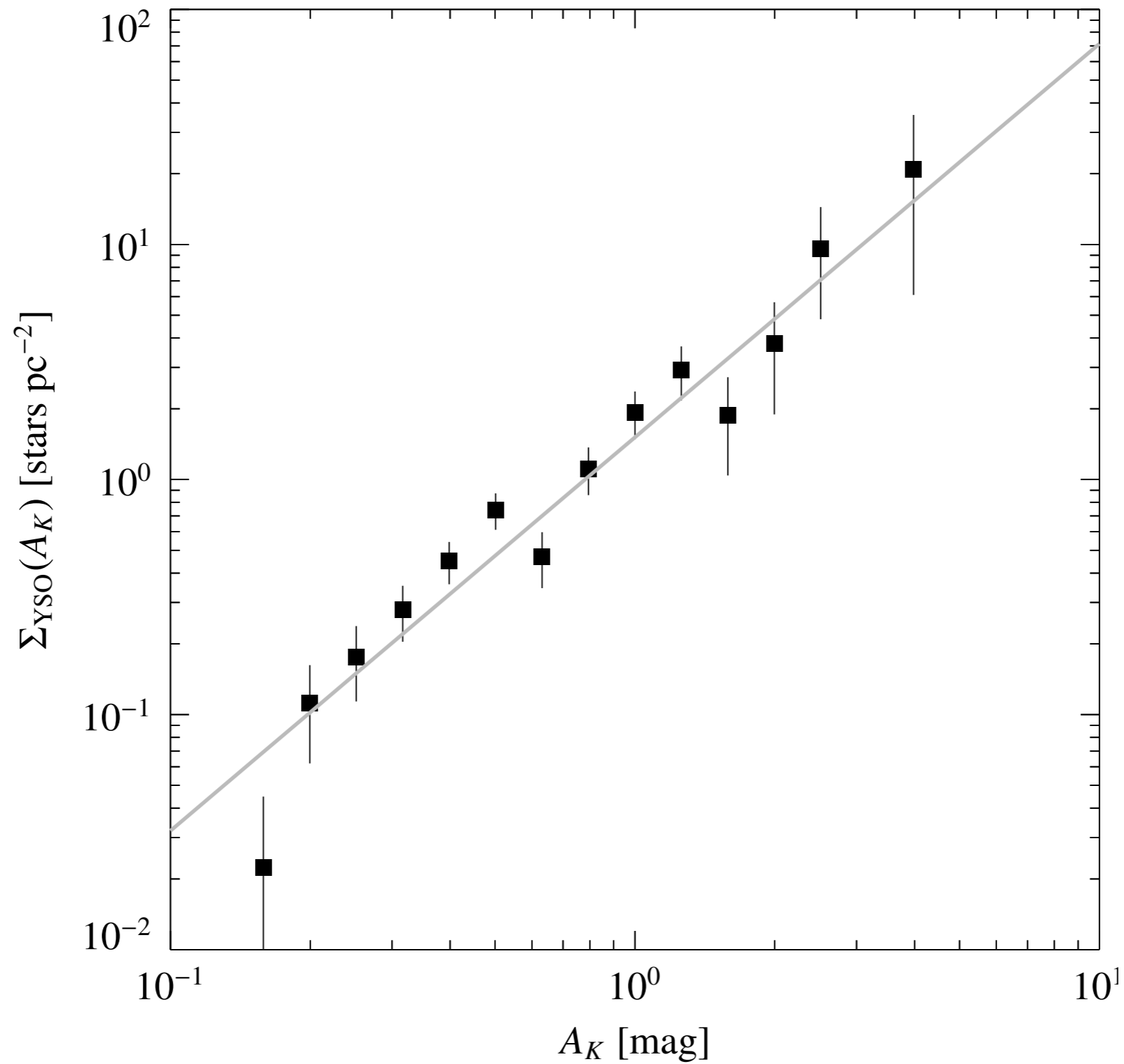
(Lombardi et al. 2011, 2013)

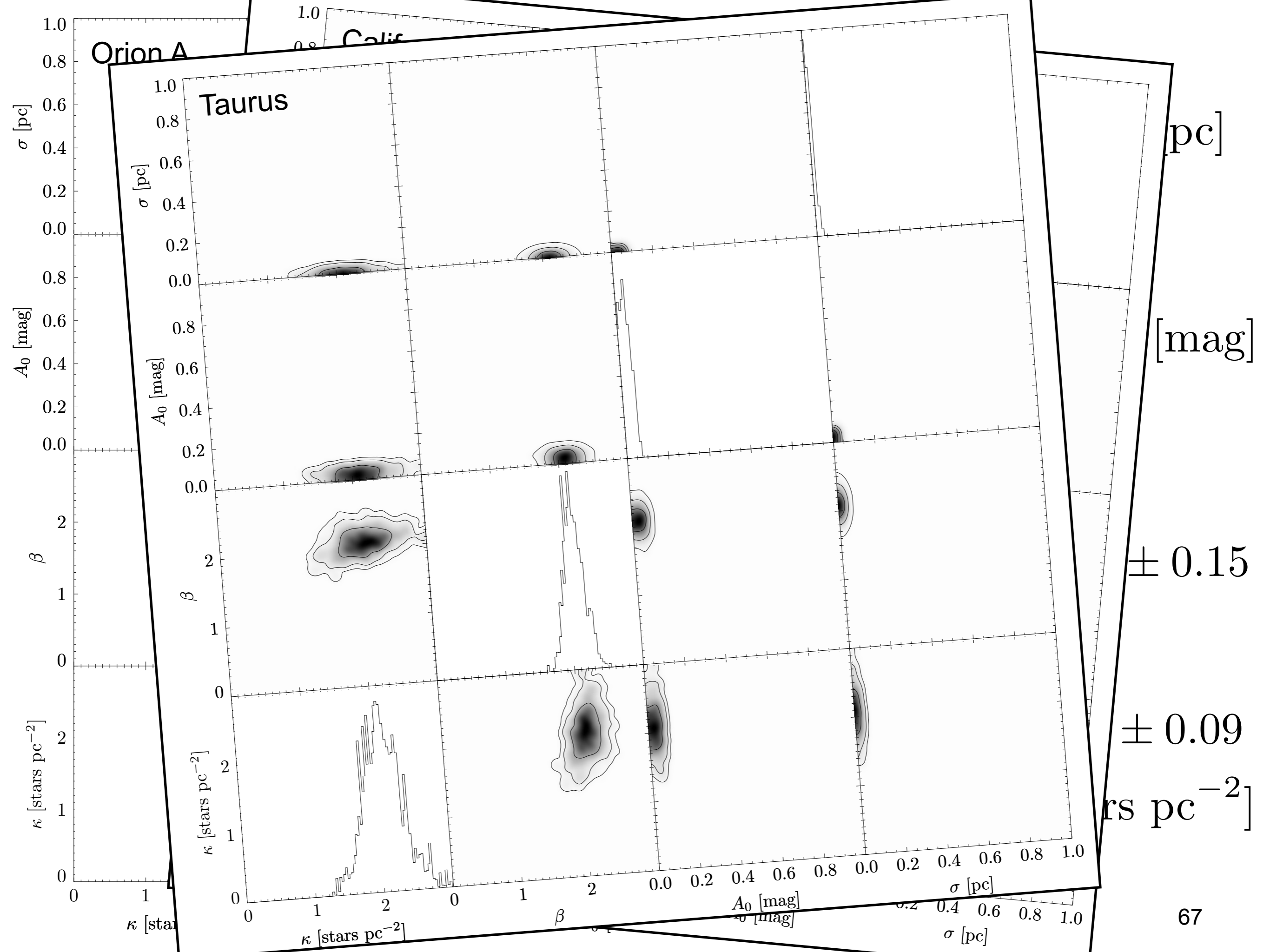


- 329 Class I protostars in Orion A
- Posterior distribution sampled with MCMC
- Inferred credible intervals over 4 parameters

Orion A

(Lombardi et al. 2011, 2013)





A consistent picture

- The local Schmidt law holds: $SFR \sim \Sigma^2$
- Clouds are self-similar **above a threshold**, with isothermal profiles $S(> \Sigma) \sim \Sigma^{-2}$
 - 3rd Larson's law holds: identical Σ above threshold
- Stars form in **dense regions** of molecular clouds
 - “protected” environment: cold gas, no UV radiation, Jeans/Bonnor-Ebert instability
 - SFR proportional to the amount of mass **above a (projected) density threshold**, $SFR \sim M_{\text{dense}}$





SUMMARY

1. Scaling laws are ubiquitous in molecular cloud physics (local Schmidt law, Larson's law, power-laws for PDFs)
2. Large differences in the properties of molecular clouds might be confined to the low-density, peripheral areas
3. Current observations show that clouds have self-similar structures